

COMPUTER SIMULATION STUDIES  
OF NORMAL AND ABNORMAL NEURAL  
NETS

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## ABSTRACT

### Computer Simulation Studies of Normal and Abnormal Neural Nets

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Computer simulation studies of the behaviour of randomly-connected artificial neural nets is presented. These studies show that nets connected according to the same distribution law are characterized by different behavioural patterns. The studies also indicate that these differences in behaviour can be traced to the different microscopic connectivities of these nets. Statistical analysis of the frequency distribution of the connections of the cells in these nets seem to support the view that the differences in the microscopic connectivity patterns of these nets lead to different behavioural characteristics. In this study the EEG histogram of the nets is used to classify them into normal and abnormal nets. The study also shows that some other tests can be used successfully to distinguish between the normal and the abnormal behaviour of the nets.

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## LIST OF SYMBOLS

- A The number of neurons in the net.
- r The refractory period.
- $\tau$  The synaptic delay.
- h The fraction of inhibitory neurons in the net.
- $\mu^+$  Average number of axon branches emanating from an excitatory neuron.
- $\mu^-$  Average number of axon branches emanating from an inhibitory neuron.
- $K^+$  Average EPSP produced by an excitatory neuron in arbitrary units of amplitude.
- $K^-$  Average IPSP produced by an inhibitory neuron in arbitrary units of amplitude.
- $\theta$  Firing threshold of the neurons.
- n The minimum number of EPSP's necessary to trigger a neuron
- $\alpha_n$  The fraction of active neurons in the net at time n.
- S Standard deviation.
- $\bar{X}$  The weighted mean.
- $\sigma$  The fraction of external incoming connections.

## CHAPTER I

### INTRODUCTION

This thesis is concerned with the normal and abnormal operation of artificial neural nets and the relationship between the structure and function of these nets using computer simulation.

Nerve net modelling has been a subject of extensive research in recent years. In 1943, McCullock and Pitts used Boolean algebra and they applied symbolic logic to neural functioning by exploring the logical capabilities of a deterministically connected network of formal neurons. Rochester et al (1956) used computer simulation techniques to study a network of quasi-randomly connected neurons consisting of axons with excitatory and inhibitory inputs and demonstrated that the system exhibited reverberations in response to inputs. Farley and Clark (1961) carried out a similar study in which they simulated a net of  $36 \times 36$  neurons in which the interconnections were specified by a two-dimensional probability distribution. They included temporal and spatial summation but did not include inhibitory connections. The result of their work showed that a randomly connected network can exhibit sustained oscillation under



certain conditions. They also confirmed Burele's mathematical analysis (1956) that the activity in the net could lead to either saturation or quiescence.

Minsky (1956) studied the properties of randomly connected nets and Von Neumann (1958) observed the analogy between neurons and the logical elements in a computer, while Lewis (1964) designed an electronic model consisting of a set of active non-linear electronic circuits connected in parallel to reproduce the physiological data published by Hodgkin and Huxley (1952) about the changes in the axon membrane current of the squid. Harth and Edgar (1967) investigated the cognitive functions of highly damped randomly connected neural nets and found close analogies between the function of the net and the associated functions of the cerebral cortex.

Other theoretical works on network modelling were performed by Cainaniello et al (1967) who investigated collective modes of excitation in neural networks and the conditions leading to them. Wiener (1965) and also Cowan (1968) used the techniques of statistical mechanics and Ricciardi and Umezawa (1967) applied the formalism of the many-body problem to describe neural nets.

Smith and Davidson (1962) used a probabilistic approach toward the analysis of networks of simulated neurons

having properties similar to those of biological neurons. By using both digital computer simulations and theoretical analysis they showed that those networks were capable of supporting self-maintained activities.

Anninos et al (1970) studied the dynamic properties of probabilistic nets using analytical methods and computer simulation for steady and slowly varying excitatory or inhibitory inputs and found out that there was a high probability for the existence of cyclic activity within the net. Harth et al (1970) used the mathematical method and the numeric results of Anninos et al (1970) to view the central nervous system (CNS) as a network made up of basic building blocks called the netlets out of which complex nets may be assembled. They presented a model based on this and on other anatomical and physiological data and applied the concepts of netlet interaction to information processing in the cortex.

Harth et al (1974) presented a dynamic model based on the neural net model of Anninos et al (1970) and Harth et al (1970) to explain the neuromuscular mechanisms involved in controlling the swimming escape sequence of the mollusk Tritonia and showed that the dynamic characteristics of the escape can be reproduced by a neural net model. They also showed that the functioning of the model depended on the macrostates of the neural population rather than on

the detailed spatially and temporally defined microstates.

The effect of structure on the function of neural nets was investigated by Anninos and Elul (1974a) in which a theoretical analysis was made to study the effect of different connectivity laws (Poisson and Gaussian) on the dynamic behaviour of the nets. They found that nets with connections distributed according to the Poisson probability law exhibited sustained activity, whereas nets connected according to the normal probability law were not capable of sustained activity.

The use of network modelling to explain pathological and abnormal activities and to relate anatomical configurations to network activity has been investigated by very few workers.

Dichter and Spencer (1969) used a model consisting of an array of elements connected to one another through both positive and negative feedback of various strengths to explain the abnormal activity in the penicillin focus and demonstrated that a network of neurons could generate triggered self-limited responses showing many of the features of the experimental ictal discharges of the penicillin focus.

Rashevsky (1971a, 1971b, 1972) used models consisting of chains of neuron circuits acting as a centre for the production of spontaneous sustained non-periodic fluctuations

of excitation and inhibition. From his studies of the role played by these circuits, he concluded that the mechanism of these circuits could serve as the origin of pathological fluctuations such as epilepsy and depression and of normal and creative thought.

Cyruanik et al (1974) showed that a randomly interconnected neural net was capable of exhibiting the features of Parkinson's disease like cogwheel rigidity, resting tremor and dysdiadochokinesis.

The relationship between the anatomical structure and the normal and abnormal functioning of the mammalian nervous system is still largely unknown due to the complex structures of the mammalian brain and to the difficulty involved in such studies. One possible approach to this problem is through the use of nerve net models. In this thesis we are going to study the effect of the microscopic structure of a randomly interconnected artificial neural net on its function and to examine whether or not differences in the microscopic structure and connectivities of these neural nets lead to differences in the operation and behaviour of these nets.

The general properties of the model we are going to use in this thesis are essentially the same as those used by Harth et al (1970). Whereas they were interested in the effect of varying the firing threshold of the neurons on the dynamic behaviour of neural nets we are concerned with the effect of the variations of microscopic structure on the dynamic behaviour of the nets. This is done by examining the effect of different connectivity patterns on network activity when the firing threshold of the neurons is kept fixed. Our main objectives are:

1. To compare the EEG histograms of the artificial neural nets with the normal distribution curve. The  $\chi^2$  goodness-of-fit method will be employed to determine how well the EEG histogram of each net fits the normal distribution.
2. To classify the nets into normal and abnormal nets according to criterion 1. A net whose EEG histogram fits the normal distribution curve will be considered normal.
3. To identify the effect of evoked potential applied to the normal and abnormal nets on the cyclic activity and the number of synaptic delays before the start

of the cyclic activity. Our purpose is to observe if a difference in the reaction of the normal and abnormal nets exists and if this difference can be used as a criterion in classifying the nets.

4. To compare the microscopic connectivities of different randomly interconnected artificial neural nets and observe if differences in the connectivities of the normal and abnormal neural nets exist. The comparison will be made by constructing the frequency distribution curves of the number of the excitatory, the inhibitory, and the total number of incoming connections to the neurons in the nets employing the statistical method of moments to those curves.

A brief introduction to the fundamental neurophysiological properties of the neurons will be given in Chapter II. This chapter outlines the basic structural features and some of the fundamental concepts of the biological neurons that will be used in our model. Our assumptions regarding the neural net model along with the basic assumptions of Hart et al (1970) are discussed in Chapter III. This chapter also introduces a brief outline of the dynamics of single isolated neural nets and a

description of the main features of the digital computer program used in this study for simulating neural networks.

The results of the computer simulation are reported in Chapter IV along with the frequency distribution curves of the number of excitatory, inhibitory, and the total number of incoming connections to the neurons in the net.

In Chapter V the criteria used to classify different neural nets are discussed. The criteria used in this study include the gaussian character of the EEG histograms and the presence of cyclic activity. A theoretical model of the gaussian character of the EEG is also presented in that chapter along with the discussion of the results reported in Chapter IV.

## CHAPTER II

### NEUROPHYSIOLOGY

The basic functional and morphologic unit of the nervous system is the neuron. It functions as an integrator, conductor, and transmitter of coded information, and through its processes forms an interconnected segment in the network of the nervous system. It consists of three regions on the basis of different electrical characteristics (Ruch and Patton, 1965). The first region comprises the cell body and the dendrites which conduct impulses from other nerve cells, and is characterized by low level potential changes. The second region consists of the axon and termination fibers, which conduct impulses with large amplitudes that are essentially identical, away from the cell body. The axon hillock, which consists of a conical elevation of the cell body from which the axon arises, comprises the third region. In this region the incoming impulses are integrated and the outgoing ones are initiated.

Although neurons differ widely in their size, shape, and the arrangements of their dendrites, they all have the fundamental functional properties of reacting to stimuli, transmitting excitations, and influencing other neurons or receptors (Noback, 1967).




A neuron can be activated by a stimulus coming from another neuron or a stimulus applied to a specialized receptor (House and Pansky, 1965). If a stimulus applied to the axon of a neuron lowers the membrane potential to a certain critical level called the threshold level value, a nerve impulse called the "action potential" will be produced (Katz, 1966). This nerve impulse propagates along the axon membrane without attenuation to other neurons.

The membrane potential, which is also called the resting potential, is maintained by the ionic concentration differences inside and outside the neuron. There is ten times greater concentration of ( $\text{Na}^+$ ) ions outside the membrane than inside (Eccles, 1965), and on the inside the concentration of ( $\text{K}^+$ ) ions is 20 - 50 times more than outside. There is also more concentration of ( $\text{Cl}^-$ ) ions outside the membrane than inside. The distribution of ( $\text{K}^+$ ) and ( $\text{Cl}^-$ ) ions are roughly in equilibrium with the membrane potential which is about -70 to -90 millivolts (the inside negative); however, the ( $\text{Na}^+$ ) ions are out of balance with the membrane potential because of the different concentrations of ( $\text{Na}^+$ ) ions inside and outside the membrane. This creates a tremendous pressure for the flow of ( $\text{Na}^+$ ) ions from the outside to the inside of the membrane. However, the resting membrane is impermeable to the ( $\text{Na}^+$ ) ions in the absence of a stimulus and becomes highly permeable to the ( $\text{Na}^+$ ) ions only when stimulated (Noack, 1967). With this increased permeability the ( $\text{Na}^+$ )

ions flow to the inside balancing and then reversing the polarity of the membrane potential. This depolarization spreads along the nerve fiber independently of the initial stimulus (Woodburne, 1967). Following this, a reduction in the entry of  $(Na^+)$  ions occurs followed by the flow of  $(K^+)$  ions to the outside. Then the  $(Na^+)$  ions are pumped out and the  $(K^+)$  ions are pumped into the neuron, and these differential concentrations are maintained again to produce the resting membrane potential.

The junction between the axon of one neuron and the dendrites or cell body of another neuron is called the synapse. It is characterized by a small gap or synaptic cleft between the presynaptic and postsynaptic membrane (Truex and Carpenter, 1969). In a sequence of neurons, the synapses act as one-way valves, allowing conduction of the impulses in only one direction (Noback, 1967). The synapses also serve as selective routing mechanisms and make possible selective excitation and inhibition (Woodburne, 1967).

The nerve impulse travelling along the axon membrane triggers the release of a chemical transmitter substance upon arrival at the presynaptic axonal termination (synaptic knob). This chemical transmitter substance is released from the surface of the presynaptic membrane. It diffuses across the synaptic cleft, and after a delay, called the synaptic delay  $\tau$ , (Eccles, 1964) of 0.5 to 0.8 milliseconds, it causes a change in the potential of the postsynaptic membrane. This



potential change is termed the postsynaptic potential (PSP). It is a smooth, low level, graded, local response that can be either excitatory or inhibitory. When the postsynaptic membrane responds to the transmitter substances by lowering its membrane potential (the potential is driven toward or beyond threshold) an excitatory postsynaptic potential (EPSP) results. In contrast, an inhibitory postsynaptic potential (IPSP) results when the postsynaptic membrane potential increases. (The postsynaptic membrane potential is driven toward a subthreshold level where no firing will occur (Katz, 1966)).

One of the important properties of synapses is summation which is an expression of the accumulative effects of a number of stimuli on a neuron (Noback, 1967). The summation of many stimuli received almost simultaneously at different locations on the postsynaptic membrane is called spatial summation. Another type of summation is called temporal summation which involves the addition of repetitive synaptic potentials generated by a single presynaptic neuron (Noback, 1967). The time that a given subthreshold PSP will persist is called the summation time (Purpura, 1965).

When the sum of the PSP's at the hillock exceeds a certain critical value "the threshold potential", a change in the permeability of the membrane occurs and a spike ensues and the neuron fires; otherwise, the neuron will not fire.

This is known as the "all-or-none" law, which means that a minimal strength of stimulus is required to evoke the propagation of the action potential, and when this threshold is reached, any additional increase in intensity of the stimulus has no effect on the amplitude or duration of the action potential (Rugh et al, 1965). Therefore, in receiving a stimulus a neuron either responds by firing an impulse, if the stimulus exceeds the threshold, or it does not send any impulse at all. (It should be noted that when the neuron receives a stimulus with a subthreshold value, it responds to it locally with a small potential that decays exponentially with distance from the point of stimulation (Katz, 1966)). Following the initiation of the nerve impulse, the axon becomes refractory for about one millisecond, during which no stimulus, no matter how strong, can elicit an impulse. This refractory period is called the absolute refractory period, and is immediately followed by another refractory period called the relative refractory period. During this period an increased strength of stimulus would be required to fire a neuron. The refractory period lasts for a few milliseconds (Katz, 1961).

The neurons of the nervous system are organized in sequences of cells called neuron circuits. These circuits which are found in all levels of the central nervous system may be divided into five different categories (Noback, 1967):

- 1) The two-neuron chain.
- 2) The simple open circuit, which consists of a chain of neurons connected together in such a way that no neuron is connected (directly or indirectly) through an axon with a prior neuron in the chain.
- 3) The simple closed circuit which is formed when a neuron in the chain connects to a prior neuron. This circuit represents a simple feedback circuit in which an efferent neuron may influence itself.
- 4) The open multiple-chain circuit consisting of many neurons linked together and arranged in parallel.
- 5) The closed multiple-chain circuit which consists of many closed multisynaptic chains that form feedback circuits. These feedback loops could permit the reverberation of impulses which raises or lowers the excitability of various neurons in the chain.

The neural net model we are studying in this thesis is composed of a collection of closed and open multiple-chain neuron circuits and makes use of many of the properties of the biological neuron mentioned in this chapter.

## CHAPTER III

### THE NEURAL NET MODEL

#### A. The Netlet Model

The neural net model we are using in this research was originally developed by Harth and Edgar, 1967, and subsequently studied, used, and further developed by many workers (Harth et al, 1970; Anninos et al, 1970; Anninos and Elul, 1974). The basic assumptions of the netlet model are (Harth et al, 1970):

- 1) The structure of the nervous system could be approximated by sets of discrete populations of randomly interconnected neuron nets. These discrete nets are called netlets (Harth et al, 1970).
- 2) Connections between the neurons within the netlets and the distribution of efferent fibers to the netlet are chosen at random.
- 3) The level of activity within the netlet is considered to be the only significant dynamical variable in the netlet.

Many physiological and anatomical evidences seem to support the above mentioned assumptions. Mount Castle (1957) discovered that neurons that are located along the radial

column in the somato-sensory cortex exhibit identical receptive fields. These were called "elementary units of organization". Asanuma and Sakata (1967) identified discrete colonies of neurons in the motor-sensory cortex of the cat and found that neurons belonging to a colony have projections that terminate in the same neuron pool. Many other studies (Penfield and Rasmussen, 1955; Sholl, 1956; Jasper, et al 1960; Morrell, 1961; Penfield and Perott, 1963; and Colonnier, 1967) have shown that simulation and recall of complex sensory events do not require a delicate special patterning of incident excitation on one particular neuron, but that reproducible responses could be elicited if the location of the stimulus was specified only to within a millimeter. These experiments have shown that the neuronal activity of the net can be set up simply by stimulating a given region. They also indicated that a specific response to a stimulus is not very dependent on the location of the neuron being simulated.

In addition to the above three basic assumptions of the netlet model, the following assumptions are included in our model:

- 4) The total input to any cell within the net is expressed as an algebraic sum of both excitatory and inhibitory inputs.
- 5) All the cells in the net have the same synaptic delay,  $\tau$ .

The neurons fire only at integral multiples of  $\tau$ .

- 6) Dendritic and axonal transmission delays over small distances are assumed to be negligible compared with synaptic delays.
- 7) Summation is essentially spatial, i.e. the effect of the excitatory postsynaptic potentials and the inhibitory postsynaptic potentials remain for a period less than the synaptic delay  $\tau$ .
- 8) The absolute refractory period  $r$ , of any neuron in the net varies between  $\tau$  and  $2\tau$ . This assumption is not unreasonable since the refractory periods take one or two milliseconds (Katz, 1961), and the synaptic delay  $\tau$ , takes 0.5 to .8 milliseconds (Eccles, 1964). Relative refractory periods will not be considered in this study.
- 9) The refractoriness of a neuron at time  $\tau$  is independent of the probability that the neuron receives threshold excitations at the same time. Although this is not true in general for biological neurons, this dependence is very small (Wilson and Cowan, 1972).
- 10) Each neuron in the net goes from the resting or inactive state to the firing or active state whenever the sum of all the excitatory and inhibitory postsynaptic potentials (PSP's) arriving at the neuron exceeds the threshold



value  $\theta$  and providing that the neuron is not refractory.

- 11) The firing thresholds of the neurons are returned to normal  $2\tau$  after the neuron fires.
- 12) A neuron can be either excitatory or inhibitory. An excitatory neuron generates excitatory postsynaptic potentials (EPSP) only, and the axon branches of an inhibitory neuron generate inhibitory postsynaptic potentials (IPSP) only.
- 13) The axonal connections emanating from each neuron in the net are randomly distributed among all other neurons in the same net. The number of the axonal connections varies between two limits. The average number of axon branches is denoted by  $\mu^+$  for an excitatory neuron and  $\mu^-$  for an inhibitory neuron.
- 14) The Psp's are produced by an active neuron after a time interval equal to the synaptic delay  $\tau$ .
- 15) Inhibitory neurons within the net are chosen randomly. The fraction of the total number of the inhibitory neurons in the net is given by  $(h)$ .

The connectivity of the net can be completely described by a connectivity matrix  $\{K_{ij}\}$  made up of coupling coefficients  $k_{ij}$ 's (Harth and Edgar, 1967). The coupling

coefficient represents the size of the postsynaptic potential in arbitrary units, from the  $j$ th neuron to the  $i$ th neuron. The absence of a synaptic link between the  $i$ th and the  $j$ th neurons is characterized by  $k_{ij} = 0$ .

With the network assumption stated above, we can define the activity  $\alpha_n$  as the fractional number of neurons that fire at  $\tau = n\tau$ . If the total number of neurons in the net is  $A$ , then the total number of active neurons at any time  $\tau = n\tau$  is given by  $A\alpha_n$ . The activity  $\alpha_{n+1}$  in the net at  $\tau = (n+1)\tau$  is entirely determined by the activity  $\alpha_n$  at  $\tau = n\tau$ . This is due to our assumptions regarding the refractoriness of the neuron and the summation time mentioned above. A neuron that fires at time  $\tau = n\tau$  will not be sensitive at  $\tau = (n+1)\tau$  to any stimulus, and the PSP's on any neuron at  $\tau = (n+1)\tau$  depend only on the firing record of the net at  $\tau = n\tau$ .

## B. Dynamics of Single Isolated Neural Nets

In this section we present some of the results described by Anninos et al (1970) regarding the dynamic properties of a randomly connected isolated neural net.

The structural parameters of the nets include the average number of neurons receiving postsynaptic potentials from an excitatory neuron ( $\mu^+$ ), the average number of neurons receiving postsynaptic potentials from an inhibitory neuron ( $\mu^-$ ), the average value of the PSP produced by an excitatory neuron ( $K^+$ ), the value of the PSP produced by an inhibitory neuron ( $K^-$ ), and the minimum numbers of EPSPs required to trigger a neuron in the absence of inhibitory inputs ( $\eta$ ). This quantity is defined as

$$\eta = f(\theta/K^+)$$

where the function  $f(\theta/K^+)$  is defined as the smallest integer which is equal to or greater than  $(\theta/K^+)$ .

Fig. 1 shows a series of curves of  $\alpha_{n+1}$  versus  $\alpha_n$  for an isolated net with a Poisson connectivity law and for various values of  $\eta$ .

In this figure three different modes of behaviour can be distinguished. These are labelled class A, B, and C. The curve corresponding to a threshold  $\eta = 1$  characterizes a class A net. It has the property that for low activity  $\alpha_n$ , the subsequent activity  $\alpha_{n+1}$  will always be larger than  $\alpha_n$ .

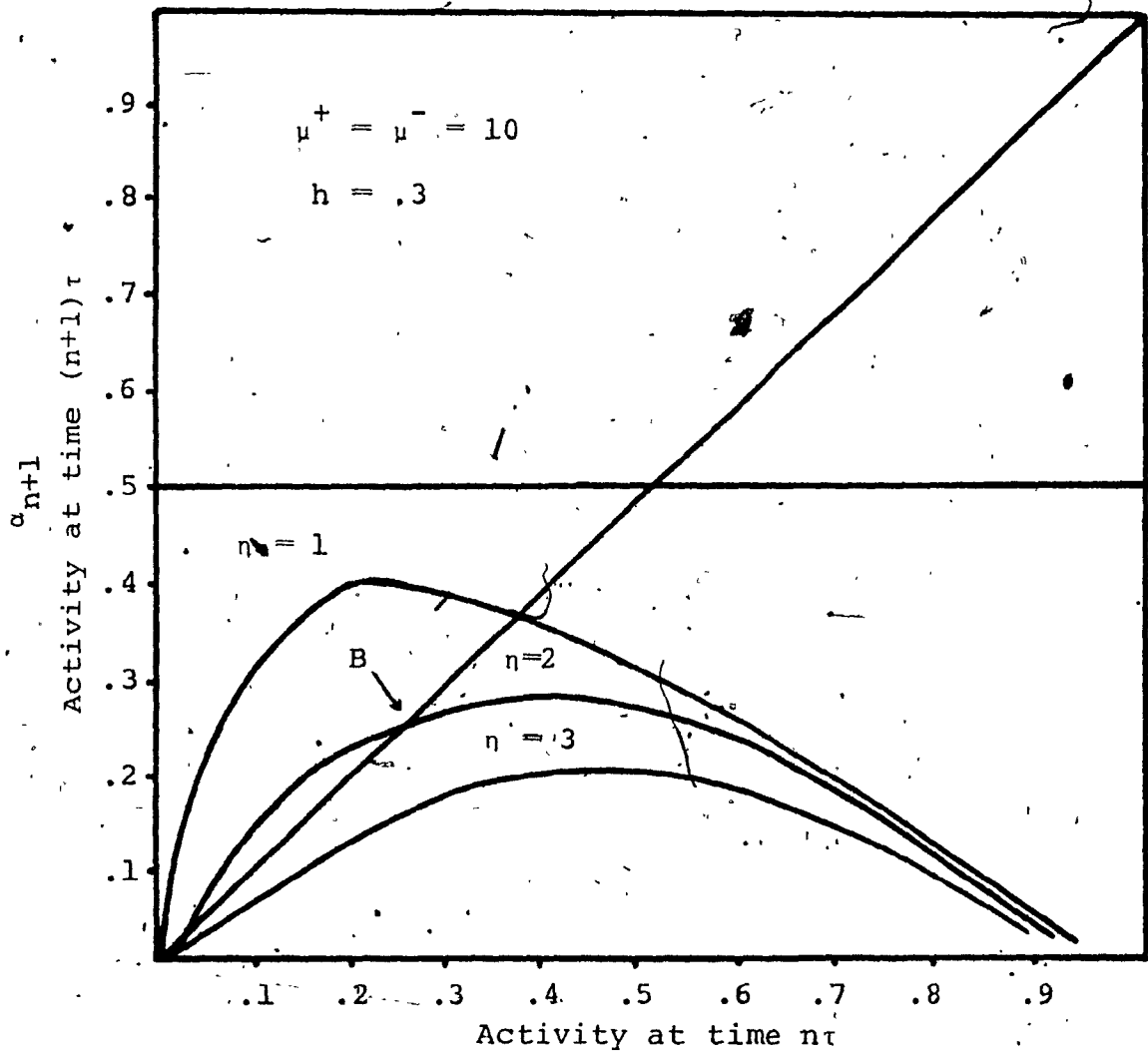


Fig. 1

up to the point where the curve crosses the  $45^\circ$  line (Harth et al, 1970). These nets can produce sustained activity because of their instability to small fluctuations for any value of the activity  $\alpha_n$  in the region:

$$0 < \alpha_n < \alpha_B$$

A Class B net is defined as one in which there exists a threshold for being triggered into sustained activity. The curve  $n = 2$  in Fig. 1 belongs in this category. It lies partly below the  $45^\circ$  line and partly above it. If the initial activity is below this threshold, then the subsequent activity will decay toward zero. However, when the initial activity is above the threshold level, the activity will be sustained.

The third curve in Fig. 1 is an example of Class C nets. These nets lie wholly below the  $45^\circ$  line, hence they are incapable of maintaining any form of sustained activity.

In this study we will consider Class A nets connected according to the Poisson distribution law.

### C. Computer Simulation of Neural Nets

In this section we are going to point out the main features of the digital computer program used in this study for simulating neural networks.

The main program consists of two overlays. The first overlay is used to create the non-vanishing elements

of the connectivity matrix  $\{K_{ij}\}$ . This is done by first specifying the total number of neurons in the net  $A$ , the fraction of inhibitory neurons in the net  $h$ , the minimum and maximum number of the outgoing connections for each excitatory neuron  $\mu_{\min}^+$  and  $\mu_{\max}^+$  respectively, and the minimum and maximum number of the outgoing connections for each inhibitory neuron  $\mu_{\min}^-$  and  $\mu_{\max}^-$  respectively. The specific neurons which will be inhibitory are determined by randomly selecting the appropriate number of neurons consistent with  $h$ . This information is stored and later, when the value of the coupling coefficients  $K$  is determined for a given connection, a negative sign is assigned to  $K$  whenever the connection originates from an inhibitory neuron.

The second step is to create the non-vanishing elements of the connectivity matrix,  $\{K_{ij}\}$  which defines the connections between the individual elements. To do this, each non-zero element of the connectivity matrix is determined by three values: the number of the neuron from which the connection originates  $j$ , the number of the neuron on which the connection terminates  $i$ , and the value of the coupling coefficient  $K$ . This coupling coefficient  $K$  can be either positive or negative depending on whether the neuron is excitatory or inhibitory, respectively. The interconnection of the neurons in the net is accomplished by taking the neurons sequentially one by one (from  $j_1$  to  $j_A$ ) and

randomly finding a terminal neuron (between  $i_1$  and  $i_A$ ) for each of its outgoing connections. When the process of interconnection is completed, the values of  $i$ ,  $j$ , and  $K$ , and its sign are all stored in the computer as an array called KORK array.

In establishing the pattern of connection, the specific neurons that are inhibitory, and the number of excitatory and inhibitory connections originating from each neuron, extensive use is made of a random number generator "RANF" available in the CDC 6000 computer subroutine package at Sir George Williams University. The "RANF" subroutine generates a uniform distribution of random numbers between 0 and 1. A number selected by the user must be used as a first entry. This number determines the specific sequence of random numbers obtained from the subroutine. The number selected as a first entry together with the number of inhibitory neurons  $h$ , and the average number of outgoing excitatory and inhibitory connections  $\mu^+$  and  $\mu^-$  determine the microscopic structure of the net. Changing any one of them will change the microscopic structure of a given net. Therefore, by using different initial numbers for the "RANF" subroutine, the detailed microscopic structure of the net can be modified without altering the statistical parameters  $\mu^+$ ,  $\mu^-$ ,  $h$ ,  $K$ , and  $\eta$ . This feature of the program will be used to determine the effect of the specific microscopic net structure on the behaviour of the net.

The second overlay is used for simulating a neural network. The simulation starts by specifying the number of neurons which fire at  $\tau = 0$ . The neurons connected to these initially active neurons can be found from the KORK array formed by the first overlay. Those neurons which are connected to the initially active neurons receive excitatory or inhibitory inputs depending on their incoming connections. The algebraic sum of the coupling coefficients characterizing the active incoming connections represents the level of excitation in any one of these neurons. This information is stored by the program in an array called STATE. Whenever the sum exceeds the threshold, the neuron fires and after one synaptic delay it becomes the source of excitation or inhibition for all the neurons which are connected to it. If the sum of the coupling coefficients of the active connections is less than the threshold, then the neuron will not fire and all the active incoming connections return to their initial values one synaptic delay later. Therefore, excitation and inhibition last for one synaptic delay and disappear immediately thereafter.

The sum of the coupling coefficients of all the incoming connections to a neuron and its threshold  $\theta$ , determines whether it will fire or not. The total value of the PSP arriving at a neuron can be represented by:



$$\sum_{j=1}^n k_j x_j$$

where  $k_j$  represents the value of the coupling coefficient between the  $j$ th axon branch and the neuron receiving the excitation.  $k_j$  can take any value between two limits  $K_{\min}^+$  and  $K_{\max}^+$  for excitatory neurons and  $K_{\min}^-$  and  $K_{\max}^-$  for inhibitory neurons, or can be fixed at one value.  $x_j$  is a binary number that can be either 1 or 0 depending on whether or not the  $j$ th axon is active.

If

$$\sum_{j=1}^n k_j x_j - \theta \geq 0$$

then the neuron fires, i.e. its  $x$  will be equal to 1 and it will send out a signal which can be either excitatory or inhibitory, depending on its coupling coefficient  $k$ .

The McCulloch-Pitts neuron model (1943) is similar to our model with the exception that the coupling coefficient in their model was always fixed at a constant level, whereas our model allows for the variation of the coupling coefficient between any two limits specified by the user.

The fact that a neuron fired in a particular firing cycle is recorded in an array called the FIRE array in

which the elements could assume a value of 1 if the neuron fired or 0 if it did not fire. The number of the neurons that fired during each firing cycle is counted and stored in an array called RECORD. The successive elements of this array contain the neural activity in successive firing cycles. The instantaneous sum of the PSP's of all the cells in the net (the gross electroencephalogram of the net, EEG) is also stored after each firing cycle.

When a neuron fires, its threshold is raised to a maximum value (32000) and is then increased by 1 in each firing cycle until the number of the synaptic delays elapsed since the neuron fired is equal to the absolute refractory period specified by the user. During this period, the neuron can receive excitation but cannot fire due to its high threshold. Following this period, the neuron returns to its normal threshold and once more becomes capable of firing provided that the sum of the coupling coefficients is equal to or greater than its normal threshold.

The second overlay can also treat external inputs delivered at different time intervals for the study of the effect of evoked potentials on the behaviour of the net by specifying the number of active connections incident upon the net through a bundle of afferent fibers. Upon entering the net, each of these afferent fibers branches and makes

excitatory synaptic connections with  $\mu_0^+$  different neurons if it comes from an external excitatory neuron or makes inhibitory connections with  $\mu_0^-$  neurons when it comes from an external inhibitory neuron. The fraction of afferent fibers discharging at any time is denoted by  $\sigma^+$  and  $\sigma^-$  for excitatory and inhibitory neurons respectively and the total number of active fibers is given by  $\Lambda_0 \sigma \mu_0$ , where  $\Lambda_0$  is the total number of the incident fibers. The afferent fibers make random connections with the neurons in the net. The coupling coefficients of those neurons that receive outside connections increase by the coupling coefficients specified for the incident connections and if the sum is equal to and exceeds the threshold the neurons fire and then behave in exactly the same manner as if the excitation was coming from within the net.

The digital computer program used in this work is a modified version of a program written at Syracuse University by Mr. L.S. Edgar and members of the computing centre, and was used by Anninos et al (1970), and Harth et al (1970). The original program was written in Fortran with the transfer of the arrays from disk to core and vice versa accomplished with a set of subroutines written in assembler language. The program used in this thesis is entirely written in Fortran language and makes use of overlays to reduce storage requirements. Three new

subroutines were added to the present program in order to compute and plot the EEG histograms and to fit them to the normal distribution curve. "RANDU" subroutine available from the IBM scientific subroutines package was used in the original program for the generation of random numbers. In our program the random numbers are generated with the aid of "RANF" subroutine available to the users of the CDC 6000 computer systems. A listing of the simulation program used in this thesis is given in the Appendix.

1  
3  
CHAPTER IV

COMPUTER SIMULATION RESULTS

In this chapter, we shall present the results obtained by simulating a neural network. Unless otherwise stated, the following parameters were used in all the simulation experiments.

$$\mu_{\min}^- = \mu_{\min}^+ = 1$$

$$\mu_{\max}^- = \mu_{\max}^+ = 5$$

$$K_{ij} = 10$$

$$\theta = 10$$

$$n = 1$$

$$\alpha_0 = 0.1$$

where  $\alpha_0 A$  = total number of neurons firing initially.

Table 1 shows the pattern of the cyclic activity

TABLE 1

## CYCLIC ACTIVITY IN NEURAL NETS

Net	$h$	$\frac{a_1}{a_0}$	Period of Cycle	Total Number of Synaptic Delays Before Cyclic	Initial Random Number
1	.35	1.7	2	17	27
2	.35	1.51	318	143	123456789
3	.4	1.57	16	36	27
4	.4	1.44	-	No cyclic activity	123456789
5	.4	1.17	38	29	194519463
6	.3	1.83	8	15	27
7	.3	1.68	2	31	999977775
8	.3	1.41	2	27	194519463
9	.3	1.59	2	38	187785495
10	.3	1.7	2	22	123456789
11	.35	1.39	8	40	187785495
12	.4	1.43	2	21	999977775
13	.4	1.17	38	29	194519463
14	.4	1.31	24	40	187785495

for a sample of fourteen nets out of a total of 30 different nets considered in this study along with the fraction of inhibitory neurons ( $h$ ) in each, the ratio of the fraction of active neurons at  $\tau = 1$  ( $\alpha_1$ ) to the fraction of active neurons at  $\tau = 0$  ( $\alpha_0$ ), the number of states in each cycle, the period of the cyclic activity in multiples of  $\tau$ , and the number of synaptic delays before the beginning of the cyclic activity. From this table it can be seen that nets with the same statistical parameters but with different initial pseudo-random number generators exhibit different dynamic properties. The dynamic properties can also be altered by simply changing the fraction of the inhibitory neurons ( $h$ ) and keeping the same pseudo-random number generator.

Figs. 2 and 3 show the dependence of the activity  $\alpha_1$  on  $\alpha_0$  for two of the nets considered in this study. The number of neurons firing initially was changed every run, and the resulting activity, one synaptic delay after the initial activity, was observed and plotted against the initial activity. The curves show that these nets belong to Class A nets. All the nets considered in this study showed similar variations with initial activity, although the point where the curves cross the  $45^\circ$  line depended on the connectivity and the statistical parameters of each net.

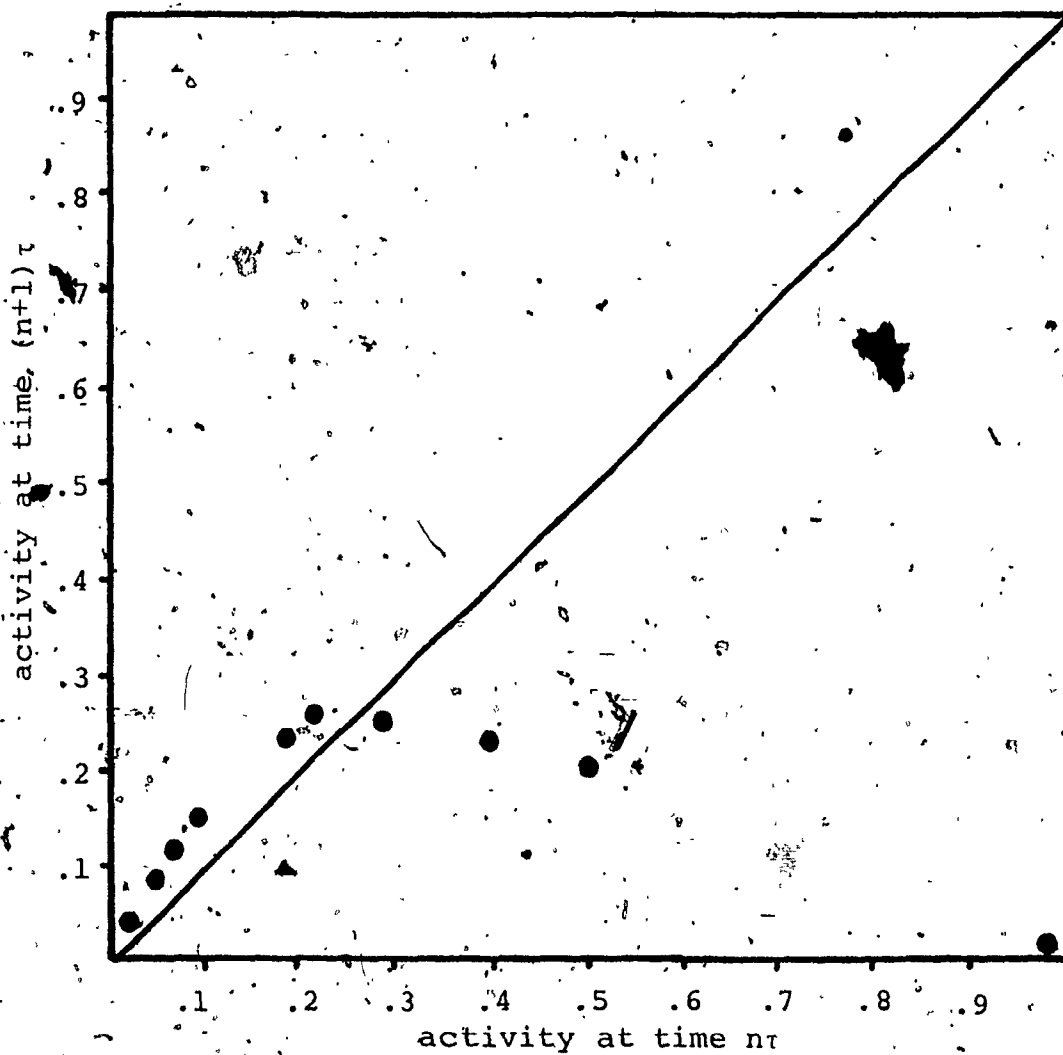


Fig. 2.  $\alpha_1$  vs.  $\alpha_0$  for Net 2



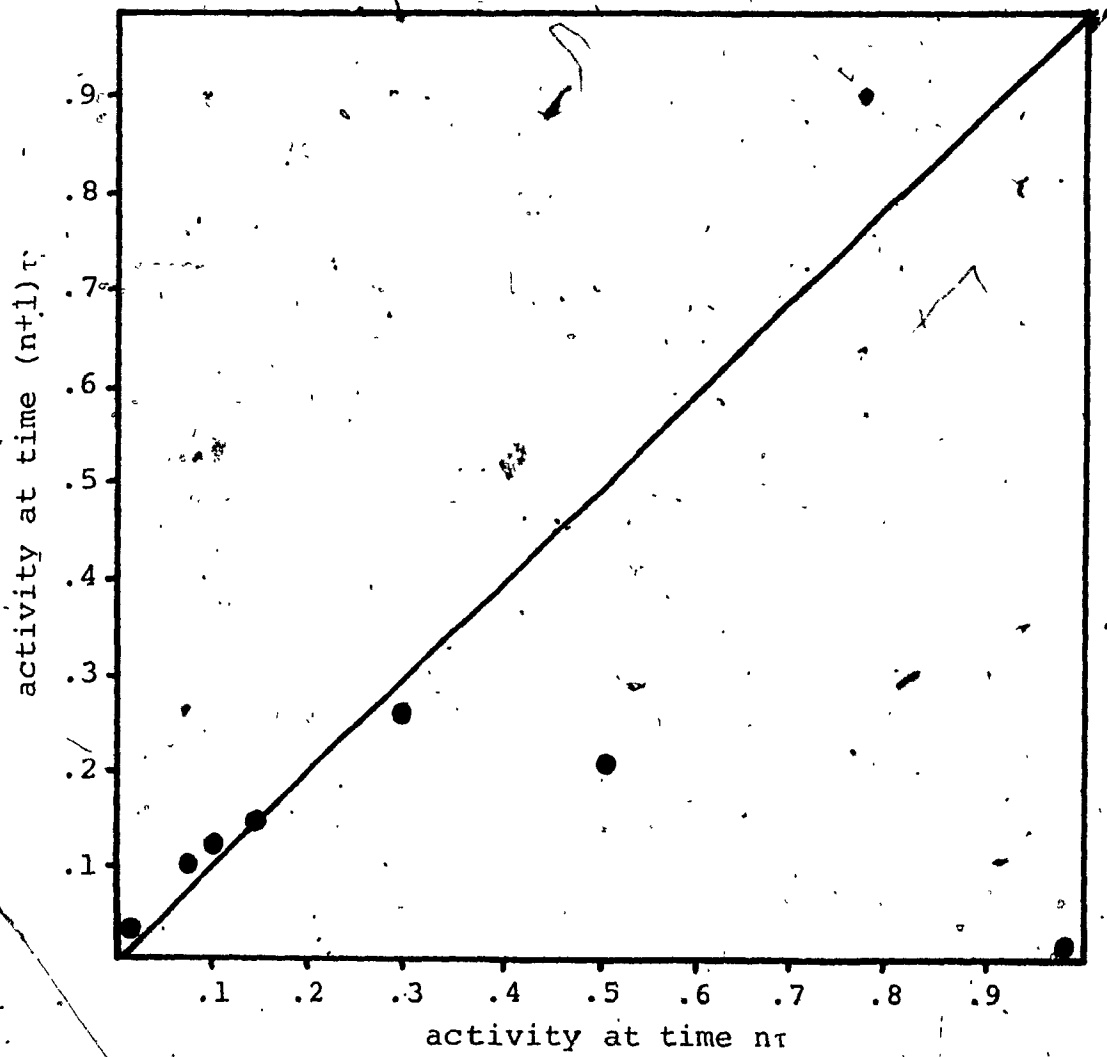


Fig. 3.  $\alpha_1$  vs.  $\alpha_0$  for Net 5

Figs. 4 through 8 show the computer printout of the inhibitory arrays for each of the first five nets of Table 1. In these figures, 0 represents an excitatory neuron, while ● represents an inhibitory neuron. The neurons are arranged sequentially from left to right in 20 rows with 50 neurons in each row. The inhibitory array for each net was formed by randomly selecting a specific number of neurons consistent with the value of the fraction of inhibitory neurons ( $h$ ) given at the start of the simulation run. This was then stored in the inhibitory array. The number of connections originating from each neuron in the net was then computed and the coupling coefficient assigned to them with a negative value given to all connections originating from the inhibitory neurons. The location and sequence of the inhibitory neuron was frozen for the entire run. The sequence and location of the inhibitory neurons within the net can only be changed by changing the number supplied by the operator of the simulation program as a first entry to the random number generator.

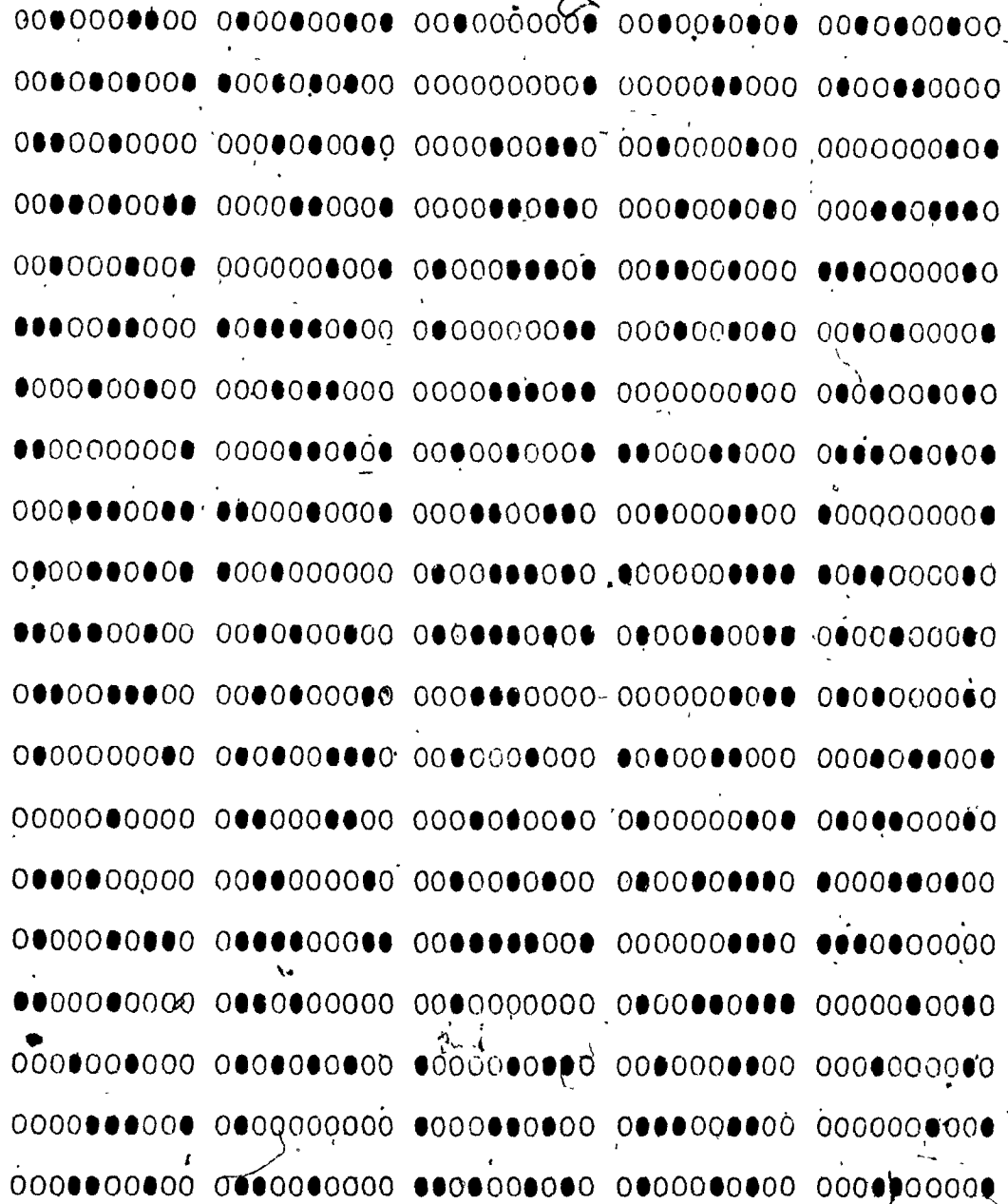


Fig. 4. Inhibitory Array for Net 1

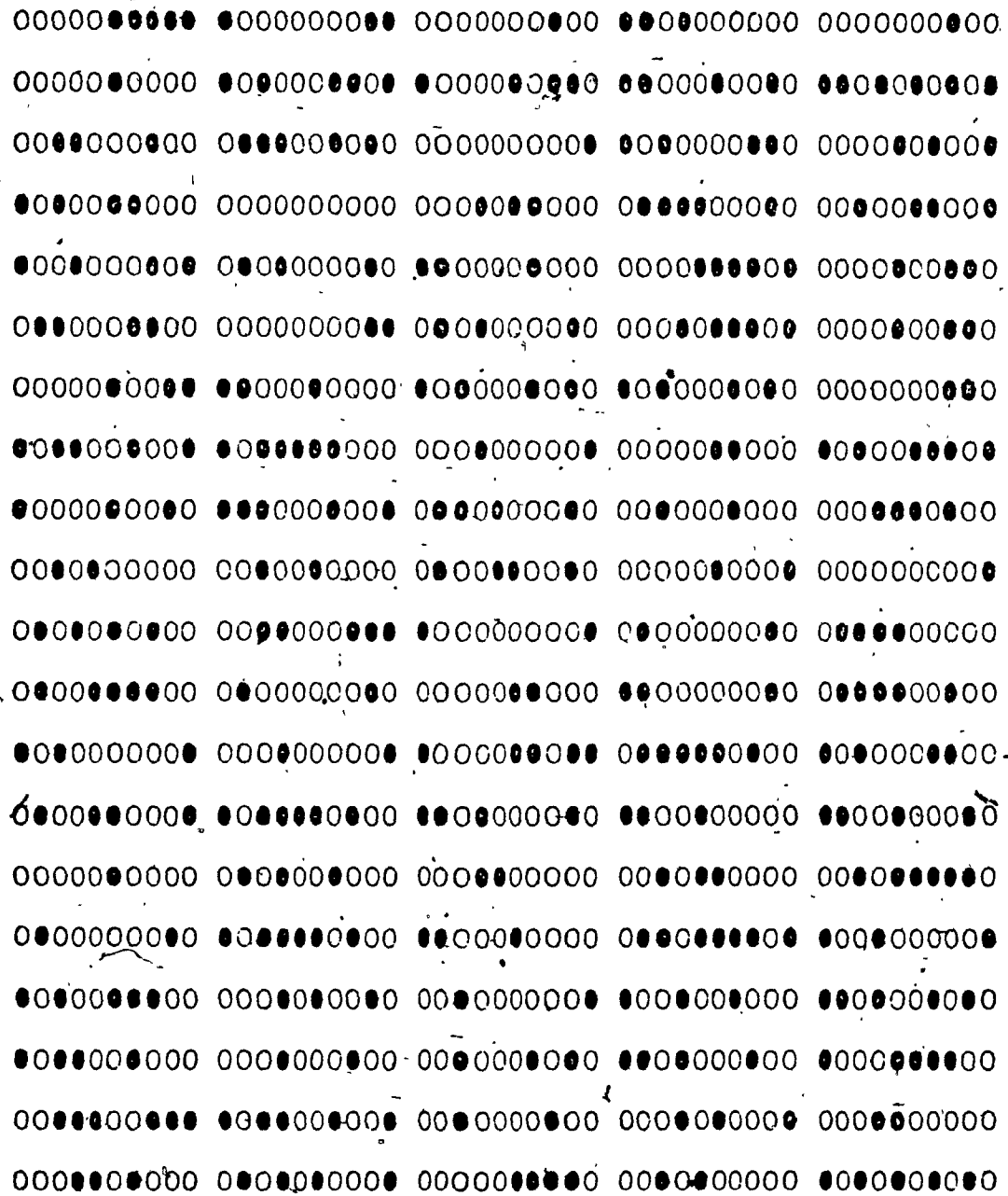


Fig. 5. Inhibitory Array for Net 2

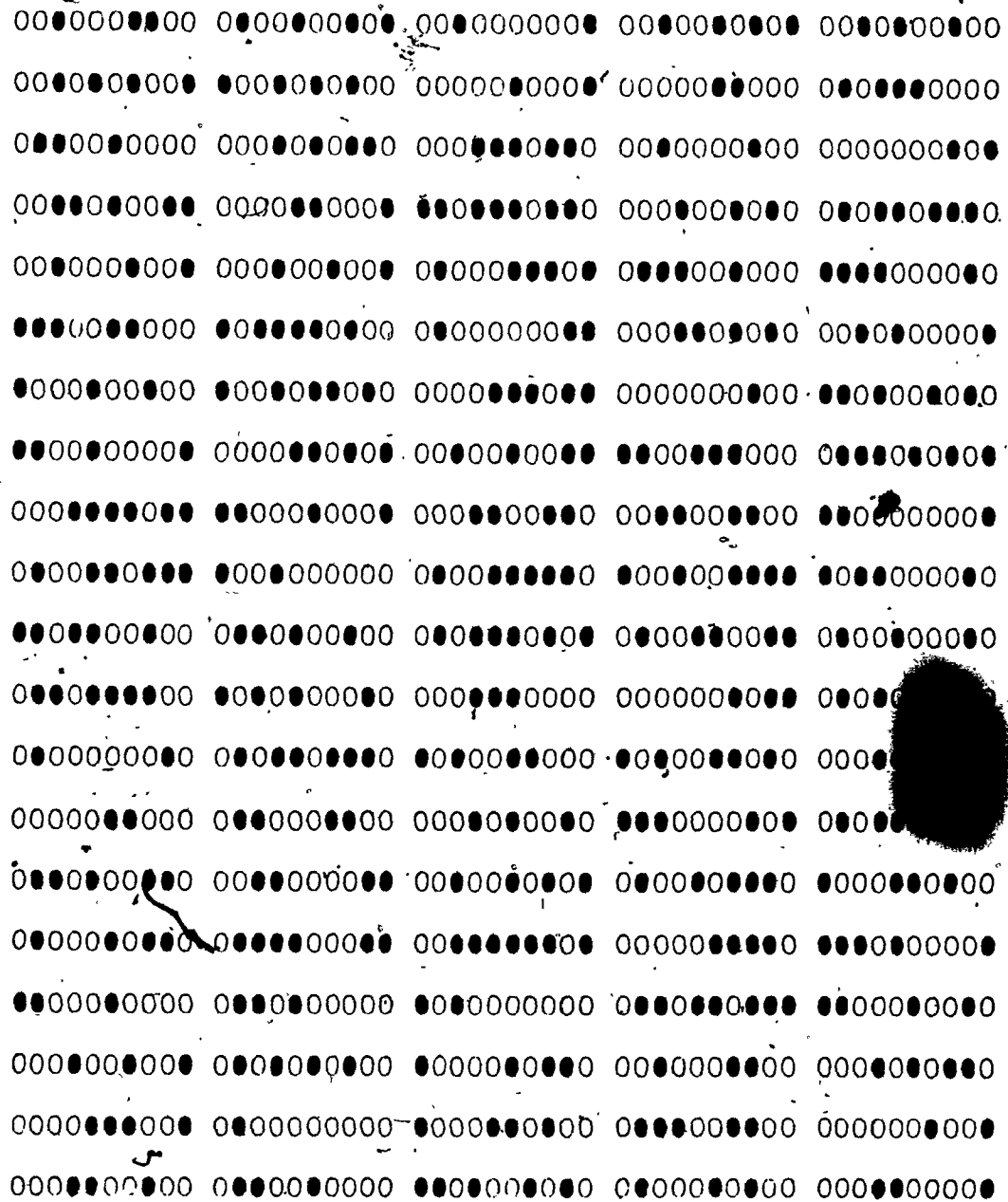


Fig. 6. Inhibitory Array for Net 3

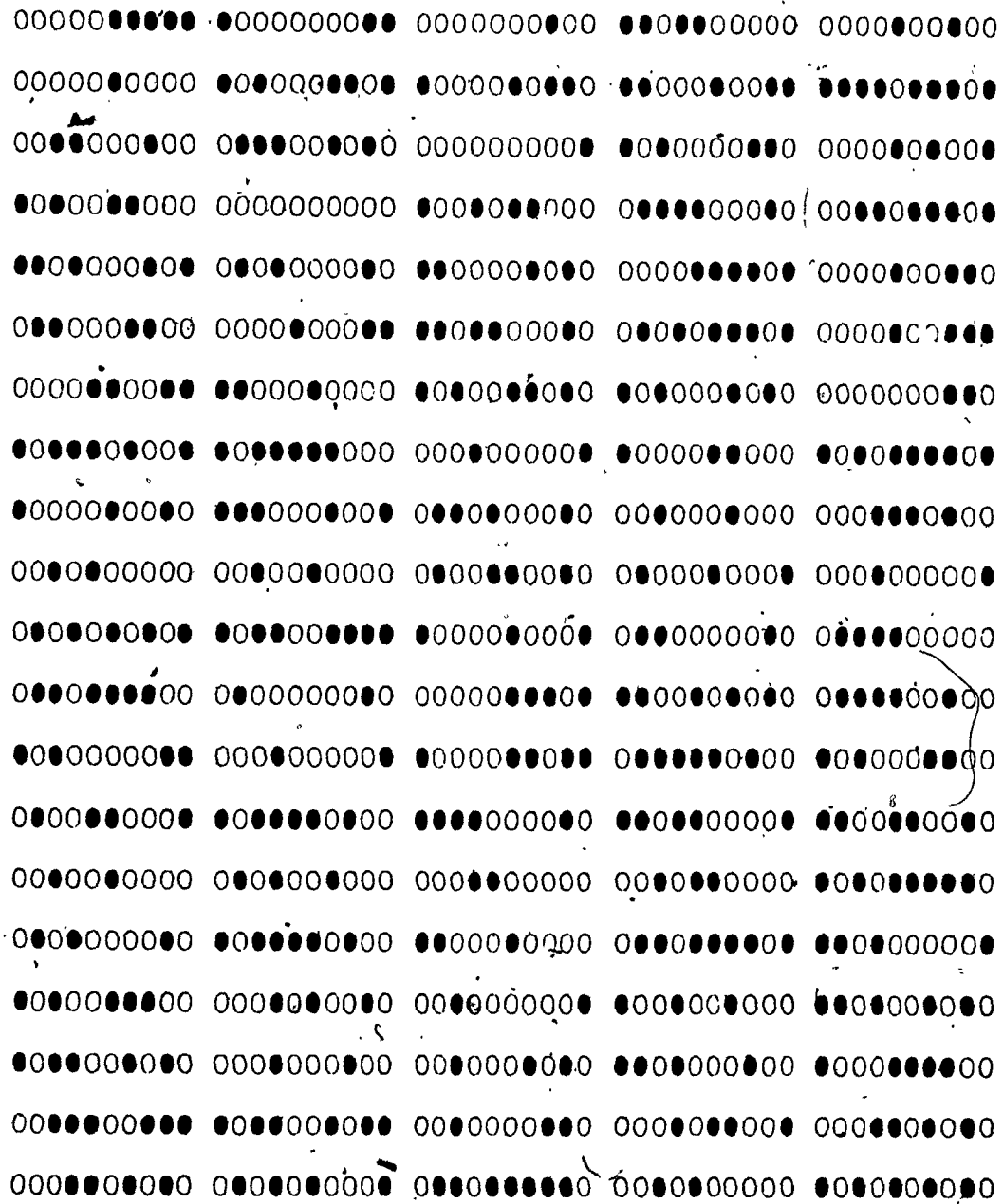


Fig. 7. Inhibitory Array for Net 4

C

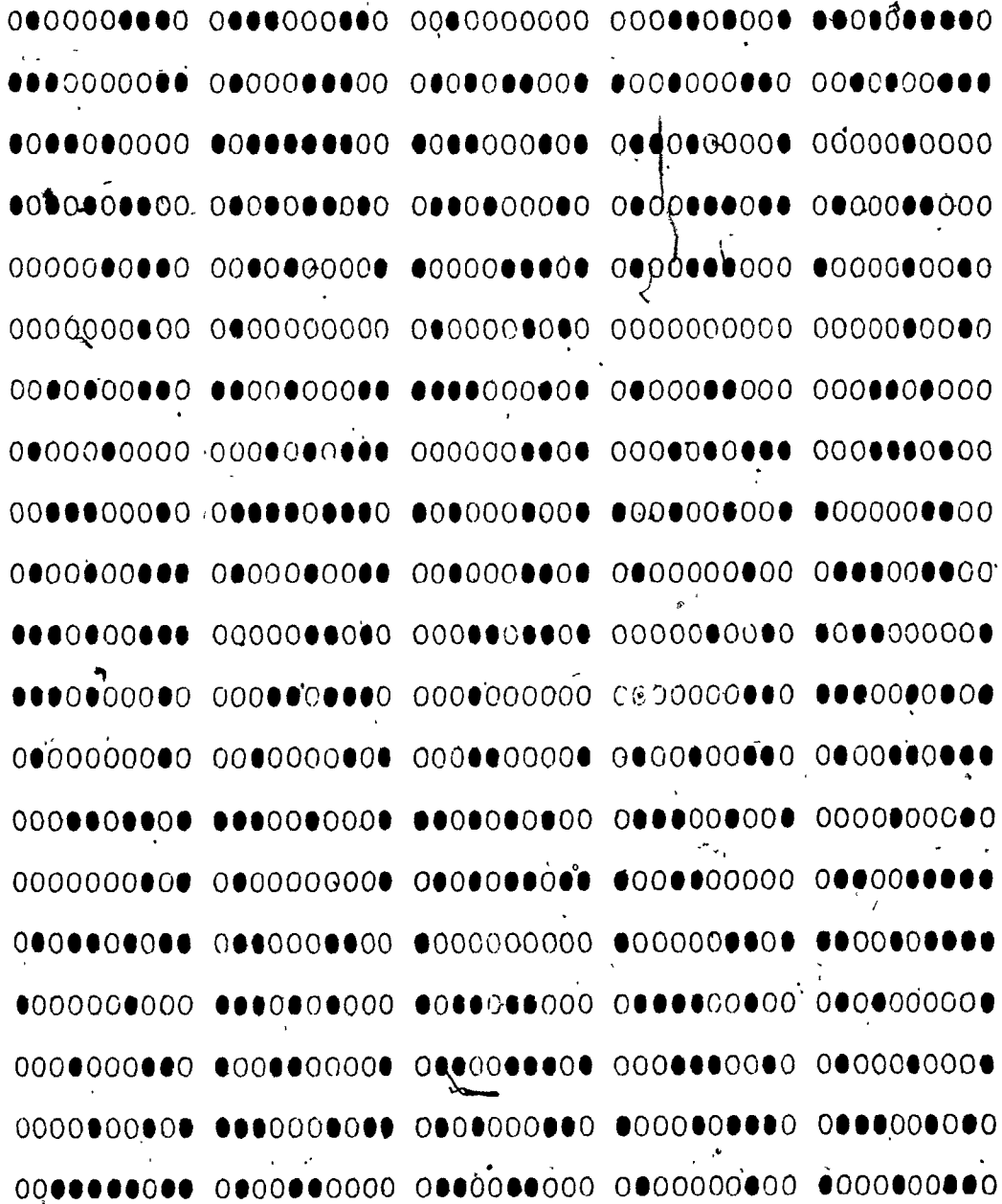


Fig. 8. Inhibitory Array for Net 5

The total number of the excitatory and inhibitory incoming connections and the total number of the inhibitory incoming connections incident on each neuron were printed by the computer from the KORK array with the aid of one of the Fortran subroutines AMINO available for the users of the computer at this University. From this information, the neurons with a specific number of incoming connections were obtained and their frequency distribution calculated. Similarly, the frequency distribution of the total number of inhibitory incoming connections was calculated. A third group of frequency distribution data can be obtained by subtracting the number of the inhibitory incoming connections from the total number of incoming connections for each net. The difference between the two numbers for each neuron represented the total number of excitatory connections incident on each neuron.

The three groups of frequency distribution data are shown graphically in Figs. 9 to 23, inclusive, for each of the five nets listed in table 1. In these figures, the ordinate represents the total number of neurons that have a particular connection. Therefore, the height of the line  $x=1$  represents the number of neurons receiving one connection only. Similarly, the height of the lines above  $x=2$ ,  $x=3$ , etc., represent the total number of neurons receiving two, three, or more connections respectively.



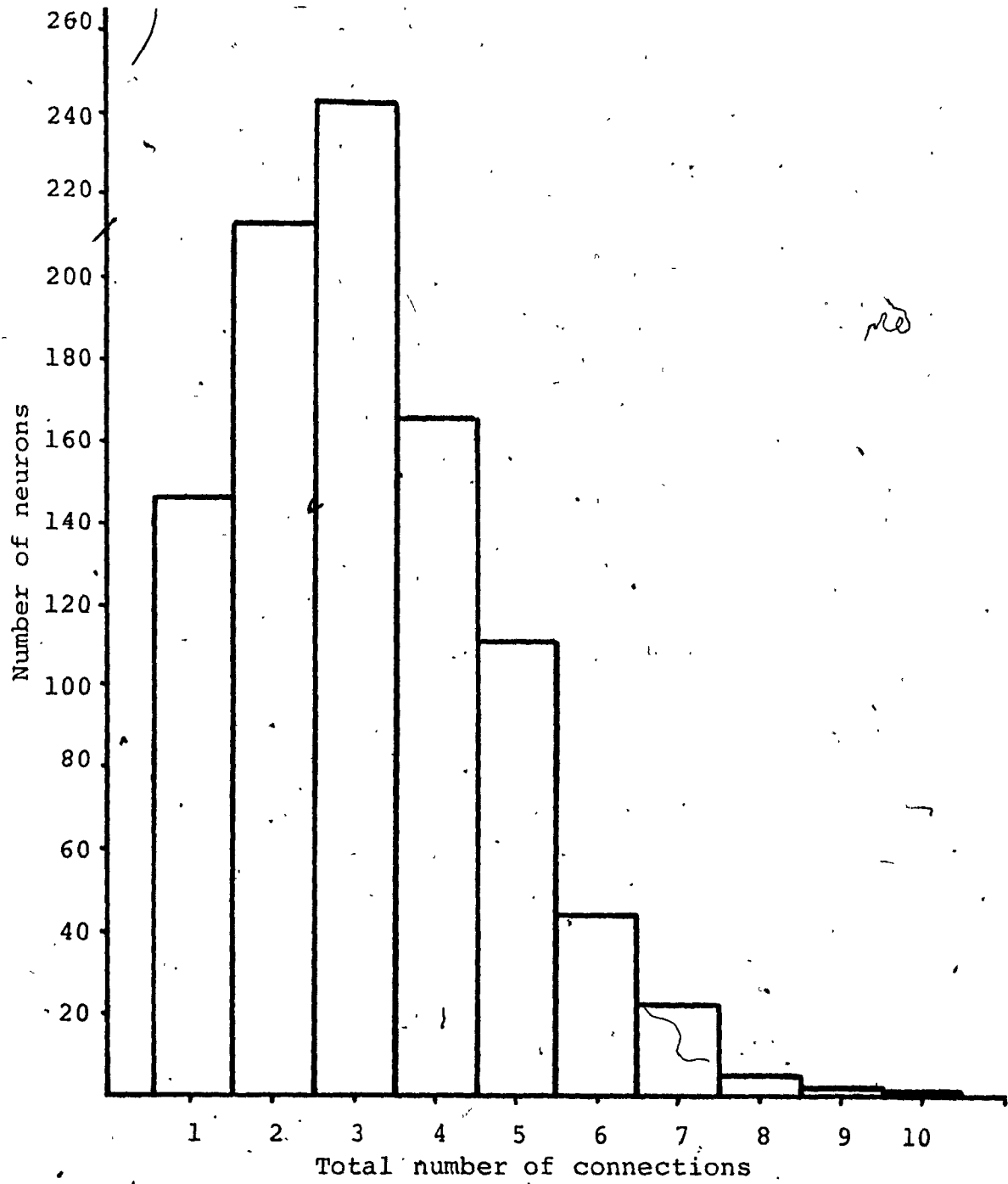


Fig. 9: Total Number of Incoming Connections for Net 1

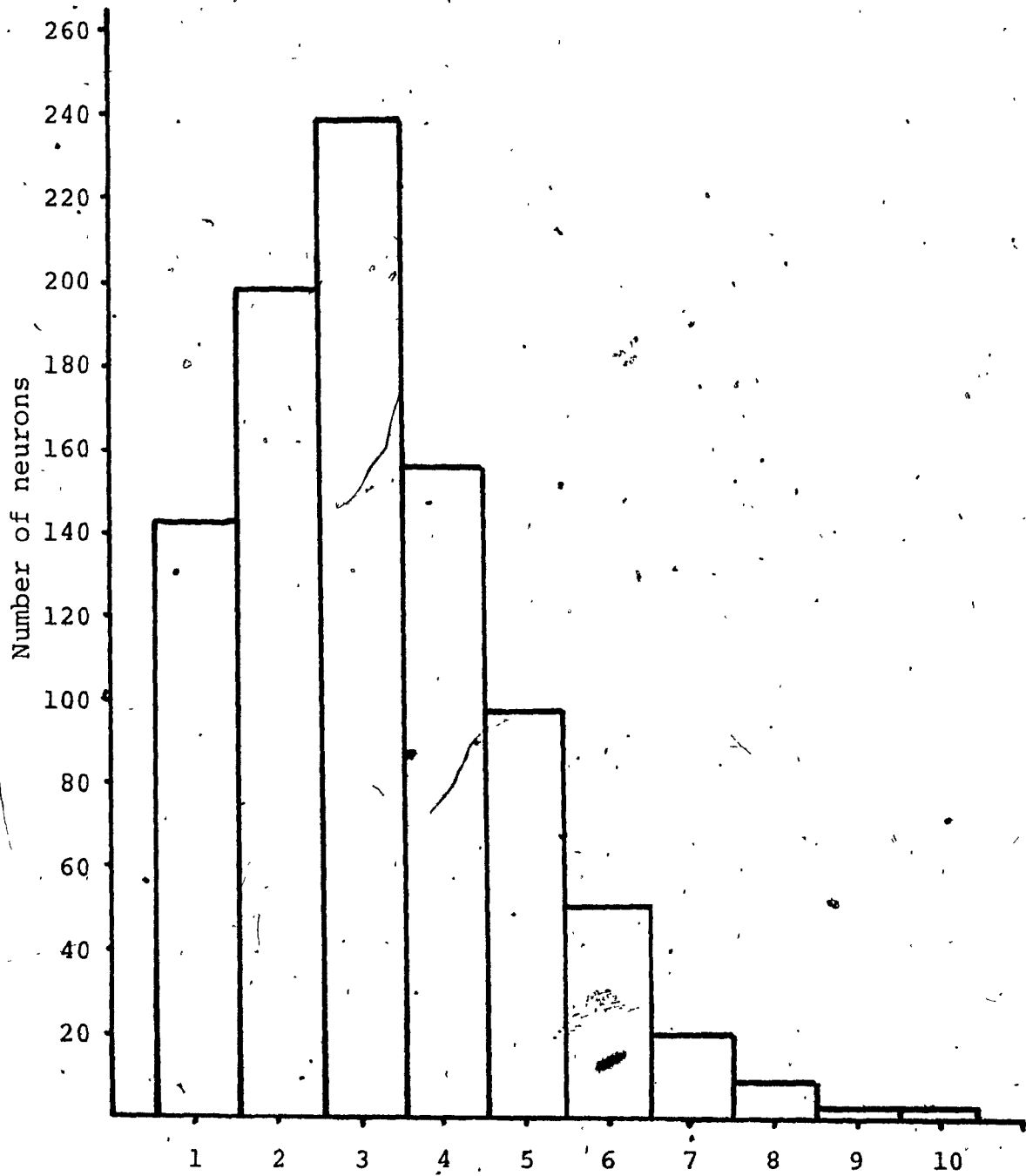


Fig. 10: Total Number of Incoming Connections for Net 2

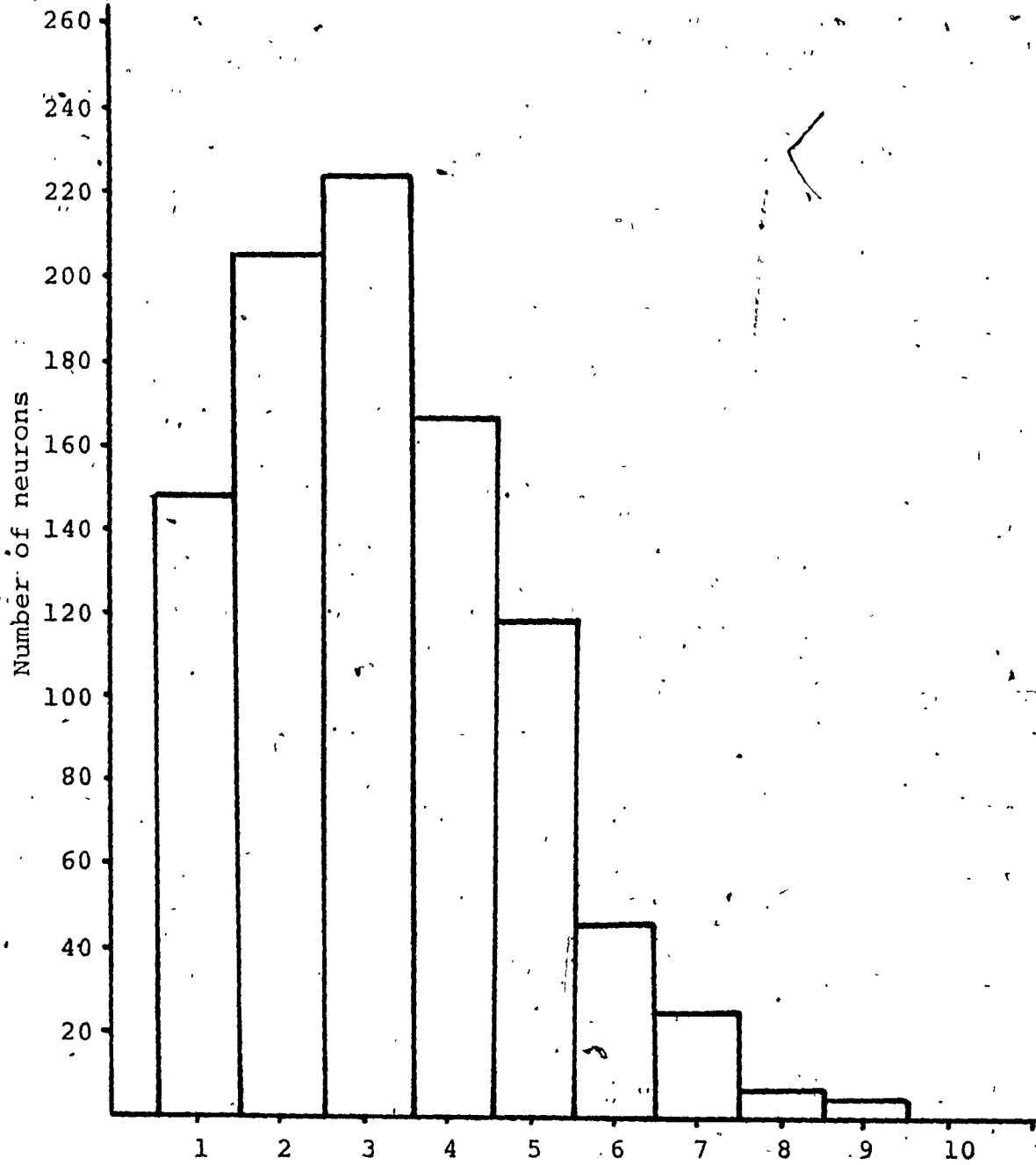


Fig. 11: Total Number of Incoming Connections for Net 3

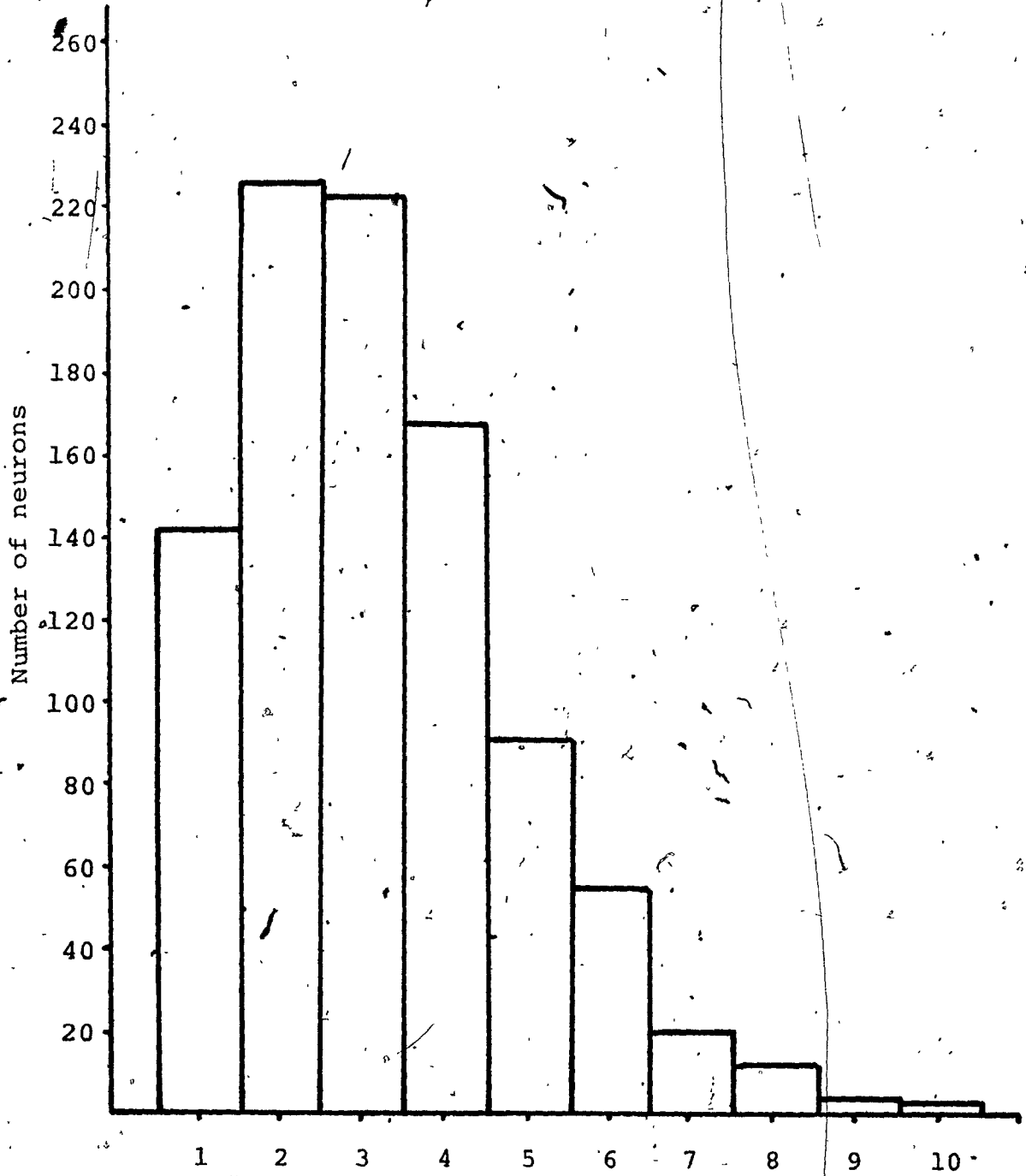


Fig. 12: Total Number of Incoming Connections for Net 4

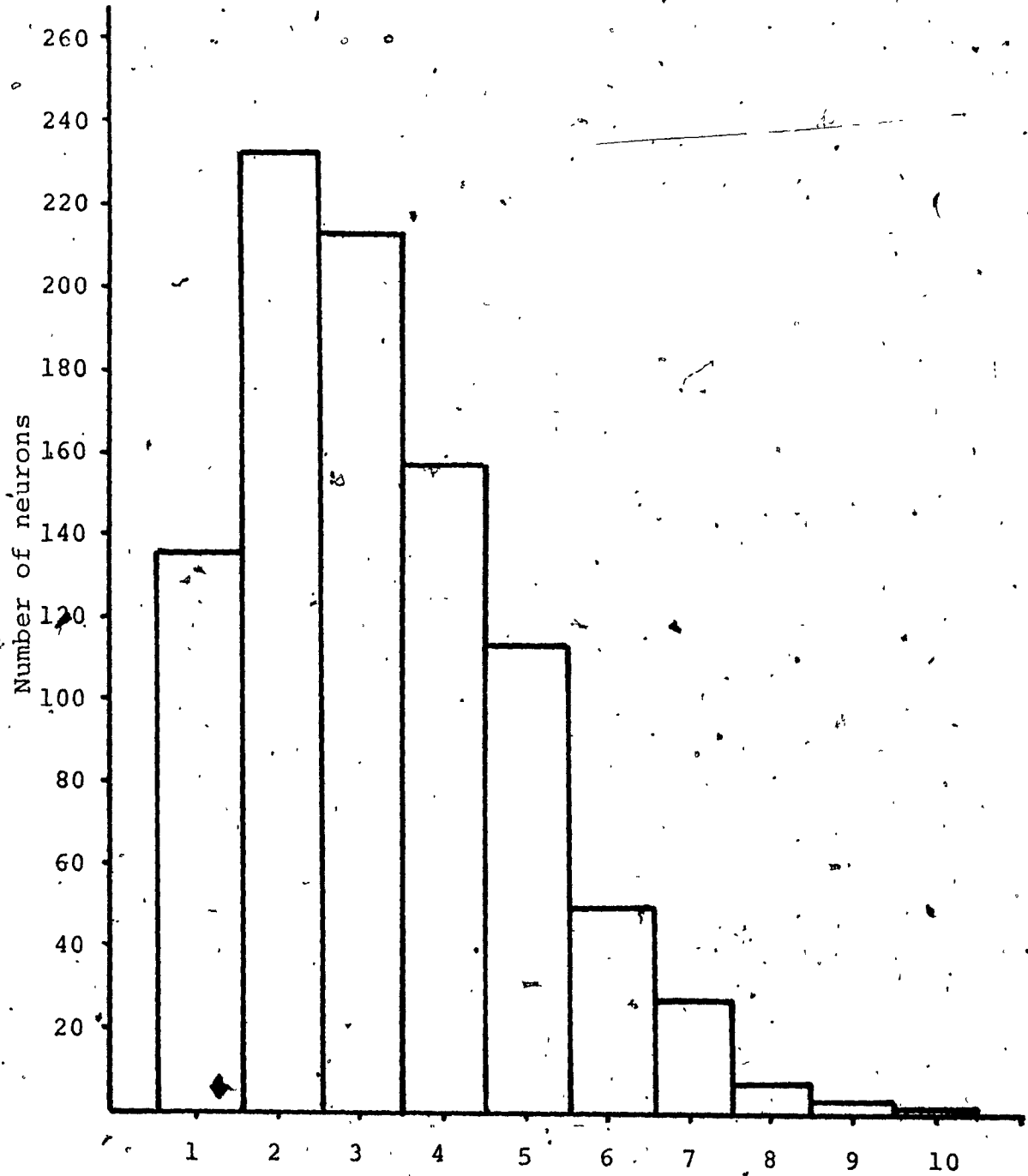


Fig. 13; Total Number of Incoming Connections for Net 5

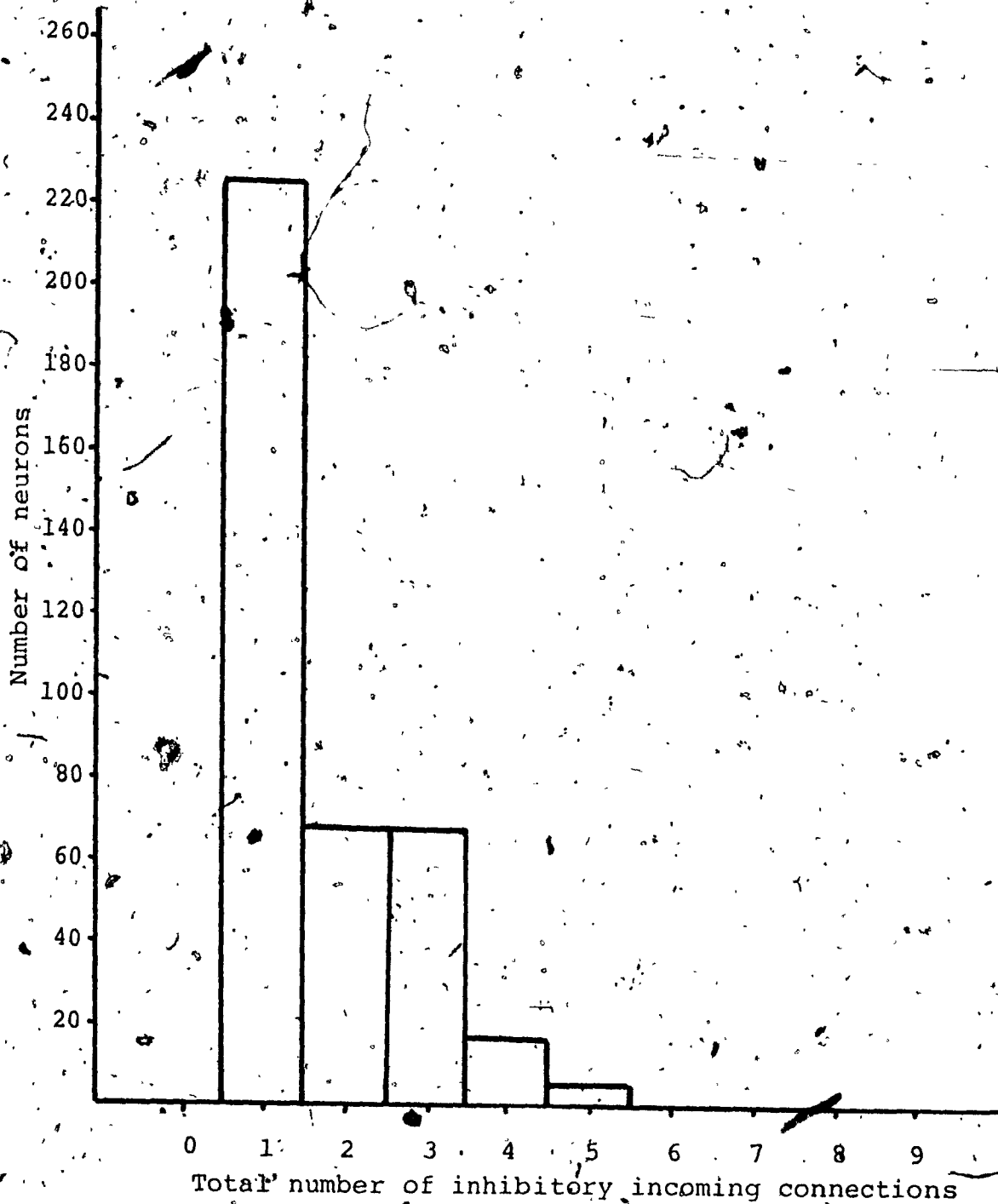


Fig. 14: Total Number of Inhibitory Incoming Connections for Net 1

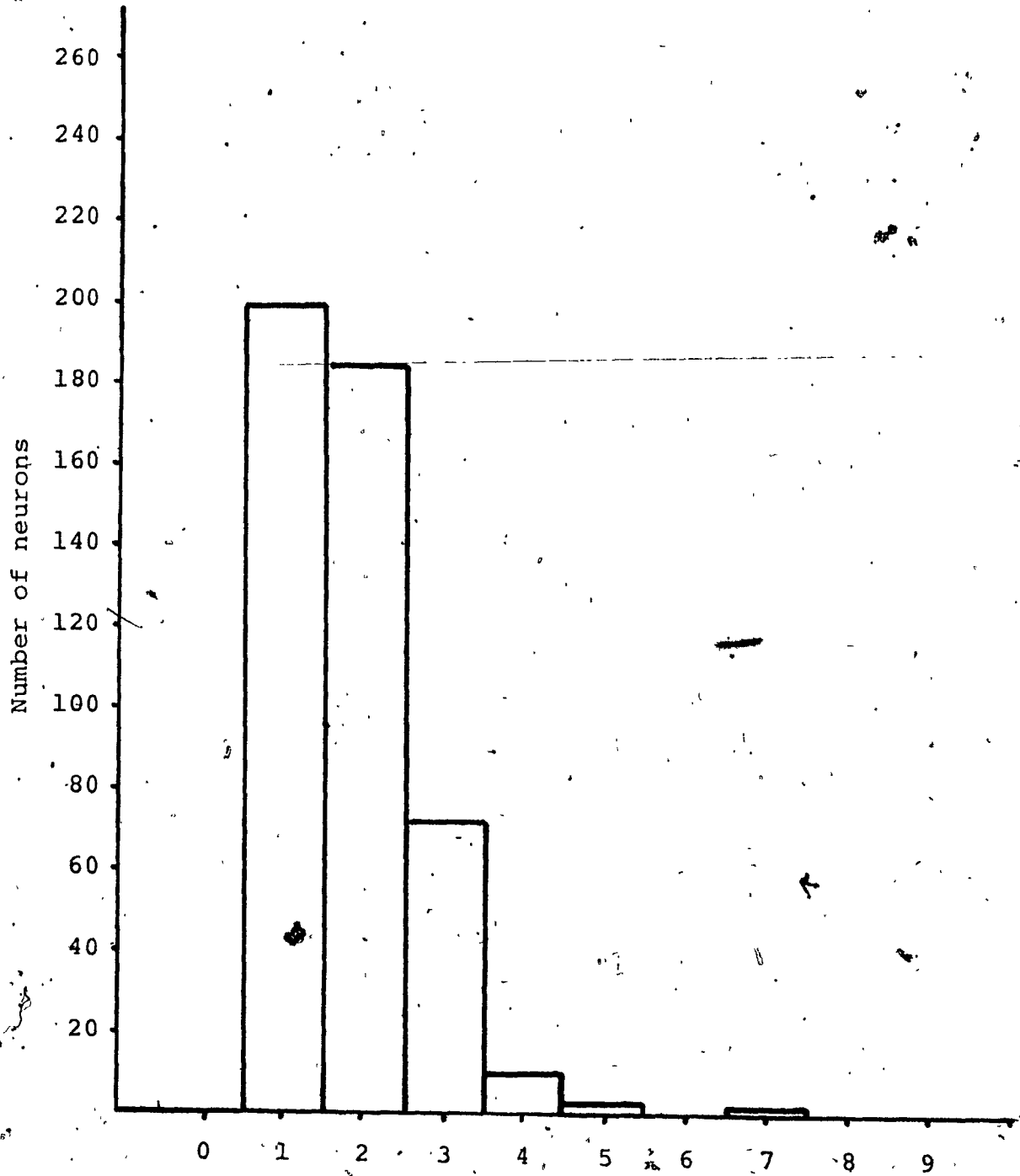


Fig. 15; Total Number of Inhibitory Incoming Connections for Net 2

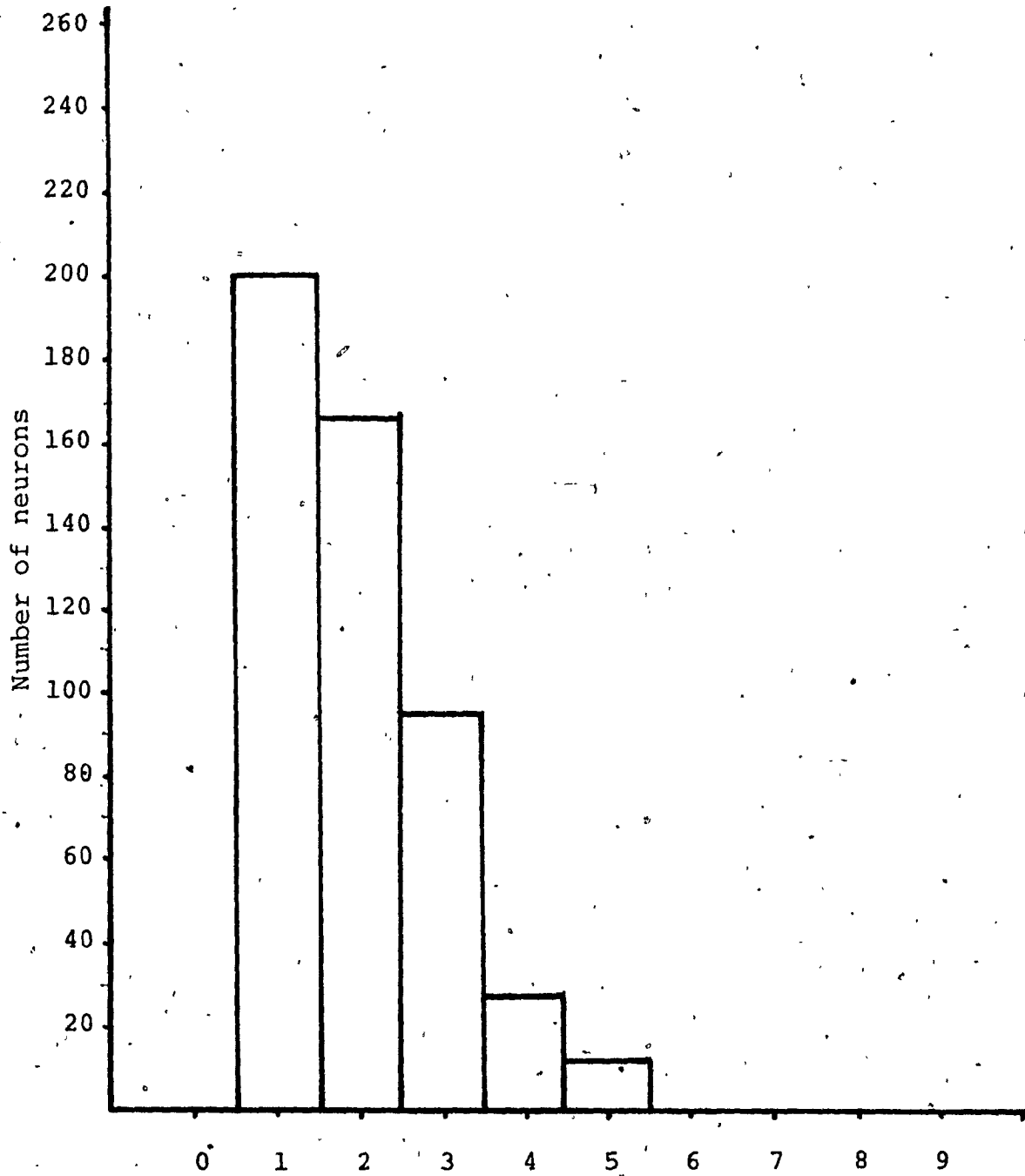


Fig. 16. Total Number of Inhibitory Incoming Connections for Net 3



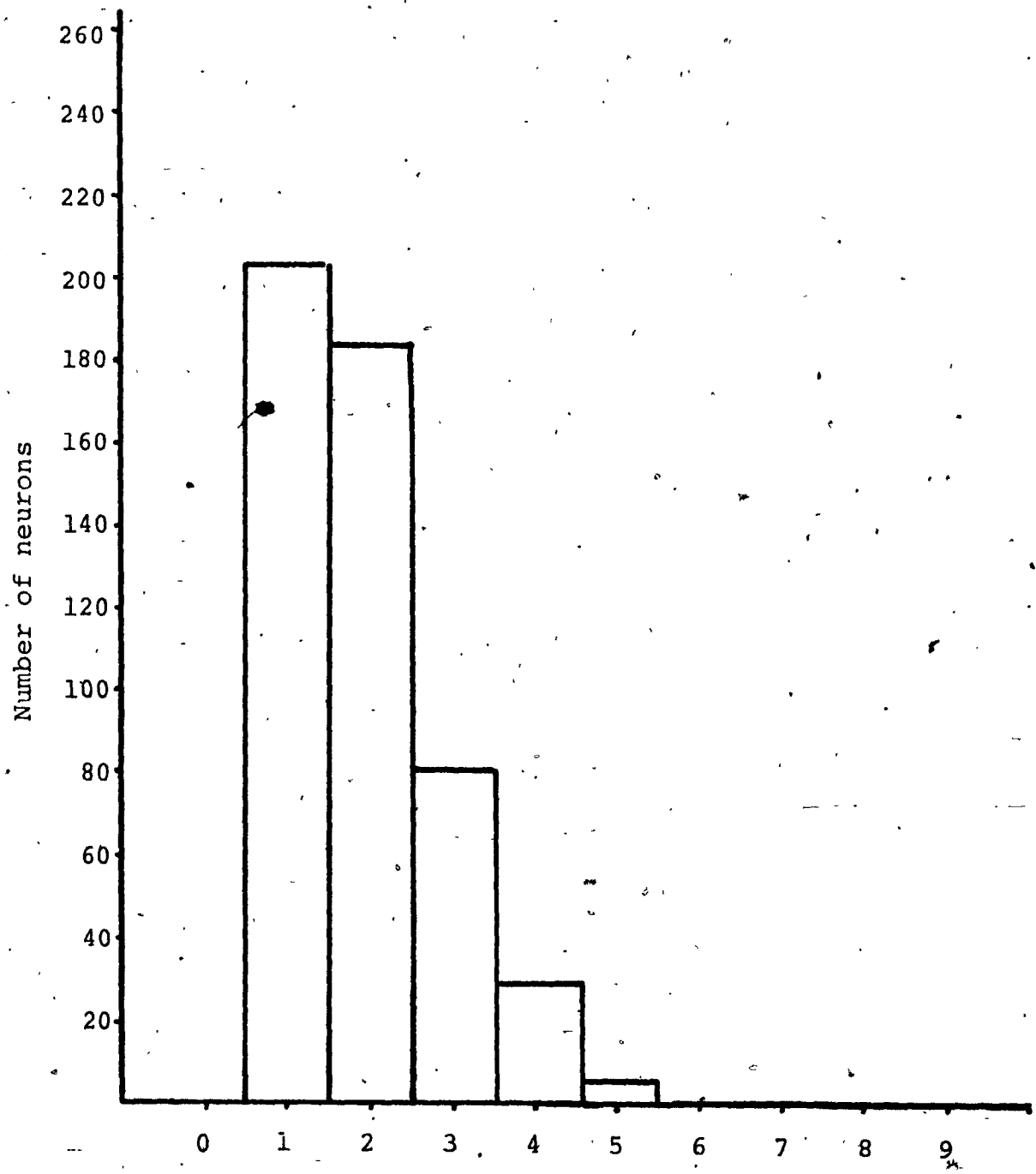


Fig. 17. Total Number of Inhibitory Incoming Connections for Net 4

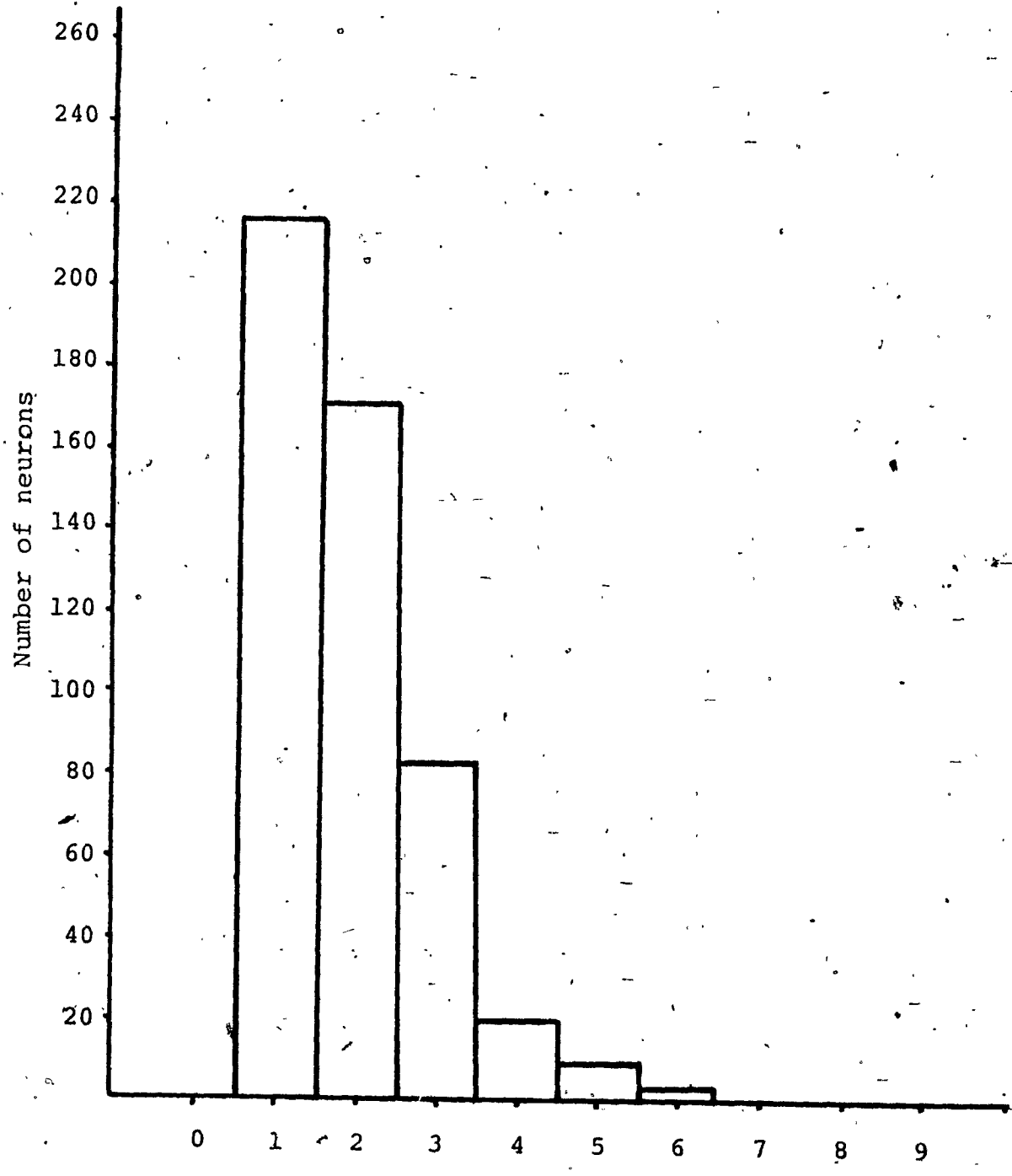


Fig. 18. Total Number of Inhibitory Incoming Connections for Net 5

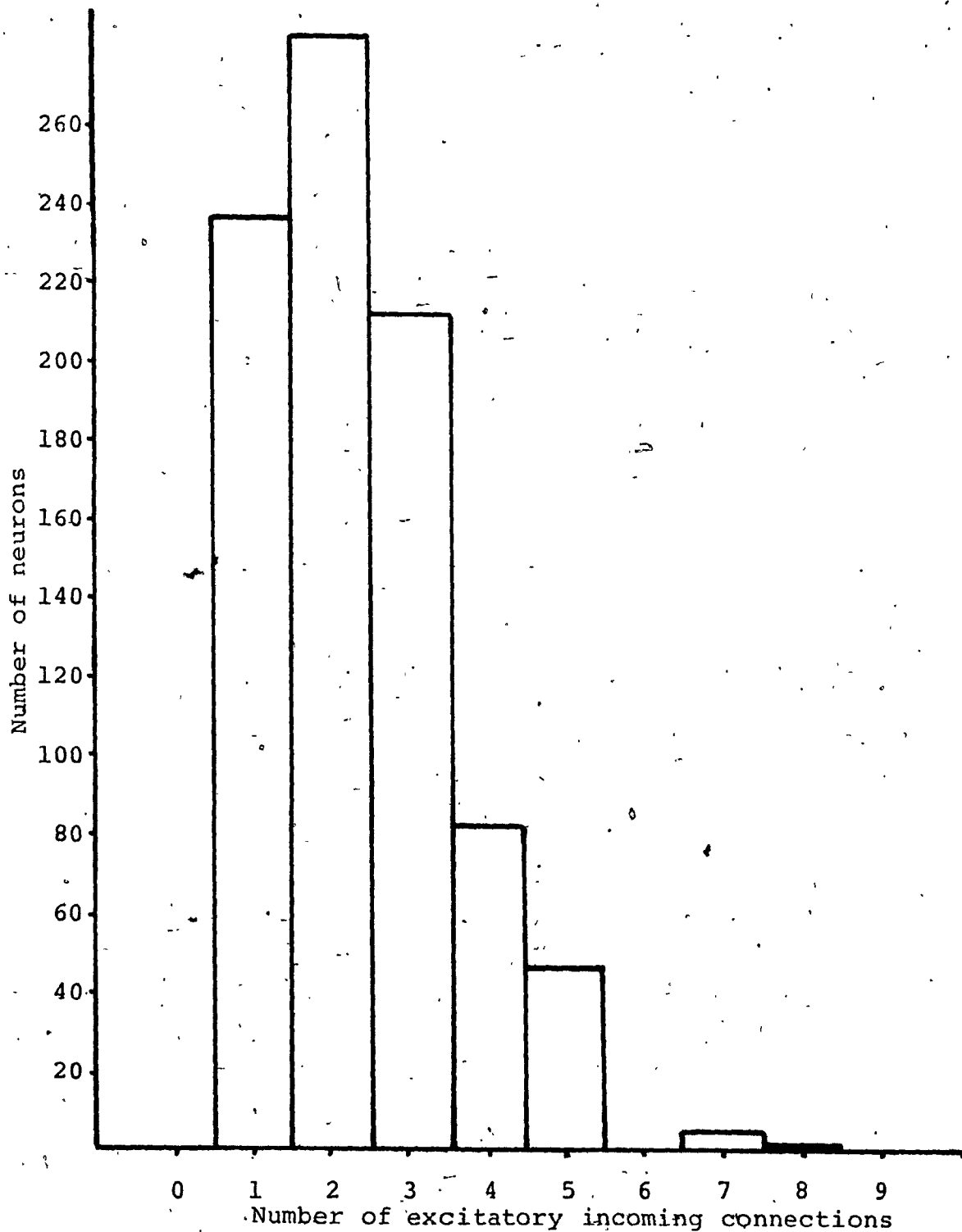


Fig. 19. Total Number of Excitatory Incoming Connections for Net 1

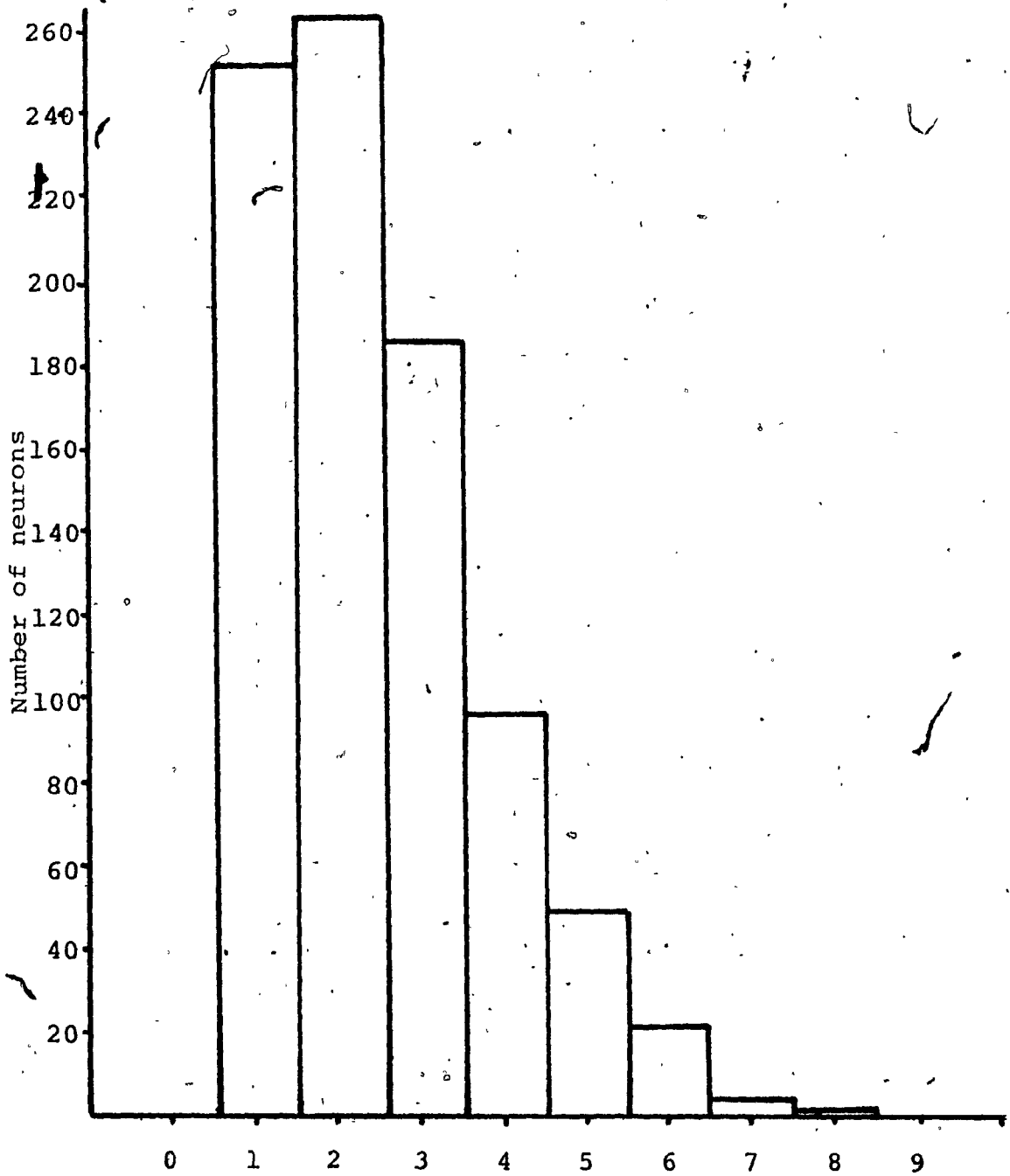


Fig. 20. Total Number of Excitatory Incoming Connections for Net 2

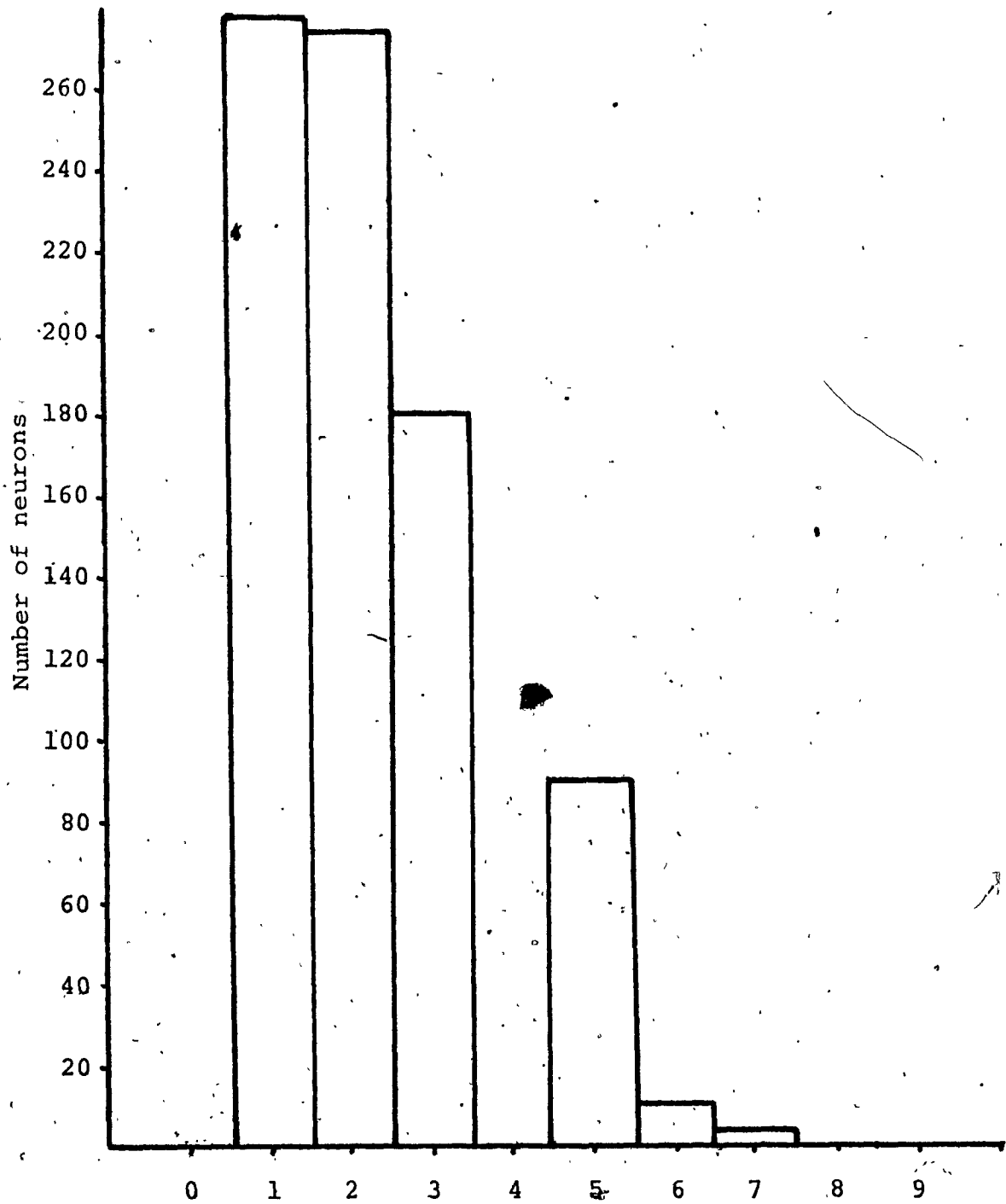


Fig. 21. Total Number of Excitatory Incoming Connections for Net 3

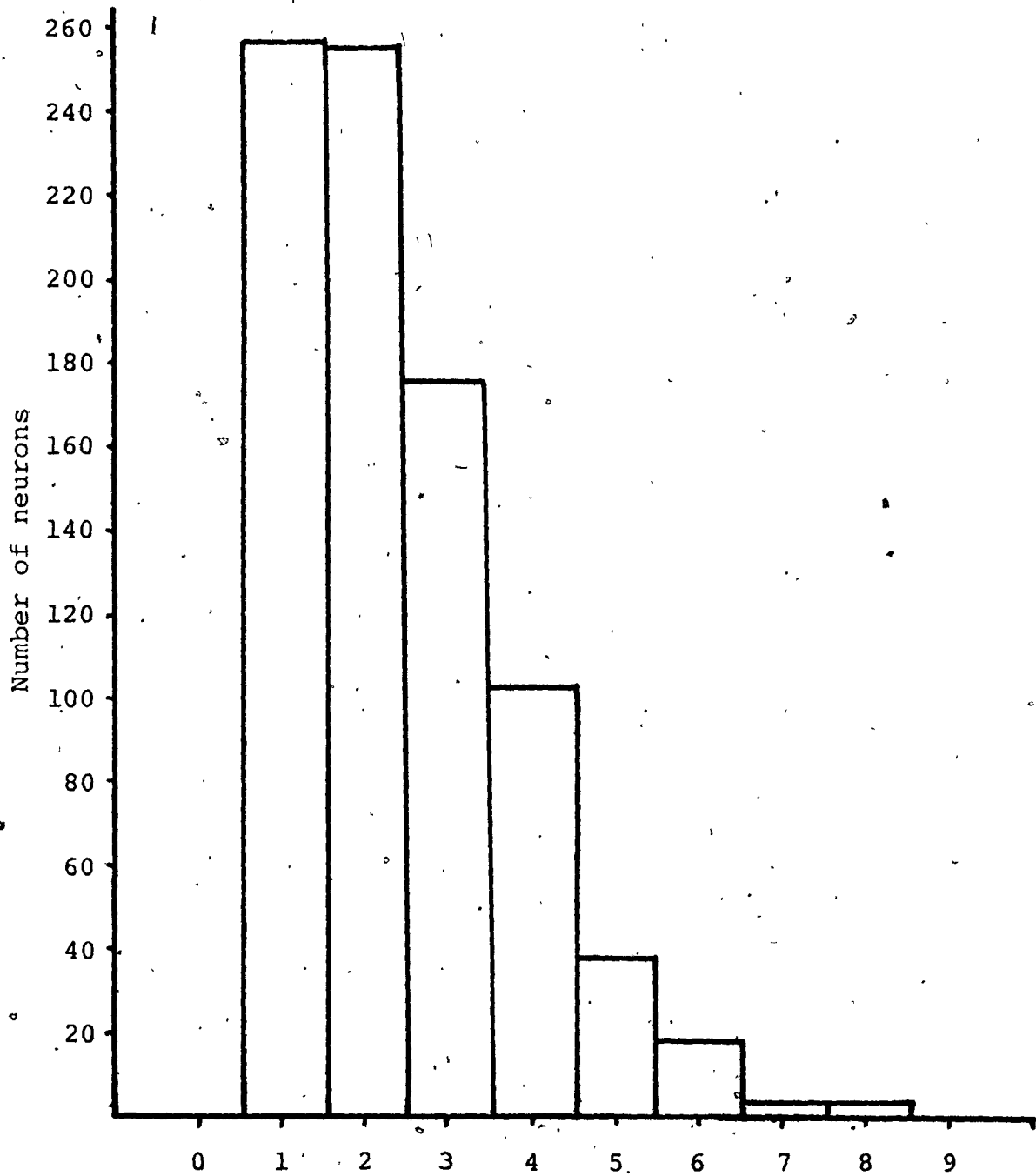


Fig. 22. Total Number of Excitatory Incoming Connections for Net 4

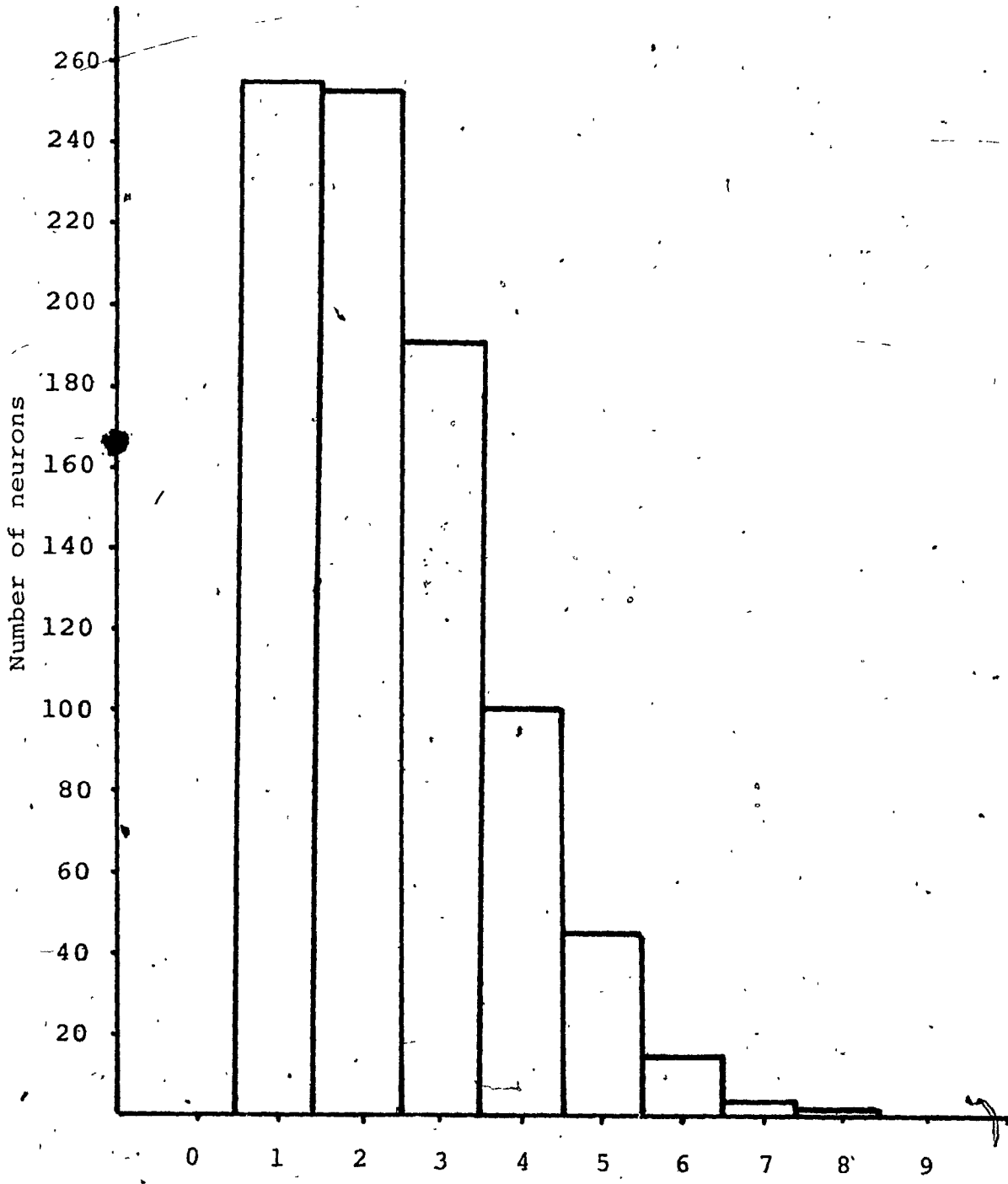


Fig. 23. Total Number of Excitatory Incoming Connections for Net 5

Figs. 24 to 27 show a computer printout of the amplitude histogram of the sum of the Psp's (the gross EEG of the net) for a period of 200  $\tau$  for four of the nets considered in table 1 and with 100 neurons firing initially. This is done with the aid of one of the subroutines belonging to the second overlay of the computer program used in this work. The range of the amplitudes of the Psp is divided into ten class intervals and a count is made of the number of Psp's falling within each amplitude class interval. These frequency distributions are normalized by dividing the frequency of each class by the total frequency of all classes (total number of readings) so that the total area limited by the frequency curve is equal to 1. The arithmetic mean ( $\bar{X}$ ) and the standard deviation (S) are then calculated for the normalized histograms. A fit between these normalized histograms and a theoretical normal distribution with the same arithmetic mean and standard deviation is examined by the use of the  $\chi^2$  goodness-of-fit method which is given by (Croxtan, 1959):

$$\chi^2 = \sum_{i=1}^k \frac{(O_i - T_i)^2}{T_i}$$

where  $O_i$  is the number of counts (observed frequencies) in the  $i$ th bin of the normalized EEG histogram and the  $T_i$  is the number of counts in the  $i$ th bin of a



$$\chi^2 = 7364.8$$

$$\bar{X} = .79$$

$$S = .25$$

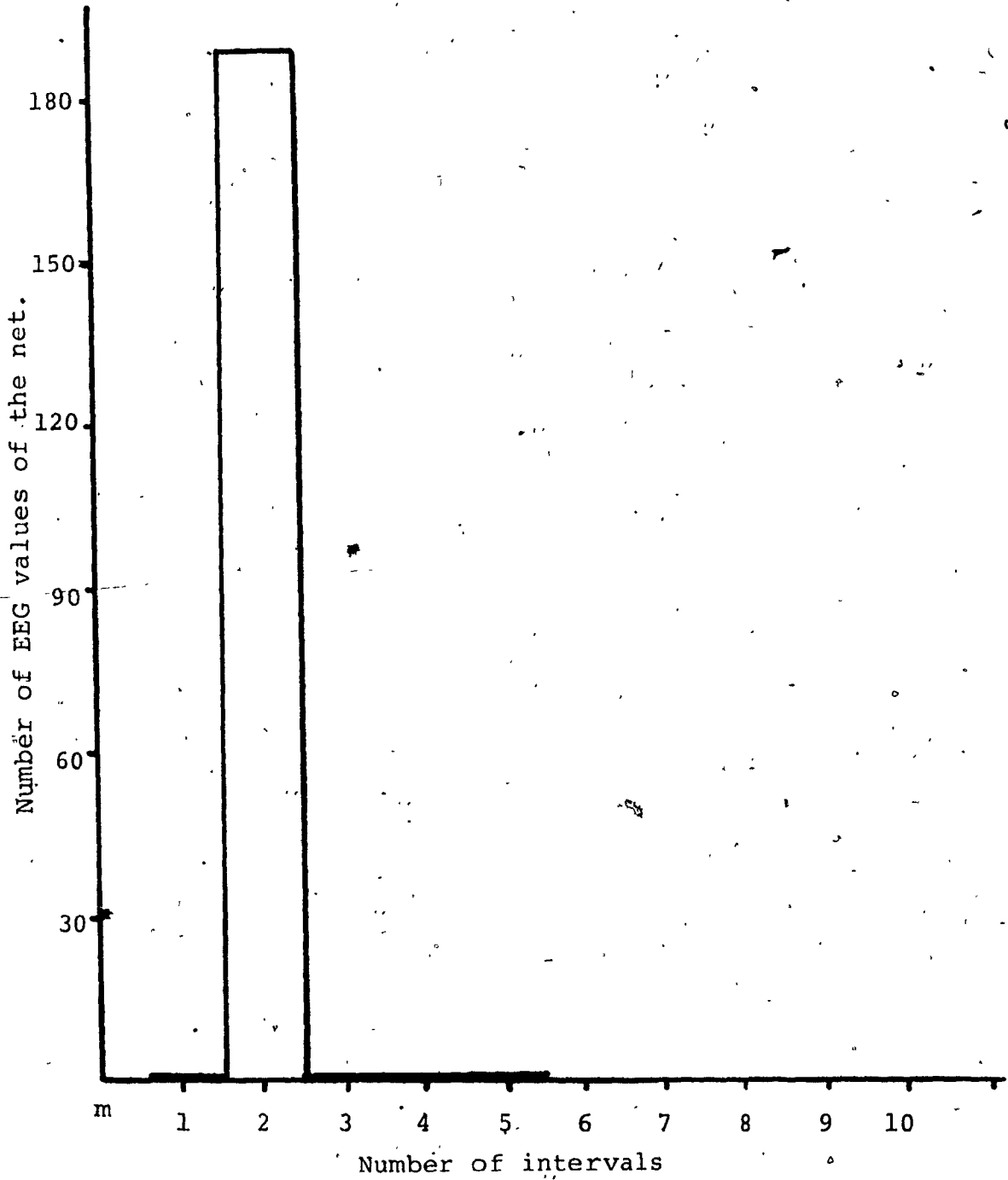


Fig. 24. EEG Histogram for Net 1

$$\chi^2 = 10.13$$

$$\bar{X} = 2.34$$

$$S = .99$$

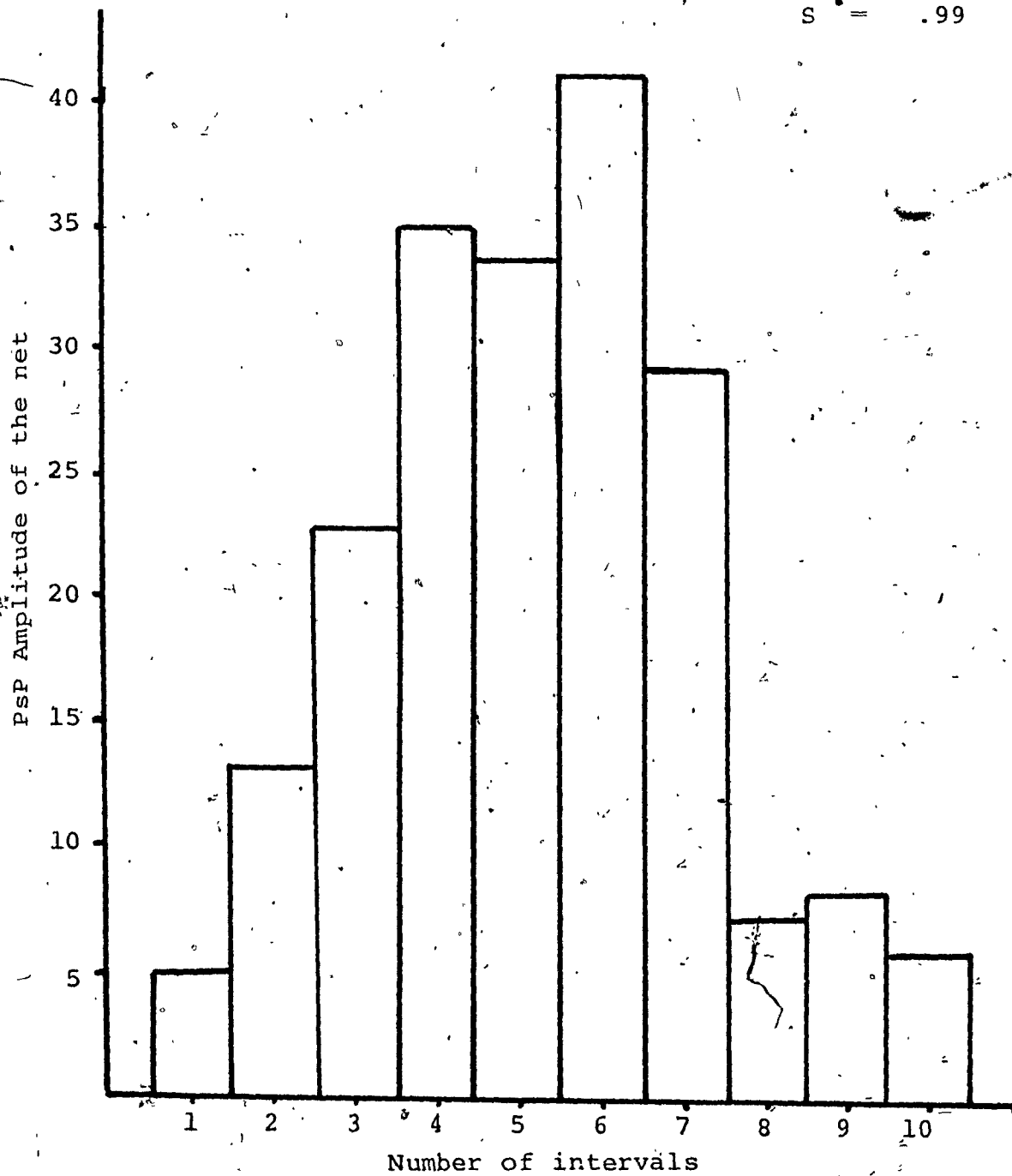


Fig. 25. EEG Histogram for Net 2

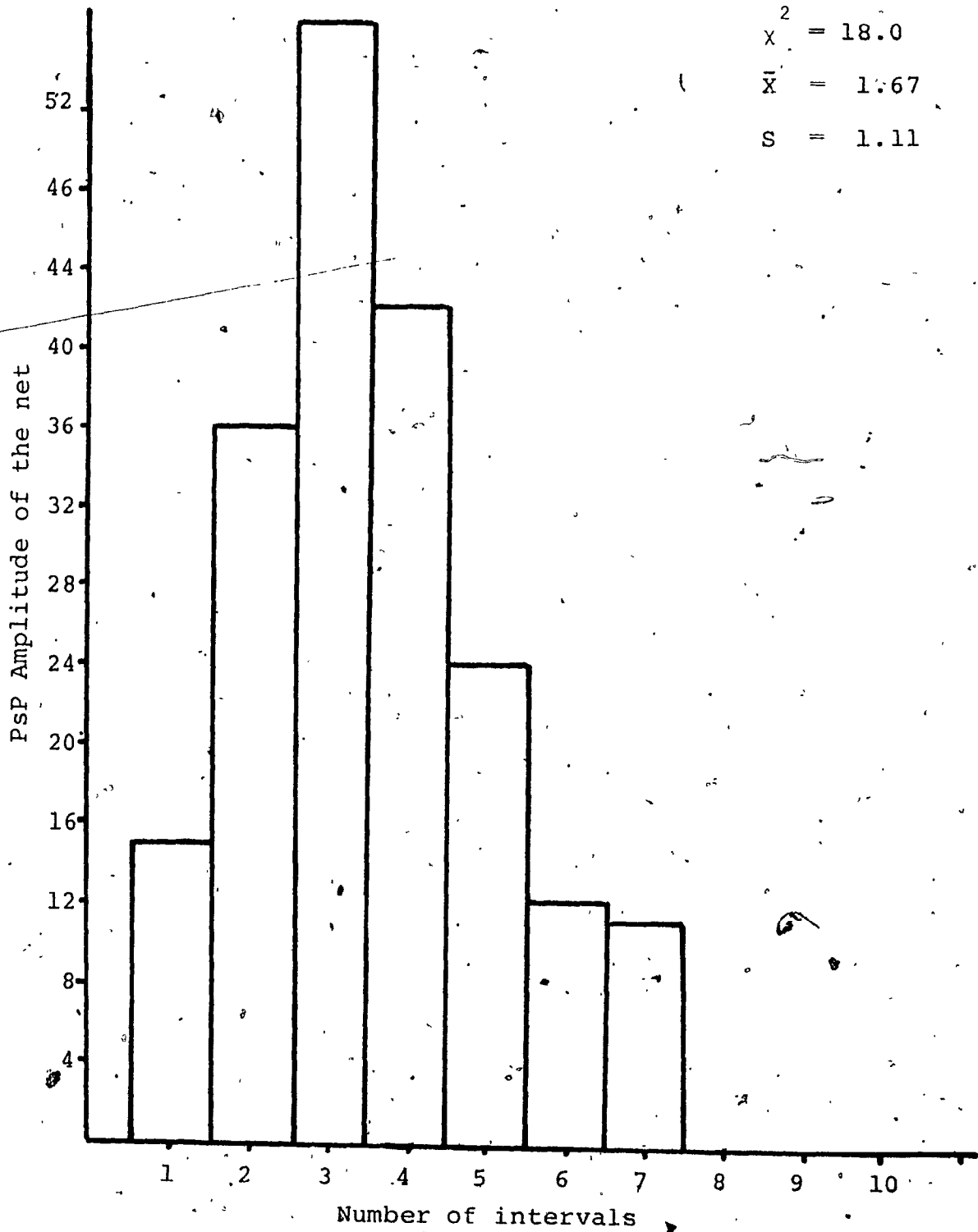


Fig. 26. EEG Histogram for Net 3.

$$\begin{aligned} \chi^2 &= 25.79 \\ \bar{X} &= 1.73 \\ S &= .69 \end{aligned}$$

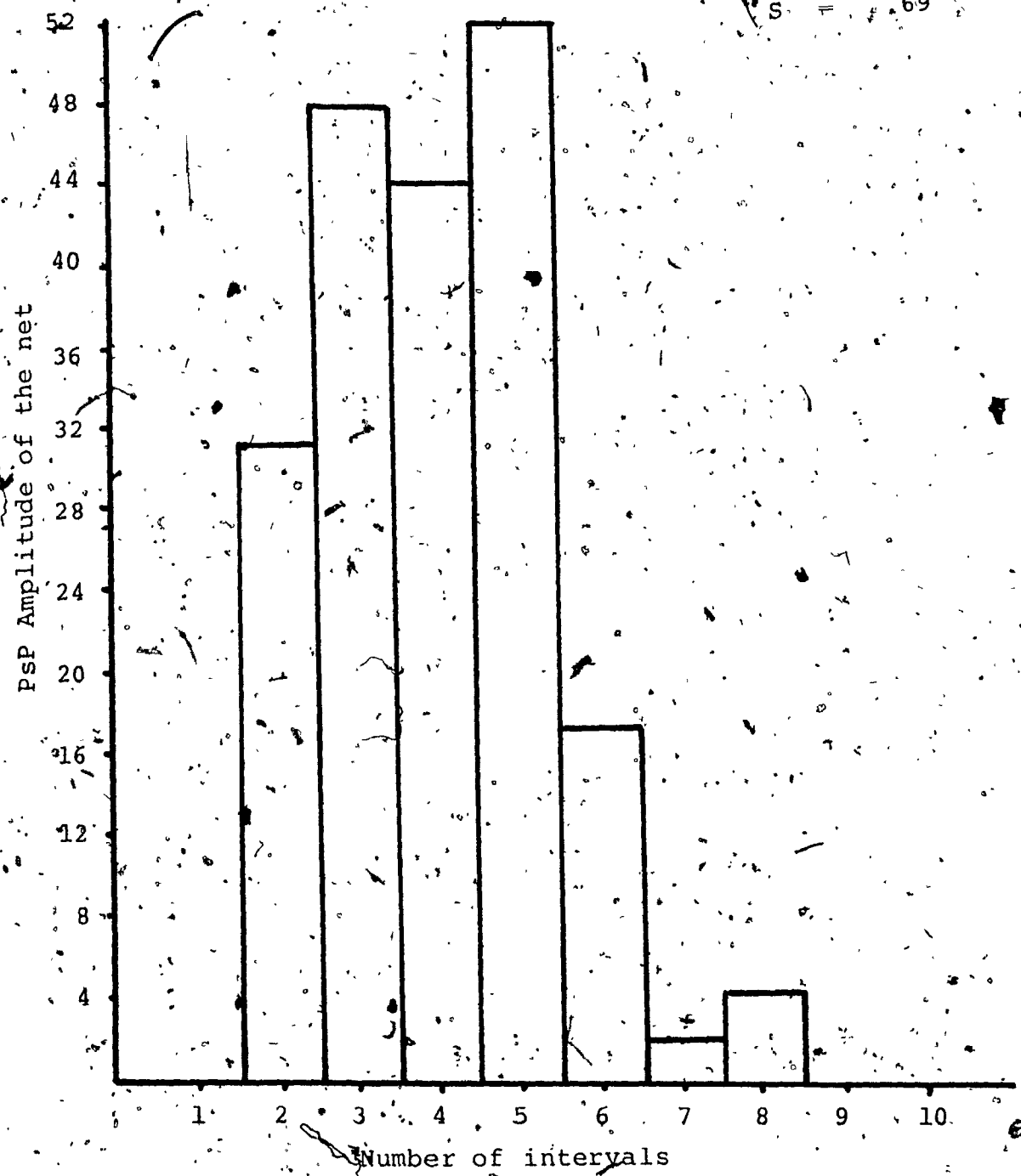


Fig 27. EEG Histogram for Net 5

normal distribution (theoretical or expected frequencies) having the same mean and standard deviation as the normalized EEG histograms and  $k$  is the number of bins. The number of degrees of freedom,  $n$ , is given by  $n = k - 1$ , if no population parameters have to be estimated from sample statistics and by  $n = k - 1 - m$  when the expected frequencies can be calculated only by estimating  $m$  population parameters from sample statistics. In our case,  $m = 2$ , since both the arithmetic mean and the standard deviation are computed from the samples. When  $k = 10$ , then  $n = 7$  for the EEG histograms. The value of  $n$ , together with the value of  $\chi^2$ , determines the probability that the distribution tested is normal.  $\chi^2$  values and the standard deviation ( $S$ ) of each net are also shown in those figures.

## CHAPTER V

### DISCUSSION

#### A. Criteria

The results of the computer simulation reported in Chapter IV suggest that nets with different microscopic structures behave in different ways. In this section, we are going to discuss the criteria that we will be using to determine whether different microscopic structures lead to different behaviour patterns in artificial neural nets. The following factors will be considered in determining whether the behaviour of a particular net is normal or abnormal.

##### 1. The Gross Encephalogram of the Nets EEG

The EEG of the net is obtained by summing the membrane potentials of all the neurons in the net, where the membrane potential of a neuron is equal to the instantaneous sum of all its synaptic inputs. Differences in the characteristics of the EEG activity with different nets having the same statistical parameters can be due to differences in the microscopic structures of these nets.

## 2. The Presence of Cyclic Activity

It has been found (Anninos et al, 1970) that Class A nets are capable of sustaining cyclic activity. Therefore, the presence or absence of the activity could serve as an indicator of different nets' behaviour. If such a difference can be detected in two Class A nets having the same overall statistical parameters ( $h$ ,  $\mu^-$ ,  $\mu^+$ , and  $\theta$ ), then it might be due to differences in the microscopic connectivities of these nets.

## 3. Delay Prior to the Entry into the Cyclic Mode

The number of the synaptic delays before the ensuing of the cyclic activity depends on the characteristics of the net and could be used as an indicator of variations in these characteristics.

## B. Gaussian Character of the EEG

It has been shown (Elul, 1969) that the EEG of the mammalian brain can be viewed as the random sum of non-linearly related and almost independent generators. It was also shown (Elul, 1972) that the EEG exhibits the statistical properties of a normal random process when viewed over a relatively long period of time. The probability distribution of the amplitude of scalp EEG has been investigated by Elul (1969) who made an amplitude analysis of the EEG of an adult subject in the idle state and during the

performance of mental tasks. By using the  $\chi^2$  goodness-of-fit test, he concluded that the EEG of the subject in the idle state follows a Gaussian distribution. He also found that the number of failures in the  $\chi^2$  test during the performance of the mental task was more than twice that in the idle state. He concluded that amplitude analysis of the EEG can provide significant information on mental functions.

Goldstein et al (1963) and Goldstein et al (1965) used a "Drohocki" integrator for the study of the amplitude analysis of the EEG of male chronic schizophrenics and a normal group. The area under the EEG curves of the subjects was automatically measured and the standard deviation was obtained. Comparison of the analyses of monopolar EEG's from the left occipital area in the two groups showed that the coefficient of variation ( $V = S/\bar{X}$ ) for the patient group was one-half of that for the normal group, but no significant differences were detected with respect to the overall amplitude.

The Gaussian dependence of EEG activity on inter-neural coupling has been investigated by Anninos and Elul (1974b) who found that increasing the level of connectivity ( $\mu^+$ ) in a neural net resulted in the shift of the EEG activity from the Gaussian toward the non-Gaussian range. 1



We think that the EEG pattern and its amplitude histogram of a neural net can be used to classify the neural nets according to their behavioural characteristics into normal and abnormal nets. Although it is clear that such a classification into normal and abnormal nets is completely relative, it is an important one if these nets are to represent elementary units of the nervous system. This distinction will be used to characterize the different behaviour patterns of the nets and their dependence on interneural connectivities.

Referring to Figs. 24 to 27 of Chapter IV, the  $\chi^2$  goodness-of-fit will be used to determine how well the EEG histogram of each of the artificial nets considered here fits the Gaussian distribution.

We are going to test the artificial nets' histograms at the 0.05 significance level. This means that if the computed value of  $\chi^2$  is greater than the value  $\chi^2_{.95}$  the observed frequencies differ significantly from the theoretical frequencies and we will reject the hypothesis that the histogram being tested is normal. Otherwise, we accept the hypothesis.

Since the  $\chi^2_{.95}$  value for  $n = 7$  is equal to 14.1 (Lindgren and McElrath, 1967), we can see from Figs. 24 to 27 that the only net with a value of  $\chi^2 < 14.1$  is net 2.

Therefore, we conclude, according to our hypothesis, that this net is Gaussian since its EEG corresponds to a normal process. The  $\chi^2$  of net 1, which has identical statistical parameters to net 2, is clearly non-Gaussian.

If we accept the assumption that a Gaussian characteristic of the amplitude distribution of the EEG activity is associated with normal operations, then we can consider net 2 to be a normal net while net 1, for example, can be considered to be abnormal. We are going to see if this distinction can be supported by other criteria, like the presence of cyclic activity and its period. Finally, the microscopic structure and the neural connectivities will be examined for possible differences between the two groups (normal and abnormal).

### C. Theoretical Model Of The EEG Activity.

In this section we are going to present a mathematical model of the EEG activity of a neural network based on the neural netlet assumptions of Chapter III. According to those assumptions a given cell in a net with  $A$  neurons will be active and will fire at time  $(n+1)\tau$  if the following two conditions are satisfied simultaneously:

- 1) The cell did not fire at time  $n\tau$ , i.e. it is non-refractory.
- 2) The sum of the incoming Psp's is equal to or greater than the threshold.

The above two conditions indicate that the number of active neurons at time  $(n+1)\tau$  depends on the number of active neurons at time  $n\tau$ . In order to find the theoretical value of EEG activity of the net it is necessary to know the relationship between the activity of the net at time  $n\tau$  and its activity at time  $(n+1)\tau$ . If the fraction of active neurons in the net at time  $n\tau$  is equal to  $\alpha_n$  then the total number of active neurons is  $A\alpha_n$  and there will be  $A(1-\alpha_n)$  neurons that will not be refractory at time  $(n+1)\tau$ . The probability that a given neuron fires at time  $(n+1)\tau$  is equal to the product of the probabilities that it is non-refractory and that the sum of the incoming

PSP's is equal to or greater than the threshold. Therefore the probability that a given neuron in the net will fire at time  $(n+1)\tau$  is given by

$$P(X_{n+1} = 1 | \alpha_n) = (1 - \alpha_n) P(W_{n+1} \geq \theta | \alpha_n)$$

where the variable  $X_{n+1}$  represents the activity of the neuron at time  $(n+1)\tau$  and can have the following values.

$X_{n+1} = 1$  if the neuron is firing at  $(n+1)\tau$

$X_{n+1} = 0$  if the neuron is resting.

$W_{n+1}$  is the overall input to the cell at time  $(n+1)\tau$ , and  $\theta$  is the firing threshold.

The expected value of the activity at  $t = (n+1)\tau$ , given the activity at  $t = n\tau$ , is

$$\begin{aligned} \langle \alpha_{n+1} | \alpha_n \rangle &= \left\langle \frac{1}{A} \sum X_{n+1} \mid \alpha_n \right\rangle \\ &= P(X_{n+1} = 1 | \alpha_n) \\ &= (1 - \alpha_n) P(W_{n+1} \geq \theta | \alpha_n) \dots (1) \end{aligned}$$

If we let  $e_{n+1}$  denote the Psp generated by a given cell at time  $(n+1)\tau$ , where  $e_{n+1} = 0$  if the cell fires at time  $n\tau$  or if the sum of the incoming Psp's is less than the threshold  $\theta$ , and  $e_{n+1} = K$  if the sum of the Psp's is equal to or greater than the threshold and the cell is not refractory.  $K$  can be either positive or negative depending on whether the neuron is excitatory or inhibitory respectively. The probability that the Psp of the cell at time  $(n+1)\tau$  is equal to zero is given by

$$P(e_{n+1} = 0) = P(e_{n+1} = 0 \mid X_n = 1) \cdot P(X_n = 1) \\ + P(e_{n+1} = 0 \mid W_n < \theta) \cdot P(W_n < \theta \\ \text{and } X_n = 0)$$

Since according to our netlet assumption

$$P(e_{n+1} = 0 \mid W_n < \theta) = 1$$

and

$$P(e_{n+1} = 0 \mid X_n = 1) = 1$$

The above equation reduces to

$$\begin{aligned} P(e_{n+1} = 0) &= P(X_n = 1) + P(W_n < \theta \text{ and } X_n = 0) \\ &= P(\alpha_n) + P_n \end{aligned} \quad (2)$$

The first term in this equation is equal to the probability that the neuron is active and is referred to as  $P(\alpha_n)$ .

The second term, which is denoted by  $P_n$ , can be written as:

$$\begin{aligned} P_n &= P(X_n = 0 \mid W_n < \theta) \cdot P(W_n < \theta) \\ &= [P(X_{n-1} = 1) + P(W_{n-1} < \theta \text{ and } X_{n-1} = 0)] \cdot \\ &\quad P(W_n < \theta) \\ P_n &= (P(\alpha_{n-1}) + P_{n-1}) P(W_n < \theta) \end{aligned} \quad (3)$$

and the probability that the Psp of the cell is equal to

$K$  is given by

$$v_{n+1} = 1 - P(e_{n+1} = 0)$$

Since the average number of the outgoing connections from an excitatory cell is  $\mu^+$  and that from an inhibitory cell is  $\mu^-$ , then the total number of excitatory and inhibitory axon collaterals at time  $(n+1)\tau$  is  $A\alpha_n(1-h)\mu^+$  and  $A\alpha_n h\mu^-$  respectively and the amplitude of excitatory and inhibitory PSP's impinging on any given neuron at time  $(n+1)\tau$  is given by  $\alpha_n(1-h)\mu^+k^+$  and  $\alpha_n h\mu^-k^-$ . The amplitude of the input to any cell in the net at time  $(n+1)\tau$  given the activity at time  $n\tau$  is

$$\alpha_n (\mu^+ (1-h)k^+ - \mu^- h k^-)$$

Therefore the gross EEG generated by the net at time  $(n+1)\tau$  is given by

$$V_{n+1} = A\alpha_n [\mu^+ (1-h)k^+ - \mu^- h k^-] v_n \quad (4)$$

It can be seen from this equation that the EEG amplitude depends on the activity at time  $n\tau$  and also on the probability that the sum of the Psp is equal to or greater than the threshold. The probability that the sum of the incoming Psp's is equal to or exceeds the threshold depends on the type of connections that exists between the neurons in the net. For a net connected according to the

poisson probability distribution the mean value of the amplitude of the excitatory and inhibitory PSP's arriving at any given cell at time  $(n+1)\tau$  is given by

$$\delta_1 = \alpha_n (1-h) \mu^+ k^+ \quad \text{and} \quad \delta_2 = \alpha_n h \mu^- k^-$$

respectively. Therefore the frequency functions for a net whose excitatory and inhibitory PSP's are distributed according to the poisson probability distribution law are given by

$$f_1(l) = \frac{\delta_1^l e^{-\delta_1}}{l!} \quad l = 0, 1, 2, \dots$$

and

$$f_2(m) = \frac{\delta_2^m e^{-\delta_2}}{m!} \quad m = 0, 1, 2, \dots$$

where  $l$  and  $m$  represent the PSP amplitudes from excitatory and inhibitory cells respectively. The probability that the sum of the PSP amplitudes is equal to or exceeds the threshold, given the activity at time  $n\tau$ , and in the presence of inhibitory inputs, is given by



$$P(W \geq \theta | \alpha_n) = P(\alpha_n) = \sum_{\ell=\theta+m} A\delta_1 \sum_{m=0} A\delta_2 f(\ell) \cdot f(m) \quad (5)$$

$$= \sum_{\ell=\theta+m} \frac{A\delta_1}{\delta_1} \sum_{m=0} \frac{A\delta_2}{\delta_2} \frac{e^{-(\delta_1+\delta_2)} \delta_1^{\ell-m} (\delta_1 \delta_2)^m}{\ell! m!}$$

and the activity at time  $(n+1)\tau$  for a net connected according to the poisson probability distribution, given the activity at time  $n\tau$ , is equal to (equation 1)

$$\langle \alpha_{n+1} | \alpha_n \rangle = (1 - \alpha_n) \sum_{\ell=\theta+m} A\delta_1 \sum_{m=0} A\delta_2 \frac{e^{-(\delta_1+\delta_2)} \delta_1^{\ell-m} (\delta_1 \delta_2)^m}{\ell! m!} \quad (6)$$

A computer program was specifically written by us to calculate the time course of the EEG activity of a net connected according to the poisson probability distribution law. This was done by calculating the probability of triggering a neuron given that  $A\alpha_n$  neurons are initially active from equation 5, and then computing the value of the new level of activity  $\alpha_{n+1}$  at time  $(n+1)\tau$  from equation 6. This value

is then used to calculate a new value for the probability from equation 5 which is then used to get another value for the activity from eq. 6. The process is repeated for 500 iterations. In computing the value of the probability from equation 5 the upper limit in the inner sum was set at  $m=50$  since it was found that the additional terms contributed very little to the sum.

After calculating the value of  $P_n$  and keeping only the first four terms in eq. 3 since it was found that the series converges rapidly. The probability that the PsP of the cell is equal to  $K$  and then the gross EEG generated by the net at time  $(n+1)\tau$  can be calculated from equation 4. The value of  $V_{n+1}$  was computed for 200 iterations for a net with

$$\begin{aligned} \mu^+ &= 10 \\ \alpha_0 &= 0.1 \\ h &= 0 \\ k^+ &= 10 \\ A &= 1000 \end{aligned}$$

The EEG amplitude histogram for this net is shown in Fig. 28. The frequency distribution was obtained

by dividing the range of  $V_{n+1}$  values into ten equal class intervals and then by determining the number that falls into each class interval.

The theoretical EEG histogram of Fig. 28 shows similar characteristics to the EEG histogram obtained through computer simulations as is evidenced by comparing the shape of the theoretical curve with the EEG histogram of net 3 shown in Fig. 28. It was not possible to get a direct comparison between the theoretical values of the EEG activity obtained from equation 4 and the computer simulation results since it was found that the variation of  $a_n$  with time showed highly damped oscillation and reached a steady value after only few iterations for nets with low connectivities and also in the presence of inhibitory connections.

Fig. 29 shows the theoretical relationship between the fraction of active neurons at time  $(n+1)\tau$ , which was computed from equation 6, and the fraction of active neurons at time  $n\tau$  for the net mentioned above. The theoretical curve of Fig. 29 shows good agreement with with shape of the curve obtained from computer simulations shown in Fig.'s 2 and 3.

The broken line curve which is superimposed on the theoretical EEG histogram of Fig. 28 shows the expected

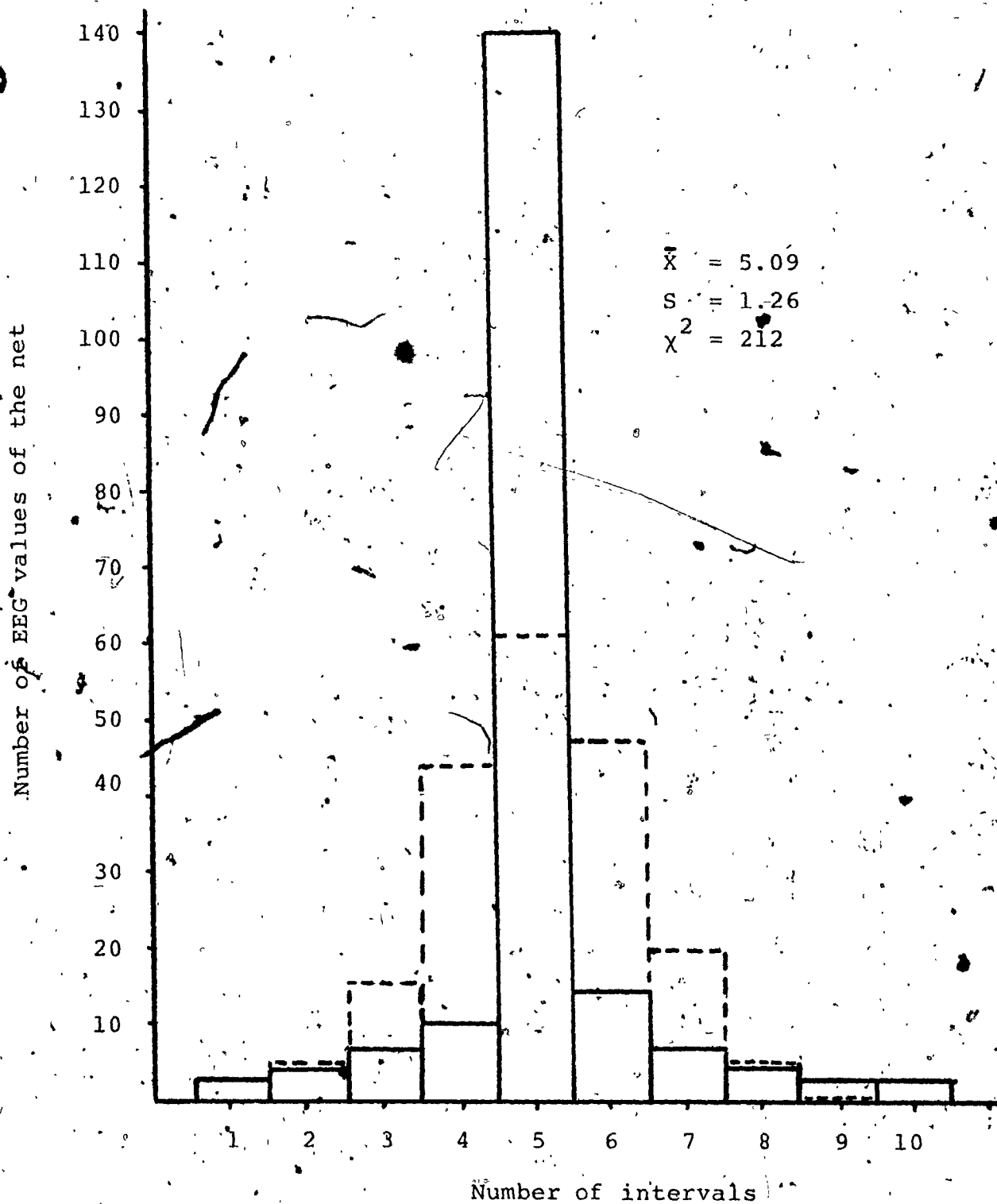


Fig. 28: Theoretical EEG histogram of a net connected according to the poisson distribution law. The broken line represents the expected EEG frequency if they are normally distributed.

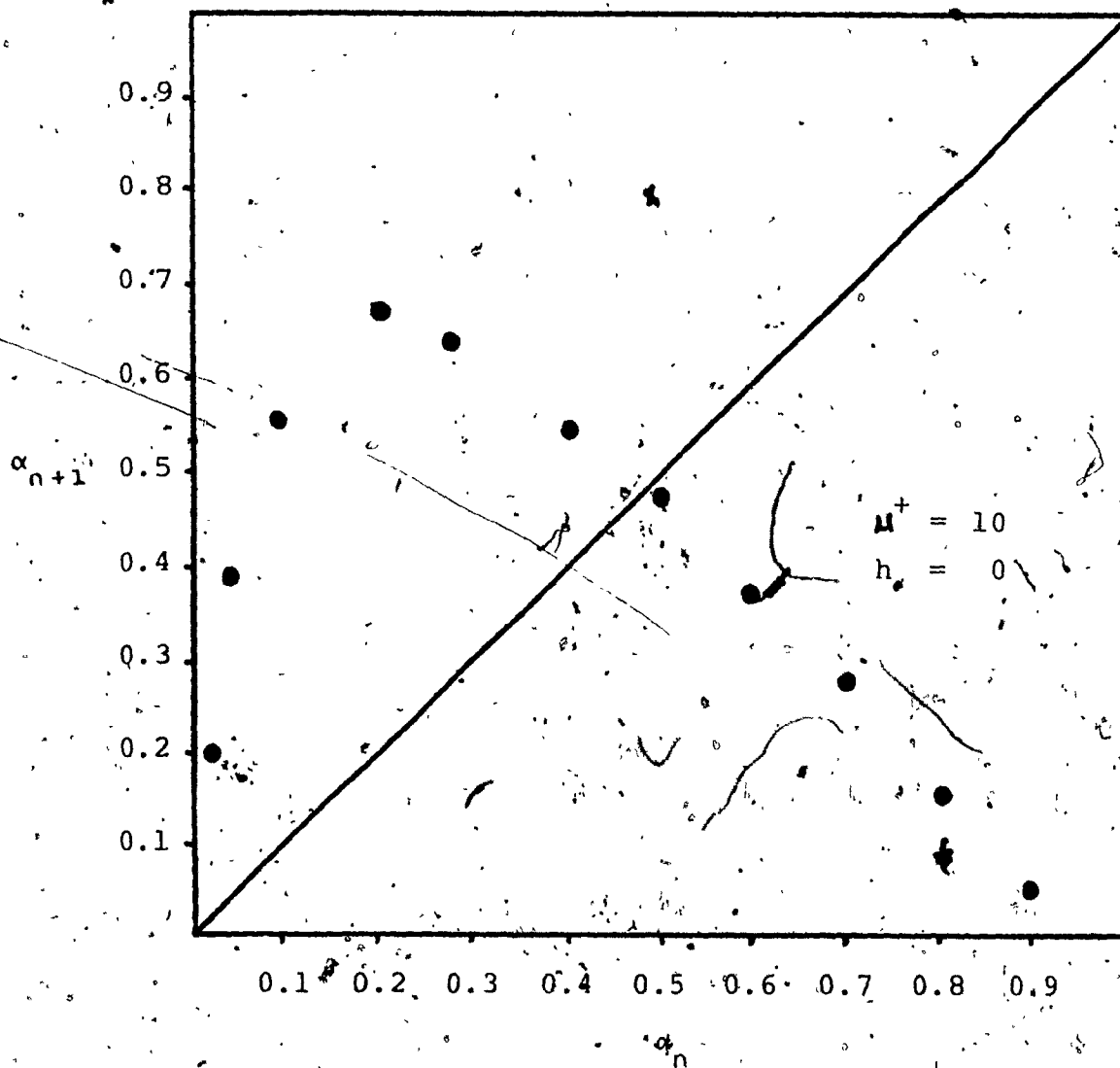


Fig. 29: Theoretical values of  $\alpha_{n+1}$  vs.  $\alpha_n$  for a net connected according to the poisson distribution law.

frequency of occurrence of EEG values obtained from the normal distribution curve that has the same arithmetic mean  $\bar{X}$ , and standard deviation  $S$  as the theoretical histogram. The expected frequencies were found by calculating the arithmetic mean for the theoretical EEG histogram and the standard deviation which was found by using the equation

$$S = \sqrt{\frac{\sum_{i=1}^n f_i (X_i - \bar{X})^2}{N}}$$

where  $f_i$  is the frequency of occurrence of certain EEG values  $X_i$ , and  $N$  is the total number of  $X_i$ . The deviation of each interval from the mean  $\bar{X}$  was then written in units of the standard deviation by using

$$z = \frac{X - \bar{X}}{S}$$

The area bounded by the normal curve

$$Y = \frac{1}{\sqrt{2\pi}} e^{-\frac{1}{2} z^2}$$

and any two values of  $Z$  determines the proportion of the expected values of the EEG activity. When this is multiplied by the total number ( $N=200$ ), the expected number of EEG values that fall between the two values of  $Z$  is obtained if the EEG activity is normally distributed. The area under the normal curve and the expected number of EEG values was obtained for the ten intervals of Fig. 28 and was then plotted. The  $\chi^2$  value along with the values of the arithmetic mean ( $\bar{X}$ ) and the standard deviation ( $S$ ) are also shown in this Figure. The high  $\chi^2$  value could be due to the fact that even with this net the time course of the activity  $a_n$  showed highly damped oscillation.

#### D. Presence of Cyclic Activity

It has been found by Anninos (1972) that sustained cyclic activity in a net seems to depend only on the statistical parameters of the net (such as the average number of outgoing connections, the percentage of inhibitory neurons, and the threshold), the nets considered in this study have similar statistical parameters to those considered by Anninos. The fact that one of the nets considered in this study (Net 4) not only showed the absence of the cyclic activity but also the lack of any sustained activity indicates that this net does not behave according to the findings of Anninos (1972). It was also found that increasing or decreasing the number of neurons firing initially did not affect the response of the net except for the fact that the delay until the activity died completely was dependent on the initial number of neurons firing. For example, with  $\alpha_0 = .2$ , the number of interactions (in synaptic delays) before the activity died completely was equal to 23, while with  $\alpha_0 = .05$ , it was equal to 20. The behaviour of the net was the same in the presence of evoked potentials delivered by any number of active neurons ( $\alpha A_0$ ) between 100 to 500 neurons. The fact that this net has similar statistical parameters to all the other nets considered clearly shows that the



abnormal behaviour of this net is mainly due to the pattern of connectivities of the neurons in it. All other nets considered in this study showed the presence of sustained cyclic activity in the absence of external stimuli (Table 1) and also in the presence of external excitatory or inhibitory inputs applied to each net 100 synaptic delays after the initialization process.

Table 2 shows the effect of evoked potentials applied through a cable of active afferent fibers (A) connected randomly at the net. The average number of synaptic connections that each fiber makes with the neurons in the net is considered to be equal to

$$\mu_0^+ = \mu_0^- = 3$$

depending on whether it comes from an excitatory or inhibitory neuron respectively. In this table,  $\sigma^+$  and  $\sigma^-$  represent the fraction of active excitatory or inhibitory fibers respectively. It can be seen from the table that an evoked response is elicited in each case. The stimulus was applied 100 synaptic delays after the initialization process and after the onset of the cyclic activity in each case. After each administration a deflection was

TABLE 2

## EFFECT OF EVOKED POTENTIAL ON CYCLIC ACTIVITY

Net	$\sigma^+$	$\sigma^-$	Period of Cycle	Number of Synaptic Delays Before Cycling
1	.2		2	17
	.3		2	13
	.5		2	13
		.2	2	5
		.3	2	5
		.5	2	5
2	.1		318	244
	.2		318	143
		.1	318	243
		.2	318	263
3	.1		16	130
	.2		16	69
	.3		16	69
	.5		16	69
		.1	16	20
		.2	16	89
		.3	6	8
		.5	3	2
5	.1		38	36
	.2		38	17
	.3		38	47
		.1	38	20
		.2	38	24
		.3	38	20

observed one synaptic delay after. This was followed by a latency period before the reappearance of the cyclic activity. It was generally found that increasing the strength of the excitatory stimulus resulted in the decrease of the latency period as measured in term of the number of synaptic delays, while increasing the strength of the inhibitory stimulus resulted in an increase in the latency period. Although all the nets considered showed such a general behaviour, it was found that nets whose EEG activity did not show gaussian characteristics deviated from such a general behaviour more than the nets whose EEG activity was gaussian. Although such a criteria can be used to distinguish between the normal and abnormal nets we feel that more nets should be tested and more data collected to find out if this criteria is general.

### E. Effect of Microscopic Structure on Net Behaviour

In the preceding sections we discussed the similarities and differences that exist between the various nets considered in this study. In this section, we are going to see whether differences in nets behaviour are mainly due to the different connectivity patterns of their incoming and outgoing connections and whether some general properties can be found that characterize a particular behaviour. To do this, use will be made of frequency distribution of the total number of incoming connections (Figs. 9 to 13), the histogram of the total number of the incoming excitatory connections (Figs. 14 to 18), and the histograms of the total number of the incoming inhibitory connections to each neuron in the net (Figs. 19 to 23).

A statistical analysis will be made of these histograms to estimate their central tendency, their variance and skewness using the method of "moments". In physics, the position of the centre of mass for a discrete distribution of mass  $m(x_j)$  at different values of  $x_j$  is given by:

$$x_{c.m} = \frac{\sum x_j m(x_j)}{\sum m(x_j)}$$

where  $x_j$  ( $j=1, 2, \dots$ ) is the distance of the mass  $m(x_j)$  from the origin from which the centre of mass is measured.

In the terminology of mathematical statistics, this quantity is called the first moment and is given by (Pall, 1971):

$$\bar{x} = \frac{\sum X_j}{N}$$

where  $X_j$  ( $j=1, 2, \dots, N$ ) is a random variable with  $N$  values. It is also called the arithmetic mean ( $\bar{X}$ ).

In general, the  $i$ th moment about the mean ( $\bar{X}$ ) is defined as:

$$m_i = \frac{\sum_j (X_j - \bar{X})^i}{N}$$

$m_2$  ( $i=2$ ) is called the variance (Speigel, 1961). The  $i$ th moment about any origin  $A$  is given by

$$m_i = \frac{\sum_j (X_j - A)^i}{N}$$

The distribution properties of random variables can be measured by using a dimensionless ratio of the moments about the mean given by

$$a_1 = \frac{m_3}{\sqrt{m_2}}$$

The skewness which is defined as the degree of asymmetry of a distribution is given by (Speigel, 1961)

$$a_3 = \frac{m_3}{\sqrt{m_2^3}}$$

$a_3$  can be compared with the value of  $a_3$  of the normal distribution which is equal to 0. A positive value of  $a_3$  indicates that the frequency curve of a distribution has a larger tail to the right (Pall, 1971) and is called positively skewed. A negative value of  $a_3$  indicates that it is negatively skewed.

The moment coefficient of Kurtosis is given by (Speigel, 1961)

$$a_4 = \frac{m_4}{\frac{m_2^2}{2}}$$

and is a measure of the degree of peakedness of a distribution. With respect to the normal distribution which has a value of  $a_4=3$ , a distribution with a value of  $a_4 > 3$  is called leptokurtic distribution and is characterized by a relatively high peak. In contrast, if  $a_4 < 3$  for a given frequency distribution, then it is called platykurtic and

has a flatter top, than the normal distribution.

Table 3 lists the values of the second third and fourth moments  $m_2$ ,  $m_3$ , and  $m_4$  about the mean  $\bar{X}$  for the histogram of Figs. 9 to 28. Also shown are the values of  $a_3$ ,  $a_4$ , and  $S$ :

It can be seen from this table that differences do exist in the skewness and kurtosis of these frequency distributions. Examination of the values of  $a_3$  and  $a_4$  for the total number of excitatory incoming connections reveals that net 2 has a higher value of  $a_3$  and a lower value of  $a_4$  than net 1. This means that net 2 has a greater positive skewness than net 1 and it is platykurtic while net 1 is leptokurtic. Similarly, net 3 is skewed more to the right than net 4 and is less leptokurtic than net 4 relative to the normal distribution.

$a_3$  and  $a_4$  values for total inhibitory incoming connections for these nets also show some variations: For example  $a_4$  for net 2 is greater than that for net 1 while  $a_3$  for net 1 is greater than that for net 2. This means that the frequency distribution of the inhibitory incoming connections for net 2 is less skewed and more leptokurtic than the frequency distribution of the inhibitory incoming connections of net 1. Net 3 is also more leptokurtic than net 4. However, this net is more skewed than net 4.

TABLE 3

## TOTAL EXCITATORY CONNECTIONS

Net	S	m <sub>2</sub>	m <sub>3</sub>	m <sub>4</sub>	a <sub>3</sub>	a <sub>4</sub>
1	1.18	1.40	1.43	7.04	.86	3.59
2	1.34	1.8	2.22	6.88	0.91	2.12
3	1.31	1.74	2.39	11.04	1.04	3.65
4	1.31	1.74	2.20	11.28	0.95	3.72

## TOTAL INHIBITORY CONNECTIONS

Net	S	m <sub>2</sub>	m <sub>3</sub>	m <sub>4</sub>	a <sub>3</sub>	a <sub>4</sub>
1	1.01	1.03	1.24	3.69	1.19	3.48
2	.9	0.81	.8	4.55	1.09	6.93
3	1.01	1.02	0.95	3.51	0.92	3.37
4	0.88	0.79	0.47	1.96	0.67	3.14

## TOTAL INPUT

1	1.59	2.53	2.78	21.78	0.69	3.4
2	1.63	2.67	3.60	26.07	1.64	3.66
3	1.58	2.51	2.38	19.52	0.59	3.09
4	1.66	2.75	4.05	26.00	0.89	3.44



Variations in the values of  $a_3$  and  $a_4$  is also apparent in the analysis of the histograms of total numbers of incoming connections of these nets.

Values  $a_3$  and  $a_4$  for the histograms of the excitatory incoming connections and also for the inhibitory incoming connections for net 2 indicate that the frequency distributions of net 2 show a definite pattern which differs from the pattern associated with net 1 which has identical statistical parameters to that of net 2.

The analysis of the histograms of the excitatory incoming connections of net 3 is similar to that of net 2, but the histogram of its inhibitory incoming connections differs from that of net 2 in being more skewed (relative to net 4). We may therefore conclude that net 3 has some normal tendencies. Examination of the value of  $\chi^2$  of net 3 shows that it is equal to 18.0. Although this is greater than the critical value of  $\chi_{.95}^2$ . The curve shows a greater normal tendency than other nets.

The behaviour of net 3 is also similar to that of net 2 in the presence of external stimuli (Table 2) increasing the fraction of the external active incoming connections for excitatory neurons ( $\sigma^+$ ) had the effect of decreasing the number of synaptic delays before the start of the cyclic activity, while increasing ( $\sigma^-$ ) had the opposite

effect. Net 3 showed a similar behaviour to that of net 2 for a fixed period of the cyclic activity. The fact that net 4 was not able to sustain any activity is due to the particular pattern of the incoming connection of its cells. Fig. 12 shows that more neurons received a total number of two incoming connections than any other number of connections while net 3 (Fig. 11) shows that a greater number of neurons received a total of three connections than any other value. This fact might indicate that this net is not capable of sustained activity because of the presence of a large number of networks exerting negative feedback control on the cells of this net.

The mathematical analysis of the frequency distribution of the excitatory and inhibitory incoming connections indicate that differences do exist in the connectivity pattern of these nets and that these different connectivity patterns could be responsible for the different behavioural patterns of these nets.

#### F. The existence of neural multivibrators

One of the interesting phenomena observed in the dynamic behaviour of some of the simulated neural nets is the presence of two state periodic activity as can be seen from Table 1. An investigation of the operation of these two state cycles showed their similarity to the operation of the free running or the astable electronic multivibrator. The astable multivibrator circuit is a resistance-capacitance coupled two-stage amplifier with positive feedback. It has two quasi-stable states and the circuit alternates between these two states without requiring an external input trigger.

The basic circuit is shown in Fig. 30. Note that regeneration and therefore oscillation is provided by the closed loop consisting of the two transistors  $Q_1$  and  $Q_2$ . The output of the first transistor is fed to the input of the second transistor while the output of  $Q_2$  is fed to the input of  $Q_1$ .

When d-c. power is applied to the circuit the transistors will go into one of two possible unstable states due to random variations or to an unbalance in the components with one transistor going ON into conduction, and the other transistor going OFF. Let us assume that

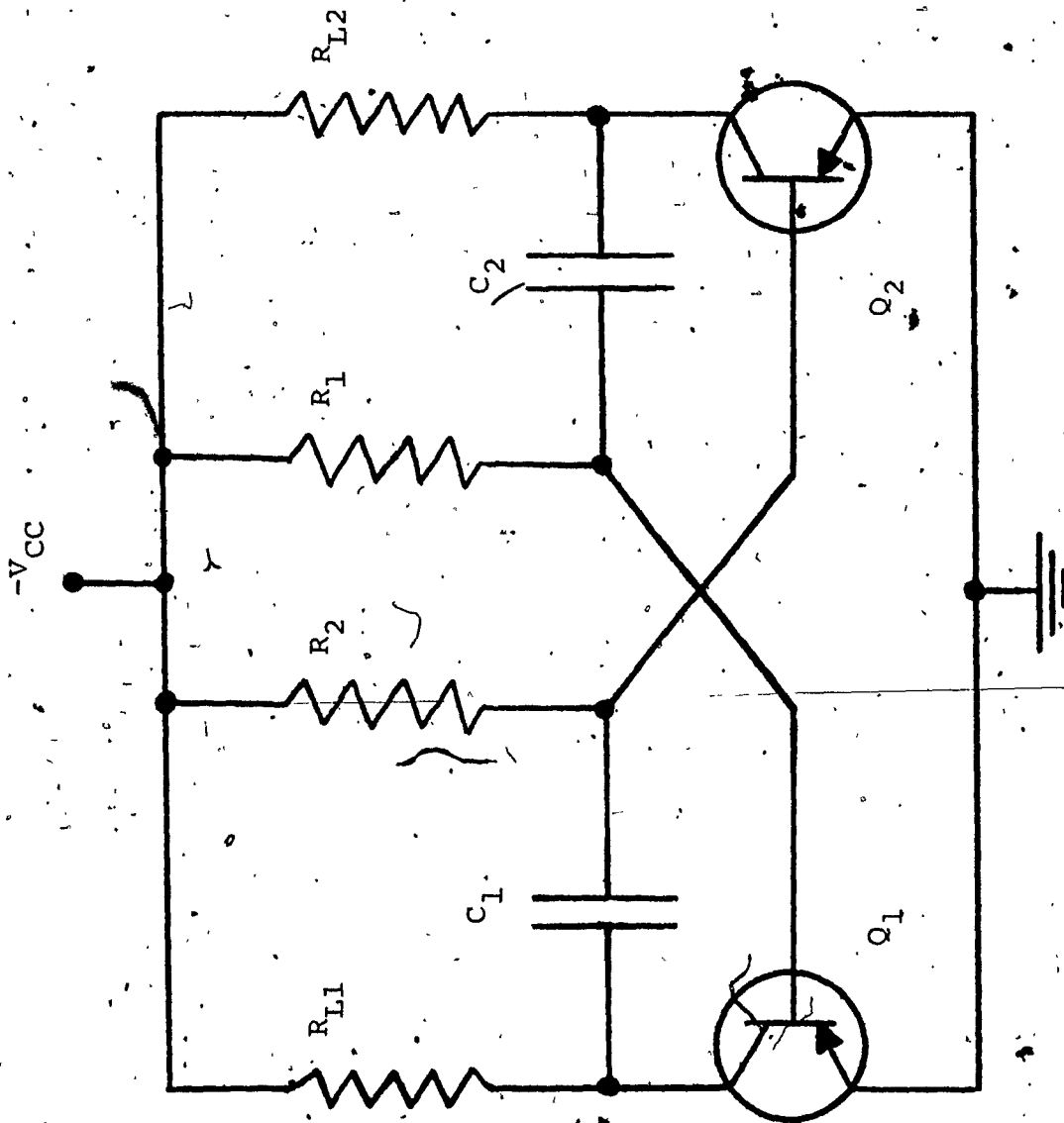


Fig. 30. An astable (free running) multivibrator circuit diagram.

transistor  $Q_1$  starts conducting more heavily than transistor  $Q_2$ . This causes the collector of  $Q_1$  to become more positive (close to ground potential). This positive voltage at the collector of  $Q_1$  causes the base of  $Q_2$  to become positive. The positive base voltage of  $Q_2$  causes a decrease in the forward bias and a decrease in the collector current of  $Q_2$ , making the voltage at the collector to become more negative. This is fed back through capacitor  $C_2$  to the base of  $Q_1$  increasing its forward bias. The process continues until the base of  $Q_2$  becomes so positive with respect to the emitter that  $Q_2$  is cut off and  $Q_1$  is saturated. This means that the collector of  $Q_1$  is essentially at ground potential and the collector of  $Q_2$  is essentially at  $-V_{cc}$  since it is OFF and the voltage across  $C_2$  is essentially equal to  $V_{cc}$  and will be fully charged as long as  $Q_2$  is OFF. The process happens so quickly that  $C_1$  does not have enough time to charge. After the saturation of  $Q_1$ , capacitor  $C_1$  starts to charge through  $R_2$  so that the base voltage of  $Q_2$  goes negative to the point where forward bias is reestablished across  $Q_2$  bringing it into conduction and causing the collector voltage to quickly become positive. This gives rise to a positive pulse to the base of  $Q_1$  thus cutting off  $Q_1$ . With  $Q_1$  OFF capacitor  $C_2$  charges until the

base of  $Q_1$  is sufficiently negative with respect to the emitter for  $Q_1$  to come ON again, and for the cycle to repeat. The periodic time for a complete cycle of the astable multivibrator operation is equal to the sum of the times that  $Q_1$  is OFF and  $Q_2$  is OFF.

The operation of two states cyclic activity in a randomly connected neural net is similar to the operation of the astable multivibrator. The period for a complete cycle is equal to the sum of the times that the first state and the second state are OFF. The first state triggers the second state into activity while it becomes inactive, and the second state after one synaptic delay (equivalent to the time that one transistor remains ON) becomes inactive while the first state because of feedback from the second state becomes active. The neural oscillator just like the electronic astable multivibrator continues to alternate between these two states without requiring an external input trigger.

Table 4 shows the connectivity matrix, which was constructed by using computer simulation, for 10 neurons of a class A net that exhibits the two state cycle. In this table each row represents the outgoing connections and each column the incoming connections for each

neuron. Therefore the values of the first row represent the number of outgoing connections from neuron 1 to all the neurons in the net while the values in the first column give the number of the incoming connections to neuron 1. In this table a connection originating from an inhibitory neuron is indicated by a negative value. The circuit can be brought into the oscillating mode by triggering some of its neurons into action. If, for example, neurons 6 and 10 are triggered first, then the activity within the net will progress and will enter into its periodic oscillation three synaptic delays later. The cycle involves neuron 5 in one state and neuron 1, 4, and 7 in the other. These two states continue to alternate because the output of neuron 5 is connected to the input of neuron 1 while the output of neuron 1 is connected to the input of neuron 5 as can be seen from table 4. The connections between neuron 1 and 5 are excitatory which is analogous to the positive feedback that exists between the two transistors of the astable multivibrator. Another similarity that exists between the neural and the electronic multivibrators is the fact that the neural oscillator just like the electronic one will fail to operate if the two neurons are made active at the same time.

TABLE 4

The connectivity matrix

Neurons with incoming connections

Neurons with outgoing connections

	1	2	3	4	5	6	7	8	9	10
1			1	1	1			1		
2			1	1	1					
3		-1		-1	-1				-1	
4				1		1	2	1		
5	1			1			1			
6			1		1					
7			-1			-1		-2	-1	
8		-2					-2			-1
9			-1			-1				
10			1	1						



Other pathways can also lead to the same two state cyclic activity, for example, triggering neurons 6 and 8 lead to the same cycle after two synaptic delays. Neurons 3 and 4 give the same effect after three synaptic delays.

Once the cyclic activity starts it will continue indefinitely until it is modified, modulated or destroyed by an external input delivered to the net. For example, if after the onset of the cyclic activity, with neurons 5 firing at one time and neurons 1, 4, and 7 firing in the next time, neuron 10 is activated by an external excitatory input so that it fires when neurons 1, 4, and 7 are firing then the periodic two state oscillations will cease but the net will continue to be active with different neurons firing every time for a total time of  $8\tau$  after which the same two states periodic activity comes back. Such a modulating effect can only come from outside the net since all the internal incoming connections of neuron 10 are inhibitory which means that this particular neuron can not be activated by any stimulus coming from within the net. If, on the other hand, neuron 10 is made to fire when neuron 5 fires then the periodic activity will be completely destroyed and will not come back unless

another external input is applied to the right neurons to activate the neural oscillator. It can be seen from the above discussion that neuron 10 can act as a control unit for modulating or destroying the cyclic activity within the net and that such function can only be triggered from the outside.

Although the presence of oscillating circuits within the nervous system has been demonstrated in lower animals to control rhythmic functions (Wooldridge, 1963) the existence of complex networks which may behave like the electronic multivibrator circuit within the mammalian central nervous system and their biological significance should be investigated.

## CHAPTER VI

### CONCLUSION

It has been shown that nets having the same overall statistical parameters and connected according to the Poisson distribution law show completely different behavioural patterns. An investigation of the connectivity patterns of these nets showed some differences in their connectivities. Although all these nets belong to Class A which should exhibit sustained activity and cyclic activity, one of these nets showed neither of these two phenomena. This behaviour can be due to the connectivity pattern and the inhibitory feedback networks acting within the net.

The results also showed that the frequency distribution curves of the excitatory and inhibitory incoming connections can be used to distinguish between normal and abnormal nets. It was found that nets whose frequency distribution curves of the excitatory incoming connections are platykurtic (relatively flat) and whose frequency distribution of the inhibitory incoming connections were leptokurtic (highly peaked) relative to the normal distribution curve showed gaussian EEG activity, while nets with other

frequency distribution curve patterns showed an EEG activity that was not gaussian in character. Such a distinction between normal and abnormal nets based on the frequency distribution curves should be further investigated with nets connected according to other distribution laws to determine the limits and the conditions under which a net will have a gaussian EEG activity.

The theoretical results of the EEG activity of a net whose excitatory and inhibitory connections are distributed according to the poisson distribution law showed that theoretical EEG histograms of such nets were not distributed according to the gaussian probability distribution law.

It was also found that in general the application of an inhibitory stimulus to a normal net exhibiting cyclic activity resulted in an increase in the number of synaptic delays before the reappearance of the cycle. Since similar results but with more deviations were obtained for abnormal nets, we feel that such a criteria can not be generalized without testing more nets to determine whether the variations in the number of synaptic delays before the reappearance of the cyclic activity is due to the differences in connectivities of the nets or some other variables.

It was also shown that the criteria listed in Section A of Chapter V can be used to classify the nets according to their behavioural characteristics and from the operational point of view into normal and abnormal nets depending on their capability to exhibit sustained activity and on how well the amplitude distribution of the EEG of the nets fit the Gaussian distribution. From the structural point of view, this classification was also supported by the variations of the frequency distribution of their microscopic connectivities.

Some of the nets considered in this study showed the existence of two states periodic activity that operated in a similar manner to the operation of the electronic astable multivibrator. The existence of such oscillating, and logic circuits in the central nervous system and their biological significance should be investigated.

Our results suggest that the microscopic structure plays an important role in determining the behaviour of artificial nets. They also show that some variations in the connectivities are admissible without appreciably modifying the behaviour of the nets, (e.g. nets 2 and 3). The results reported here may provide some indications of the constraints which are imposed by specific anatomical

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APPENDIX

OVERLAY (BRAIN,0,0)  
PROGRAM MAIN(INPUT,OUTPUT,TAPE1,TAPE2,TAPE5,  
1TAPE6=OUTPUT)

```

00003 REAL INP,XNKAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
00003 REAL TAVG(10),TDCAY1(10),SDCAY(10),STD(100),S,AM,V,NOISE(100)
00003 REAL NSTD(10),TRESH3(1000),H
00003 INTEGER TITLE(15),INFO(15),INFO1(15),INFO2(15)
00003 INTEGER VNET(1000),FIRST,ITEM(20)
00003 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
00003 INTEGER RECORD(1,1000)
00003 INTEGER TMIN(10),TMAX(10),TDROP(10),ARF(10),THR1(10),VT(1000)
00003 INTEGER NSPONT(10),NEXT(10),EXTCOE(10),RCRD,IEXT(10)
00003 INTEGER PEINF(100),INC(100)
00003 INTEGER PRNT(10)
00003 DIMENSION NKFRST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
00003 DIMENSION LSTORN(5,1000),LSTORC(5,1000)
00003 LOGICAL LEARN,NULL,IFLAG,IMOD(10)
00003 LOGICAL FIRE(1000),JOIN(1000),INHIB(4096)
00003 COMMON/PARAM/ TOKOK,TITLE,INFO1,INFO2
00003 COMMON/PARAM/ NKX,NKXMIN,NKXMAX,XNKAVG,LCOMIN,LCOMAX,XCOAVG
00003 COMMON/PARAM/ INK,INKMIN,INKMAX,INKAVG,ICOMIN,ICOMAX,ICOAVG
00003 COMMON/PARAM/ NKXSUM,LCCSUM,NXNEUR,INKSUM,ICOSUM,INNEUR
00003 COMMON/PARAM/ JFRO1,JFRO2,IIO,IITO,COE,INH,IFRCTN,ITEM
00003 COMMON/PARAM/NKFRST,NKLAST,NNEUR2,NNEUR1
00003 COMMON/PARAM/LSTORN,LSTORC
00003 COMMON/PARAM/NHETS,NBLOCK,NTOTAL,NUMBER
00003 COMMON/PARAM/IDENT,NSTIM,INFO,IDITER,NITER
00003 COMMON/PARAM/TAVG,TDCAY1,SDCAY,INDEX
00003 COMMON/PARAM/ FIRST,LAST,NFIRE
00003 COMMON/PARAM/IMUP,IMUM,H,ICELL,VNET
00003 COMMON/PARAM/ STATE,TRESH1,TRESH2,TRESH3,VT
00003 COMMON/PARAM/ TMIN,TMAX,TDROP,ARF,THR1,PCRD
00003 COMMON/PARAM/ PEINF,INC
00003 COMMON/PARAM/ NSPONT,NEXT,INHIB,EXTCOE,IEXT,RECORD
00003 COMMON/PARAM/ LEARN,NULL,IFLAG,IMOD
00003 COMMON/PARAM/ FIRE,JOIN
00003 CALL OVERLAY(6HRCJNG,1,0,0)
00006 CALL OVERLAY(6HNETSIM,2,0,0)
00011 STOP 3 END

```

OVERLAY (RIGONG,1,0)  
PROGRAM RIGONG

C\*=====  
C\* RIGONGN2 - RANDOMLY INTERCONNECTED COMPOUND NET GENERATOR NEW \*  
C\*=====  
C

\*\*\*\*DECLARATIONS

C

```

0003 REAL INF,XNAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
0003 REAL TAVG(10),TDCAY1(10),SDCAY(10),STD(100),S,AM,V,NOISE(100)
0003 REAL NSTD(10),TRESH3(1000),H
0003 INTEGER TITLE(15),INFO(15),INFO1(15),INFO2(15)
0003 INTEGER VNET(1000),FIPST,ITEM(20)
0003 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
0003 INTEGER RECORD(1,1000)
0003 INTEGER TMIN(10),TMAX(10),TDROP(10),ARP(10),THR1(10),VT(1000)
0003 INTEGER NSPONT(10),NEXT(10),EXTCOE(10),RCRD,IEXT(10)
0003 INTEGER REINF(100),INC(100)
0003 INTEGER PRNT(10)
0003 DIMENSION NKFRST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
0003 DIMENSION LSTORN(5,1000),LSTORC(5,1000)
0003 LOGICAL LEARN,NULL,IFLAG,IMOD(10)
0003 LOGICAL FIRE(1000),JOIN(1000),INHIB(4096)
0003 COMMON/PARAM/ IGKORK,TITLE,INFO1,INFO2
0003 COMMON/PARAM/ NKX,NKXMIN,NKXMAX,XNAVG,LCOMIN,LCOMAX,XCOAVG
0003 COMMON/PARAM/ INK,INKMIN,INKMAX,INKAVG,ICOMIN,ICOMAX,ICOAVG
0003 COMMON/PARAM/ NKXSUM,LCOSUM,NXNEUR,INKSUM,ICOSUM,INNEUR
0003 COMMON/PARAM/ JFRON,JJFRON,IIO,IIFO,CQE,INH,IFRCTN,ITEM
0003 COMMON/PARAM/ NKFRST,NKLAST,NNEUR2,NNEUR1
0003 COMMON/PARAM/ LSTORI,LSTORC
0003 COMMON/PARAM/ NNETS,NSBLOCK,NTOTAL,NUMBER
0003 COMMON/PARAM/ IDENT,NSIIM,INFO,IOITER,MITER
0003 COMMON/PARAM/ TAVG,TDCAY1,SDCAY,INDEX
0003 COMMON/PARAM/ FIRST,LAST,NFIRE
0003 COMMON/PARAM/ INUP,LIUM,H,ICELL,VNET
0003 COMMON/PARAM/ STATE,TRESH1,TRESH2,TRESH3,VT
0003 COMMON/PARAM/ TMIN,TMAX,TDROP,ARP,THR1,RCRD
0003 COMMON/PARAM/ REINF,INC
0003 COMMON/PARAM/ NSPONT,NEXT,INHIB,EXTCOE,IEXT,RECORD
0003 COMMON/PARAM/ LEARN,NULL,IFLAG,IMOD
0003 COMMON/PARAM/ FIRE,JOIN
0003 DATA ISTAR/4H****/

```

C

\*\*\*\*\*FORMAT STATEMENTS

C

```

0003 5 FORMAT(*1START OF RUN*)
0003 105 FORMAT(I8,15A4/I2,I5,F12.2)
0003 115 FORMAT(*1NET NO.*,I8,15A4//6X,* TOTAL NUMBER OF SUBNETS*,6X,*
1NNETS=*,I9/6X,* TOTAL NUMBER OF NEURONS*,6X,* NTOTAL=*,I9/6X,*
2RAND. NO. GENERATOR. ,X*,5X,*=*,F14.2//)
0003 705 FORMAT(15A4/2I5,F5.3)
0003 755 FORMAT(6X,* SUBNET NO.*,I2,15A4//31X,* JFRON=*,I5/32X,
1*JJFRON=*,I5/31X,* INH =*,F9.3/31X,* INN =*,I5/31X,* IFRCTN=
2*,F9.3//)
0003 805 FORMAT(15A4/2I5,8I3)
0003 815 FORMAT(6X,* BLOCK NO.*,I2,15A4//31X,* ITO =*,I5/31X,* IITO =

```

1\*,I5/31X,\* NKXMAX=\*,I5/31X,\* NKXMIN=\*,I5/31X,\* INKMAX=\*,I5/31X,\*  
2 INKMIN=\*,I5/31X,\* LCOMAX=\*,I5/31X,\* LCOMIN=\*,I5/31X,\* ICOMAX=\*,  
3I5/31X,\* ICOMIN=\*,I5//)

000003 2405 FORMAT(\*OSBRTN CONECT FAILED --- BRAIN SUPRESSED\*)  
000003 3005 FORMAT(\* BRAIN ALREADY EXISTS --- NOT ALTERED, IOKORK=\*,I8)  
000003 9005 FORMAT(\*-END OF RUN\*)  
000003 1200 FORMAT(6(5X,3I5))

C  
C

000003 IRUN=0  
000004 WRITE(6,5)

C  
C

C\*\*\*\*\*READ IN STARTING PARAMETERS

C

000010 100 IRUN=IRUN+1  
000012 IF(IRUN.NE.1) GO TO 9000  
000013 READ(2,105) IOKORK,ITITLE,NNETS,NTOTAL,X  
000030 9001 WRITE(6,115) IOKORK,ITITLE,NNETS,NTOTAL,X

C

C\*\*\*\*\*INITIALIZE

C

000046 YFL=RANF(X)  
000051 X=C  
000052 DO 200 K=1,4096  
000053 INHIB(K)=.FALSE.  
000054 200 CONTINUE  
000056 DO 300 K=1,10  
000057 NNEUR1(K)=0  
000060 NNEUR2(K)=0  
000061 300 CONTINUE  
000063 NLOCK=NNETS\*\*2  
000065 DO 400 K=1,100  
000066 NKFRST(K)=0  
000067 NKLAST(K)=0  
000070 400 CONTINUE

C

C\*\*\*\*\*DEFINE SUBNETS IN COMPOUND NET

C

000072 INN=0  
000073 NKFRST(1)=1  
000074 DO 900 K=1,NNETS  
000075 READ(2,705) INFO1,JFROM,JJFROM,INH  
000110 NNEUR1(K)=JFROM  
000112 NNEUR2(K)=JJFROM  
000114 IF(INH.EQ.3) GO TO 750

C

C\*\*\*\*\*DECIDE WHICH NEURONS ARE INHIBITORY IN K-TH SUBNET

C

000115 500 INN=IFIX(FLOAT(JJFROM-JFROM+1)\*INH+0.5)  
000123 DO 700 L=1,INN  
000124 600 YFL=RANF(X)  
000127 J=JFROM+IFIX(FLOAT(JJFROM-JFROM)\*YFL+0.5)  
000135 IF(INHIB(J)) GO TO 600  
000137 INHIB(J)=.TRUE.  
000140 700 CONTINUE  
000142 750 IFRCTN=FLOAT(INN)/FLOAT(JJFROM-JFROM+1)  
000147 WRITE(6,755) K,INFO1,JFROM,JJFROM,INH,INN,IFRCTN

C

1\*, I5/31X, \* NKXMAX=\*, I5/31X, \* NKXMIN=\*, I5/31X, \* JNKMAX=\*, I5/31X, \*  
2 INKMIN=\*, I5/31X, \* LCOMAX=\*, I5/31X, \* LCOMIN=\*, I5/31X, \* ICOMAX=\*,  
3 I5/31X, \* ICOMIN=\*, I5/77)

000003 2405 FORMAT(\*OS9RTN CONNECT FAILED --- BRAIN SUPRESSED\*)  
000003 3005 FORMAT(\* BRAIN ALREADY EXISTS --- NOT ALTERED, IOKORK=\*, I8)  
000003 9005 FORMAT(\*-END OF RUN\*)  
000003 1200 FORMAT(6(5X, 3I5))

C  
C  
000003 IRUN=0  
000004 WRITE(6, 5)

C  
C\*\*\*\*\*READ IN STARTING PARAMETERS

C  
000010 100 IRUN=IRUN+1  
000012 IF(IRUN.NE.1) GO TO 9000  
000013 READ(2, 105) IOKORK, TITLE, NNETS, NTOTAL, X  
000030 9001 WRITE(6, 115) IOKORK, TITLE, NNETS, NTOTAL, X

C  
C\*\*\*\*\*INITIALIZE

C  
000046 YFL=RANF(X)  
000051 X=C  
000052 DO 200 K=1, 4096  
000053 INHIB(K)=.FALSE.  
000054 200 CONTINUE  
000056 DO 300 K=1, 10  
000057 NNEUR1(K)=0  
000060 NNEUR2(K)=0  
000061 300 CONTINUE  
000063 N3LOCK=NNETS\*\*2  
000065 DO 400 K=1, 100  
000066 NKFRST(K)=0  
000067 NKLAST(K)=0  
000070 400 CONTINUE

C  
C\*\*\*\*\*DEFINE SUBNETS IN COMPCOND NET

C  
000072 INN=0  
000073 NKFRST(1)=1  
000074 DO 900 K=1, NNETS  
000075 READ(2, 705) INFO1, JFROM, JJFROM, INH  
000110 NNEUR1(K)=JFROM  
000112 NNEUR2(K)=JJFROM  
000114 IF(INH.EQ.0) GO TO 750

C  
C\*\*\*\*\*DECIDE WHICH NEURONS ARE INHIBITORY IN K-TH SUBNET

C  
000115 500 INN=IFIX(FLOAT(JJFROM-JFROM+1)\*INH+0.5)  
000123 DO 700 L=1, INN  
000124 600 YFL=RANF(X)  
000127 J=JFROM+IFIX(FLOAT(JJFROM-JFROM)\*YFL+0.5)  
000135 IF(INHIB(J)) GO TO 600  
000137 INHIB(J)=.TRUE.  
000140 700 CONTINUE  
000142 750 IFRCFN=FLOAT(INN)/FLOAT(JJFROM-JFROM+1)  
000147 WRITE(6, 755) K, INFO1, JFROM, JJFROM, INH, INN, IFRCFN

C \*\*\*\*\*INTERCONNECT NEURONS OF K-TH SUBNET WITH REST IN COMPOUND NET

C

```
L1=1+(K-1)*NNETS
L2=K*NNETS
DO 800 L=L1,L2
READ(2,805)INFO2,ITO,IITO,NKXMAX,NKXMIN,INKMAX,INKMIN,LCOMAX,LCOMI
1N,ICOMAX,ICOMIN
IF(INFO2(1).EQ.ISTAR) GO TO 800
WRITE(6,815)L,INFO2,ITO,IITO,NKXMAX,NKXMIN,INKMAX,INKMIN
1,LCOMAX,LCOMIN,ICOMAX,ICOMIN
CALL CONECT(I1)
IF(I1.EQ.1) GO TO 900
NUMBER=NKXSUM+I1*SUM
NKLAST(L)=NUMBER
IF(L.LT.NBLOCK) NKFRST(L+1)=NKLAST(L)+1
800 CONTINUE
900 CONTINUE
```

C

C\*\*\*\*\*PRINT KCRK ARRAY

C

```
DO 950 I=1,NBLOCK
IF((NKLAST(I)-NKFRST(I)).GT.0) GO TO 950
NKFRST(I)=0
NKLAST(I)=0
950 CONTINUE
LX=NKXMAX
1000 CONTINUE
WRITE(6,1200)(J,(LSTORX(L,J),LSTORC(L,J),L=1,LX),J=1,NTOTAL)
CALL LIST
GO TO 100
2400 WRITE(6,2405)
GO TO 900
3000 PRINT 3005,IOKORK
GO TO 100
9000 WRITE(6,9005)
WRITE(6,9010) NTOTAL
9010 FORMAT(5X,* NTOTAL =*,I10)
RETURN
END
```

C

C  
C\*\*\*\*\*DECLARATIONS

00003 REAL INF, XNKAVG, INKAVG, XCOAVG, ICOAVG, YFL, IFRCTN  
 00003 REAL TAVG(10), TDCAY1(10), SOCAY(10), STD(100), S, AM, V, NOISE(100)  
 00003 REAL NSTD(10), TRESH3(1000), H  
 00003 INTEGER TITLE(15), INFO(15), INFO1(15), INFO2(15)  
 00003 INTEGER VNET(100), FIRST, ITEM(20)  
 00003 INTEGER STATE(1000), TRESH1(1000), TRESH2(1000)  
 00003 INTEGER RECORD(1, 1000)  
 00003 INTEGER TMIN(10), TMAX(10), TDROP(10), ARP(10), THR1(10), VT(1000)  
 00003 INTEGER NSPONT(10), NEXT(10), EXTCOE(10), RCRD, IEXT(10)  
 00003 INTEGER REINF(100), INC(100)  
 00003 INTEGER PRINT(10)  
 00003 DIMENSION NKFRST(100), NKLAST(100), NNEUR1(10), INNEUR2(10)  
 00003 DIMENSION LSTORN(5, 1000), LSTORC(5, 1000)  
 00003 LOGICAL LEARN, NULL, IFLAG, TMOD(10)  
 00003 LOGICAL FIRE(1000), JOIN(1000), INHIB(4096)  
 00003 COMMON/PARAM/ ICKORK, TITLE, INFO1, INFO2  
 00003 COMMON/PARAM/ NKX, NKXMIN, NKXMAX, XNKAVG, LCOMIN, LCOMAX, XCOAVG  
 00003 COMMON/PARAM/ INK, INKMIN, INKMAX, INKAVG, ICOMIN, ICOMAX, ICOAVG  
 00003 COMMON/PARAM/ NKXSUM, LCCSUM, NXNEUR, INKSUM, ICOSUM, INNEUR  
 00003 COMMON/PARAM/ JFROD, JJERCH, ITO, IITO, COE, INH, IFRCTN, ITEM  
 00003 COMMON/PARAM/ NKFRST, NKLAST, NNEUR2, NNEUR1  
 00003 COMMON/PARAM/ LSTORN, LSTORC  
 00003 COMMON/PARAM/ NPETS, NBLOCK, NTOTAL, NUMBER  
 00003  
 00003 COMMON/PARAM/ IDENT, NSTIP, INFO, IDITER, NITER  
 00003 COMMON/PARAM/ TAVG, TDCAY1, SOCAY, INDEX  
 00003 COMMON/PARAM/ FIRST, LAST, NFIRE  
 00003 COMMON/PARAM/ IMUP, INUM, H, ICELL, VNET  
 00003 COMMON/PARAM/ STATE, TRESH1, TRESH2, TRESH3, VT  
 00003 COMMON/PARAM/ TMIN, TMAX, TDROP, ARP, THR1, RCRD  
 00003 COMMON/PARAM/ REINF, INC  
 00003 COMMON/PARAM/ NSPONT, NEXT, INHIB, EXTCOE, IEXT, RECORD  
 00003 COMMON/PARAM/ LEARN, NULL, IFLAG, TMOD  
 00003 COMMON/PARAM/ FIRE, JOIN

C  
C\*\*\*\*\*FORMAT STATEMENTS

00003 555 FORMAT(31X, \* NXNEUR=\*, I6/31X, \* NKXSUM=\*, I6/31X, \* XNKAVG=\*, F9.2/3  
 11X, \* XCOAVG=\*, F9.2//31X, \* INNEUR=\*, I6/31X, \* INKSUM=\*, I6/31X, \* IN  
 2KAVG=\*, F9.2/31X, \* ICOAVG=\*, F9.2/31X, \* IFRCTN=\*, F10.3//)  
 00003 605 FORMAT(\* KORK APRAY OVERFLOWED\*)

C  
C\*\*\*\*\*INITIALIZE

00003 I1=0  
 00004 NKXSUM=0  
 00004 INKSUM=0  
 00005 NXNEUR=0  
 00006 INNEUR=0  
 00007 LCCSUM=0  
 00010 ICOSUM=0  
 00011 XNKAVG=0  
 00012 INKAVG=0  
 00013 XCOAVG=-0.0



C  
 C\*\*\*\*\*TAKE NEURONS ONE-BY-ONE WITHIN LIMITS

C  
 60 DO 500 J=JFROM, JJFROM  
 IF(INHIE(J)) GO TO 100

C  
 C\*\*\*\*\*COMPUTE NO. OF EFFERENT SYNAPSES FOR EXCITATORY NEURONS

C  
 000022 YFL=РАНF(X)  
 000024 NKX=NKXMIN+IFIX(FLOAT(NKXMAX-NKXMIN)\*YFL+0.5)  
 000032 NKXSUM=NKXSUM+NKX  
 000034 NXNEUR=NXNEUR+1  
 000035 XNKAVG=FLCAT(NKXSUM)/FLOCAT(NXNEUR)  
 000040 NK=NKX  
 000041 MIN=LCOMIN  
 000043 MAX=LCOMAX  
 000044 GO TO 200

C  
 C\*\*\*\*\*COMPUTE NO. OF EFFERENT SYNAPSES FOR INHIBITORY NEURONS

C  
 000046 100 YFL=РАНF(X)  
 000051 INK=INKMIN+IFIX(FLOAT(INKMAX-INKMIN)\*YFL+0.5)  
 000057 INKSUM=INKSUM+INK  
 000061 INNEUR=INNEUR+1  
 000062 INKAVG=FLOAT(INKSUM)/FLOCAT(INNEUR)  
 000065 INK=INK  
 000066 MIN=ICOMIN  
 000070 MAX=ICOMAX

C  
 C\*\*\*\*\*ASSIGN COUPLING COEFFICIENT

C  
 000071 200 DO 400 L=1, NK  
 000074 YFL=РАНF(X)  
 000076 LSTORC(L, J)=MIN+IFIX(FLOCAT(MAX-MIN)\*YFL+0.5)  
 000106 IF(LSTORC(L, J).LT. J) GO TO 250  
 000111 LCOSUM=LCOSUM+LSTORC(L, J)  
 000114 GO TO 300  
 000114 250 ICOSUM=ICOSUM+LSTORC(L, J)  
 000120 300 YFL=РАНF(X)

C  
 C\*\*\*\*\*FIND POSTSYNAPTIC NEURON AND STORE I, J, COE

C  
 000123 LSTORN(L, J)=ITO+IFIX(FLOCAT(IITO-ITO)\*YFL+0.5)  
 000133 400 CONTINUE  
 000136 500 CONTINUE

C  
 C\*\*\*\*\*PRINT AND RETURN

C  
 000140 IF(NKXSUM.NE.0.0) XCOAVG=FLOAT(LCOSUM)/FLOAT(NKXSUM)  
 000144 IF(INKSUM.NE.0.0) ICQAVG=FLOAT(ICOSUM)/FLOAT(INKSUM)  
 000150 IFRCTN=FLCAT(INNEUR)/FLCAT(JJFROM/JFROM+1)  
 000156 WRITE(6,555) NXNEUR, NKXSUM, XNKAVG, XCOAVG, INNEUR, INKSUM, INKAVG,  
 1 ICQAVG, IFRCTN  
 000204 RETURN  
 000205 600 WRITE(6,605)  
 000211 I1=1  
 000213 RETURN  
 000214 END

SUBROUTINE LIST

C  
C\*\*\*\*\*DECLARATIONS

C

```

00002 REAL INH, XNKAVG, INKAVG, XCOAVG, ICOAVG, YFL, IFRCTN
00002 REAL TAVG(10), TDCAY1(10), SDCAY(10), STD(100), S, AM, V, NOISE(100)
00002 REAL NSTD(10), TRESH3(1000), H
00002 INTEGER TITLE(15), INFO(15), INFO1(15), INFO2(15)
00002 INTEGER VNET(1000), FIRST, ITEM(20)
00002 INTEGER STATE(1000), TRESH1(1000), TRESH2(1000)
00002 INTEGER RECORD(1,1000)
00002 INTEGER TMIN(10), TMAX(10), TDROP(10), ARP(10), THR1(10), VT(1000)
00002 INTEGER NSPONT(10), NEX(10), EXTCOE(10), RCRD, IEXT(10)
00002 INTEGER REINF(100), INC(100)
00002 INTEGER PRNT(10)
00002 DIMENSION NKFRST(100), NKLAST(100), NNEUR1(10), NNEUR2(10)
00002 DIMENSION LSTORN(5,1000), LSTORC(5,1000)
00002 LOGICAL LEARN, NULL, IFLAG, TMOD(10)
00002 LOGICAL FIRE(1000), JOIN(1000), INHIB(4396)
00002 COMMON/PARAM/ IDK, PK, TITLE, INFO1, INFO2
00002 COMMON/PARAM/ NKX, NKXMIN, NKXMAX, XNKAVG, LCOMIN, LCOMAX, XCOAVG
00002 COMMON/PARAM/ INK, INKMIN, INKMAX, INKAVG, ICOMIN, ICOHAX, ICOAVG
00002 COMMON/PARAM/ NKXSUM, LCCSUM, INXNEUR, INKSUM, ICOSUM, INNEUR
00002 COMMON/PARAM/ JFFON, JJFON, ITO, IITO, COE, INH, IFRCTN, ITEM
00002 COMMON/PARAM/ NKFRST, NKLAST, NNEUR2, NNEUR1
00002 COMMON/PARAM/ LSTORN, LSTORC
00002 COMMON/PARAM/ NNETS, NBLCK, NTOTAL, NUMBER
00002 COMMON/PARAM/ IDENT, NSTIM, INFO, IDITER, NITER
00002 COMMON/PARAM/ TAVG, TDCAY1, SDCAY, INDEX
00002 COMMON/PARAM/ FIRST, LAST, NFIRE
00002 COMMON/PARAM/ TMUP, IMUM, H, ICELL, VNET
00002 COMMON/PARAM/ STATE, TRESH1, TRESH2, TRESH3, VT
00002 COMMON/PARAM/ TMIN, TMAX, TDROP, ARP, THR1, RCRD
00002 COMMON/PARAM/ REINF, INC
00002 COMMON/PARAM/ NSPONT, NEX, INHIB, EXTCOE, IEXT, RECORD
00002 COMMON/PARAM/ LEARN, NULL, IFLAG, TMOD
00002 COMMON/PARAM/ FIRE, JOIN

```

C  
C\*\*\*\*\*FORMAT STATEMENTS

C

```

00002 5 FORMAT(*1DISTRIBUTION OF CONNECTIONS IN COMPOUND NET*//)
00002 21 FORMAT(10X, I10/10X, I10/)
00002 22 FORMAT(20X, I10/20X, I10/)
00002 23 FORMAT(30X, I10/30X, I10/)
00002 24 FORMAT(40X, I10/40X, I10/)
00002 25 FORMAT(50X, I10/50X, I10/)
00002 26 FORMAT(60X, I10/60X, I10/)
00002 27 FORMAT(70X, I10/70X, I10/)
00002 28 FORMAT(80X, I10/80X, I10/)
00002 29 FORMAT(90X, I10/90X, I10/)
00002 30 FORMAT(100X, I10/100X, I10/)
00002 41 FORMAT(*1DISTRIBUTION OF NEURONS IN SUBNETS*//)
00002 45 FORMAT(10X, 10I10)
00002 46 FORMAT(10X, 10I10/)
00002 55 FORMAT(*1KORK ARRAY: IDKORK=*, I10, *(PRT ORDER: NK, I, J, COE)*//)
00002 555 FORMAT(5(5X, 4I5))

```

0002 615 FORMAT(\*1INHIB ARRAY, IDKOPK=\*,I10//((10(1X,10I1)))

C \*\*\*\*\*PRINT NNEUR1 AND NNEUR2 ARRAYS

C PRINT 5  
INDEX=J  
10 INDEX=INDEX+1  
IF(INDEX.GT.NNETS) GO TO 40  
GO TO (11,12,13,14,15,16,17,18,19,20),INDEX  
11 PRINT 21,NNEUR1(1),NNEUR2(1)  
GO TO 10  
12 PRINT 22,NNEUR1(2),NNEUR2(2)  
GO TO 10  
13 PRINT 23,NNEUR1(3),NNEUR2(3)  
GO TO 10  
14 PRINT 24,NNEUR1(4),NNEUR2(4)  
GO TO 10  
15 PRINT 25,NNEUR1(5),NNEUR2(5)  
GO TO 10  
16 PRINT 26,NNEUR1(6),NNEUR2(6)  
GO TO 10  
17 PRINT 27,NNEUR1(7),NNEUR2(7)  
GO TO 10  
18 PRINT 28,NNEUR1(8),NNEUR2(8)  
GO TO 10  
19 PRINT 29,NNEUR1(9),NNEUR2(9)  
GO TO 10  
20 PRINT 30,NNEUR1(10),NNEUR2(10)  
GO TO 10

C \*\*\*\*\*PRINT NKFRST AND NKLAST ARRAYS

C 40 PRINT 41  
GO 42 I=1,NNETS  
GO 44 J=1,NNETS  
ITEM(J)=NKFRST(I+(J-1)\*NNETS)  
K=10+J  
ITEM(K)=NKLAST(I+(J-1)\*NNETS)  
44 CONTINUE  
PRINT 45,(ITEM(L),L=1,NNETS)  
PRINT 46,(ITEM(L),L=11,NNETS)  
48 CONTINUE

C \*\*\*\*\*PRINT KCFK ARRAY

C \*\*\*\*\*ROUTINE

C K=C  
LL=0  
PRINT 55, IDKOPK  
100 GO 200-I=1,NKYMAX  
ITEM(I)=0  
200 CONTINUE  
K=K+1  
IF(K.GT.NUMBER) GO TO 500  
DO 400 J=JFROM, JJFROM

```
00263      DO 350 I=1, NKXMAX          117
00264      ITEM(L)=K
00265      ITEM(L+1)=LSTCRN(L,J)
00271      ITEM(L+2)=J
00272      ITEM(L+3)=LSTORC(L,J)
00274      IP=L+3
C      WRITE(6,505) (ITEM(I),I=L,IP)
00276      K=K+1
00277      IF(K.GT.NUMBER)GO TO 500
00302      350 CONTINUE
00304      DO 550 I=1, NKXMAX
00306      ITEM(I)=0
00307      550 CONTINUE
00311      400 CONTINUE
00314      500 WRITE(6,605)
00320      WRITE(6,615) IDKCRK, (INPIB(I),I=1,NTOTAL)
00335      RETURN
00336      END
```

OVERLAY (NETSIM, 2, 0)

PROGRAM NETSIM

```

000003 REAL INH, XNKAVG, INKAVG, XCOAVG, ICOAVG, YFL, IFRCTN
000003 REAL TAVG (10), TDCAY1 (10), SDCAY (10), STD (100), S, AM, V, NOISE (100)
000003 REAL NSTD (10), TRESH3 (1000), H
000003 INTEGER TITLE (15), INFO (45), INFO1 (15), INFO2 (15)
000003 INTEGER VNET (1000), FIRST, ITEM (20)
000003 INTEGER STATE (1000), TRESH1 (1000), TRESH2 (1000)
000003 INTEGER RECORD (1, 1000)
000003 INTEGER TMIN (10), THAX (10), TDROP (10), ARP (10), THR1 (10), VT (1000)
000003 INTEGER NSPONT (10), NEXT (10), EXTCOE (10), RCRD, IEXT (10)
000003 INTEGER REINF (100), INC (100)
000003 INTEGER PRNT (10)
000003 DIMENSION NKFRST (100), NKLAST (100), NNEUR1 (10), NNEUR2 (10)
000003 DIMENSION LSTCPN (5, 1000), LSTORC (5, 1000)
000003 LOGICAL LEARN, NULL, IFLAG, TMOD (10)
000003 LOGICAL FIRE (1000), JOIN (1000), INHIB (4096)
000003 COMMON/PARAM/ IDKORK, TITLE, INFO1, INFO2
000003 COMMON/PARAM/ NKX, NKXMIN, NKXMAX, XNKAVG, LCOMIN, LCOMAX, XCOAVG
000003 COMMON/PARAM/ INK, INKMIN, INKMAX, INKAVG, ICOMIN, ICOMAX, ICOAVG
000003 COMMON/PARAM/ NKXSUM, LCCSUM, NKNEUR, INKSUM, ICOSUM, INNEUR
000003 COMMON/PARAM/ JFRCT1, JJFPO1, ITO, IITO, COE, INH, IFRCTN, ITEM
000003 COMMON/PARAM/ NKFRST, NKLAST, NNEUR2, NNEUR1
000003 COMMON/PARAM/ LSTORC1, LSTORC
000003 COMMON/PARAM/ NETS, NBLOCK, NTOTAL, NUMBER
000003 COMMON/PARAM/ IDENT, NSTIM, INFO, IOTER, NITER
000003 COMMON/PARAM/ TAVG, TDCAY1, SDCAY, INDEX
000003 COMMON/PARAM/ FIRST, LAST, NFIRE
000003 COMMON/PARAM/ IDUP, INUN, H, ICELL, VNET
000003 COMMON/PARAM/ STATE, TRESH1, TRESH2, TRESH3, VT
000003 COMMON/PARAM/ TMIN, THAX, TDROP, ARP, THR1, RCRD
000003 COMMON/PARAM/ REINF, INC
000003 COMMON/PARAM/ NSPONT, NEXT, INHIB, EXTCOE, IEXT, RECORD
000003 COMMON/PARAM/ LEARN, NULL, IFLAG, TMOD
000003 COMMON/PARAM/ FIRE, JOIN

```

C\*\*\*\*\*FORMAT STATEMENTS

C

```

000003 50005 FORMAT(*1START OF RUN*)
000003 50016 FORMAT(5I4)
000003 50025 FORMAT(I2, F12.2)
000003 50026 FORMAT(2I3) F5.3, I4)
000003 50055 FORMAT(I4, 15A4)
000003 50056 FORMAT(5I5, 2F8.6)
000003 50145 FORMAT(I2, 15.4/I4, 3020)
000003 50150 FORMAT(2I2)
000003 50175 FORMAT(2I4)
000003 50905 FORMAT(*-LINK TO KORK FAILED --- RUN TERMINATED*)
000003 60000 FORMAT(*-END OF RUN*)

```

C

C\*\*\*\*\*IDENTIFICATION, INITIALIZATION AND PARAMETER ENTRY

C

```

000003 WRITE (6, 50105)
000007 110 READ (5, 50025) IDKORK, X
000017 IF (IDKORK.EQ.999) GO TO 1000
000021 110 FORMAT(5X, I4, F14.2)

```

```

00021      LX=NKXMAX      119
00023      WRITE(6,110) IDKORK,X
00032      1001 INDEX=J
00033      CALL ZERO
00034      YFL=RANF(X)
00037      X=G
00040      READ(5,50026) IMUP,IMUH,H,ICELL

C
C*****IDENTIFY RUN
C
00053      150 READ(5,50055) IDENT,TITLE
00063      INDEX=INDEX+1
00065      IF(IDENT.EQ.-1) GO TO 100

C
C*****SET UP THRESHOLDS
C
00067      DO 250 I=1,NNETS
00070      200 READ(5,50056) TMOQ(I),TMIN(I),TMAX(I),THR1(I),ARP(I),TDCAY1(I),
          1SDCAY(I)
00112      IF (TMOQ(I)) CALL THRSET(I)
00116      250 CONTINUE

C
C*****PRINT PARAMETERS AND THRESHOLD ARRAY
C
00121      CALL LIST1

C
C*****READ IN STIMULUS AND COMPUTE ALFA-N STATES
C
00122      300 READ(5,50145) NSTIM,INFC,NITER,LEARN,NULL,IFLAG
00142      IF(NSTIM.EQ.-1) GO TO 150
00144
00146
00147
00157
00162
00164      CALL ZERO1
00165      IF(.NOT.IFLAG) GO TO 620
00167      DO 600 I=1,NNETS
00170      550 READ(5,50016) NSPONT(I),NEXT(I),INHIB(I),EXTCQE(I),IEXT(I)
00206      600 CONTINUE
00211
00212
00221
00224      620 CALL LIST2
00225      650 READ(5,50175) FIRST, LAST
00235      IF(FIRST.EQ.-1) GO TO 700
00237      CALL SET1(I1)
00241      IF(I1.EQ.1) GO TO 650
00243      700 CALL CYCLES
00244      CALL LIST3(I2)
00246      IF(I2.EQ.1) GO TO 300

C
C*****EXIT
C
00250      900 WRITE(6,50905)
00254      1000 WRITE(6,60000)
00260      RETURN
00262      END

```

## SUBROUTINE ZERO

120

C  
C\*\*\*\*\*DECLARATIONS

```

00002 REAL INH,XNKAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
00002 REAL TAVG(10),TDCAY1(10),SDCAY(10),STD(100),S,AM,V,NOISE(100)
00002 REAL NSTD(10),TRESH3(1000),H
00002 INTEGER TITLE(10),INFO(15),INFO1(15),INFO2(15)
00002 INTEGER VNET(1000),FIRST,ITEM(20)
00002 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
00002 INTEGER RECORD(1,1000)
00002 INTEGER THIN(10),TMAX(10),TDROP(10),APP(10),THR1(10),VT(1000)
00002 INTEGER NSPONT(10),NEXT(10),EXTCOE(10),PCRD,IEXT(10)
00002 INTEGER REINF(100),INC(100)
00002 INTEGER PRNT(10)
00002 DIMENSION NKFRST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
00002 DIMENSION LSTCRN(5,1000),LSTCR(5,1000)
00002 LOGICAL LEARN, NULL, IFLAG, TMOD(10)
00002 LOGICAL FIRE(1000), JOIN(1000), INHIF(4096)
00002 COMMON/PARAM/ IDKORK, TITLE, INFO1, INFO2
00002 COMMON/PARAM/ NKX, NKXMIN, NKXMAX, XNKAVG, LCOMIN, LCOMAX, XCOAVG
00002 COMMON/PARAM/ INK, INKMIN, INKMAX, INKAVG, ICOMIN, ICOMAX, ICOAVG
00002 COMMON/PARAM/ NKXSUM, LCOXSUM, NKXNEUP, INKSUM, ICOSUM, INNEUR
00002 COMMON/PARAM/ JFRST, JFFST, ITO, IITO, COE, INH, IFRCTN, ITEM
00002 COMMON/PARAM/ NKFRST, NKLAST, NNEUR2, NNEUR1
00002 COMMON/PARAM/ LSTCRN, LSTCR
00002 COMMON/PARAM/ NNETS, NBLCK, NTOTAL, NUMBER
00002 COMMON/PARAM/ IDENT, NSTIM, INFO, IDITER, NITER
00002 COMMON/PARAM/ TAVG, TDCAY1, SDCAY, INDEX
00002 COMMON/PARAM/ FIRST, LAST, NFIRE
00002 COMMON/PARAM/ INUP, IMUM, H, ICELL, VNET
00002 COMMON/PARAM/ STATE, TRESH1, TRESH2, TRESH3, VT
00002 COMMON/PARAM/ THIN, TMAX, TDROP, APP, THR1, PCRD
00002 COMMON/PARAM/ REINF, INC
00002 COMMON/PARAM/ NSPONT, NEXT, INHIS, EXTCOE, IEXT, RECORD
00002 COMMON/PARAM/ LEARN, NULL, IFLAG, TMOD
00002 COMMON/PARAM/ FIRE, JOIN
C
00002 DO 100 I=1,NTOTAL
00004 IF (INDEX.CO.J) TRESH1(I)=0
00006 STATE(I)=0
00010 TRESH2(I)=TRESH1(I)
00011 FIRE(I)=.FALSE.
00012 JOIN(I)=.FALSE.
100 CONTINUE
00016 RETURN
00016 END

```

C  
C  
C

## \*\*\*\*\*DECLARATIONS

```

00002 REAL INH,XNKAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
00002 REAL TAVG(10),TDCAY1(10),SDCAY(10),STD(100),S,AM,V,NOISE(100)
00002 REAL NSTD(10),TRESH3(1000),H
00002 INTEGER TITLE(15),INFO(15),INFO1(15),INFO2(15)
00002 INTEGER VNET(1000),FIRST,ITEM(20)
00002 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
00002 INTEGER RECORD(1,1000)
00002 INTEGER TMIN(10),TMAX(10),TDROP(10),ARP(10),THR1(10),VT(1000)
00002 INTEGER NSPONT(10),NEXT(10),EXTCOE(10),RCRD,IEXT(10)
00002 INTEGER REINF(100),INC(100)
00002 INTEGER PRNT(10)
00002 DIMENSION NKFRST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
00002 DIMENSION LSTORL(5,1000),LSTORC(5,1000)
00002 LOGICAL LEARN,NULL,IFLAG,THOD(10)
00002 LOGICAL FIRE(1000),JOIN(1000),INHIB(4096)
00002 COMMON/PARAM/ TOKOK,TITLE,INFO1,INFO2
00002 COMMON/PARAM/ NKX,NKXMIN,NKXMAX,XNKAVG,LCOMIN,LCOMAX,XCOAVG
00002 COMMON/PARAM/ INK,INKMIN,INKMAX,INKAVG,ICOMIN,ICOMAX,ICOAVG
00002 COMMON/PARAM/ NKXSUM,LCCSUM,NXNEUR,INKSUM,ICOSUM,INNEUR
00002 COMMON/PARAM/ JFROM,JJFROM,ITO,IITO,COE,INH,IFRCTN,ITEM
00002 COMMON/PARAM/ NKFRST,NKLAST,NNEUR2,NNEUR1
00002 COMMON/PARAM/ LSTORL,LSTORC
00002 COMMON/PARAM/ NNETS,NBLOCK,NTOTAL,NUMBER
00002
00002 COMMON/PARAM/ IDENT,NSTIM,INFO,ITER,NITER
00002 COMMON/PARAM/ TAVG,TDCAY1,SDCAY,INDEX
00002 COMMON/PARAM/ FIRST,LAST,NFIRE
00002 COMMON/PARAM/ IMUP,IMUH,H,ICELL,VNET
00002 COMMON/PARAM/ STATE,TRESH1,TRESH2,TRESH3,VT
00002 COMMON/PARAM/ TMIN,TMAX,TDROP,ARP,THR1,RCRD
00002 COMMON/PARAM/ REINF,INC
00002 COMMON/PARAM/ NSPONT,NEXT,INHIB,EXTCOE,IEXT,RECORD
00002 COMMON/PARAM/ LEARN,NULL,IFLAG,THOD
00002 COMMON/PARAM/ FIRE,JOIN
00002 DO 5 I=1,NITER
00004 VNET(I)=0
00005 5 VT(I)=0
00010 DO 200 K=1,NITER
00012 DO 100 J=1,NNETS
00013 RECORD(J,K)=0
00016 100 CONTINUE
00020 200 CONTINUE
00023 RETURN
00023 END

```



C  
C\*\*\*\*\*DECLARATIONS  
C

```

00002 REAL INH,XNKAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
00002 REAL TAVG(10),TDCAY1(10),SDCAY(10),STD(100),S,AM,V,NOISE(100)
00002 REAL NSTD(10),TRESH3(1000),H
00002 INTEGER TITLE(15),INFO(15),INFO1(15),INFO2(15)
00002 INTEGER VNET(1000),FIRST,ITEM(20)
00002 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
00002 INTEGER RECORD(1,1000)
00002 INTEGER TWIN(10),TMAX(10),TDROP(10),ARP(10),THR1(10),VT(1000)
00002 INTEGER NSPONT(10),NEXT(10),EXTCOS(10),PCRD,IEXT(10)
00002 INTEGER REINF(100),INC(100)
00002 INTEGER PRNT(10)
00002 DIMENSION NKFRST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
00002 DIMENSION LSTORN(5,1000),LSTORC(5,1000)
00002 LOGICAL LEARN,NULL,IFLAG,THOD(10)
00002 LOGICAL FIRE(1000),JOIN(1000),INHIB(4096)
00002 COMMON/PARAM/ IOKOK,TITLE,INFO1,INFO2
00002 COMMON/PARAM/ NKX,NKMIN,NKMAX,XNKAVG,LCCMIN,LCCMAX,XCOAVG
00002 COMMON/PARAM/ INK,INKMIN,INKMAX,INKAVG,ICOMIN,ICOMAX,ICOAVG
00002 COMMON/PARAM/ NKXSUM,LCCSUM,NXNEUR,INKSUM,ICOSUM,INNEUR
00002 COMMON/PARAM/ JFRON,JJFRON,IIO,IITO,COE,INH,IFRCTN,ITEM
00002 COMMON/PARAM/ NKFRST,NKLAST,NNEUR2,NNEUR1
00002 COMMON/PARAM/ LSTORN,LSTORC
00002 COMMON/PARAM/ NNETS,NBLCK,NTOTAL,NUMBER
00002
00002 COMMON/PARAM/ IDENT,NSTIM,INFO,IDITER,NITER
00002 COMMON/PARAM/ TAVG,TDCAY1,SDCAY,INDEX
00002 COMMON/PARAM/ FIRST,LAST,NFIRE
00002 COMMON/PARAM/ IMP,IMU,H,ICELL,VNET
00002 COMMON/PARAM/ STATE,TRESH1,TRESH2,TRESH3,VT
00002 COMMON/PARAM/ TWIN,TMAX,TDROP,ARP,THR1,PCRD
00002 COMMON/PARAM/ REINF,INC
00002 COMMON/PARAM/ NSPONT,NEXT,INHIB,EXTCOS,IEXT,RECORD
00002 COMMON/PARAM/ LEARN,NULL,IFLAG,THOD
00002 COMMON/PARAM/ FIRE,JOIN
C
00002 NN=NITER+1
00004 GO 700 K=1,NN
00006 IDITER=100000*IDENT+1000*NSTIM+(K-1)
00014 IF(K.EQ.1) GO TO 100
00016 CALL SET
00017 CALL THINK(K)
00021 100 IF(.NOT.IFLAG) GO TO 400
00023 GO 200 L=1,NNETS
00024
00034 IF(NEXT(L).NE.0.AND.K.NE.1) CALL SET3(L,K)
00046 IF(IEXT(L).NE.0.AND.K.NE.1) CALL SET3(L,K)
00060 200 CONTINUE
00063
00064
00075
00100 400 CALL COUNT(K)
00102
00104

```

000106  
000107  
000113  
000116  
000122  
000125  
000127  
000131  
000135  
000140  
000140

123

IF (RCRD.EQ.0.AND..NOT.IFLAG) GO TO 800  
700 CONTINUE

800 RETURN  
END

C

C\*\*\*\*\*DECLARATIONS

C

```

000003 REAL INH,XNKAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
000003 REAL TAVG(10),TDCAY1(10),SDCAY(10),STD(100),S,AM,V,NOISE(100)
000003 REAL NSTD(10),TRESH3(1000),H
000003 INTEGER TITLE(15),INFO(15),INFO1(15),INFO2(15)
000003 INTEGER VNET(1000),FIRST,ITEM(20)
000003 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
000003 INTEGER RECORD(1,1000)
000003 INTEGER TMIN(10),TMAX(10),TDROP(10),ARP(10),THR1(10),VT(1000)
000003 INTEGER NSPONT(10),NEXT(10),EXTCOE(10),PCRD,TEXT(10)
000003 INTEGER REINF(100),INC(100)
000003 INTEGER PRNT(10)
000003 DIMENSION NKFRST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
000003 DIMENSION LSTORN(5,100),LSTORC(5,1000)
000003 LOGICAL LEARN,NULL,IFLAG,THOD(10)
000003 LOGICAL FIRE(1000),JOIN(1000),INHIB(4096)
000003 COMMON/PARAM/ IDKORK,TITLE,INFO1,INFO2
000003 COMMON/PARAM/ NKX,NKXMIN,NKXMAX,XNKAVG,LCOMTN,LCOMAX,XCOAVG
000003 COMMON/PARAM/ INK,INKMIN,INKMAX,INKAVG,ICOMIN,ICOMAX,ICOAVG
000003 COMMON/PARAM/ NKXSUM,LCOSUM,NXNEUP,INKSUM,ICOSUM,INNEUR
000003 COMMON/PARAM/ JFRO1,JJFFO1,IIO,IITO,COE,INH,IFRCTN,ITEM
000003 COMMON/PARAM/ NKFRST,NKLAST,NNEUR2,NNEUR1
000003 COMMON/PARAM/ LSTOR1,LSTORC
000003 COMMON/PARAM/ NPETS,NBLOCK,NTOTAL,NUMBER
000003
000003 COMMON/PARAM/ IDENT,NSTIP,INFO,ITER,NITER
000003 COMMON/PARAM/ TAVG,TDCAY1,SDCAY,INDEX
000003 COMMON/PARAM/ FIRST,LAST,NFIRE
000003 COMMON/PARAM/ INUP,IMUN,H,ICELL,VIET
000003 COMMON/PARAM/ STATE,TRESH1,TRESH2,TRESH3,VT
000003 COMMON/PARAM/ TMIN,TMAX,TDROP,ARP,THR1,PCRD
000003 COMMON/PARAM/ REINF,INC
000003 COMMON/PARAM/ NSPONT,NEXT,INHIB,EXTCOE,TEXT,RECORD
000003 COMMON/PARAM/ LEARN,NULL,IFLAG,THOD
000003 COMMON/PARAM/ FIRE,JOIN
C
000003 SUM=0
000004 LL1=NNEUR1(I)
000006 LL2=NNEUR2(I)
000007 NNEUR=NNEUR2(I)-NNEUR1(I)+1
000012 DIFF=TMAX(I)-TMIN(I)
000014 DO 100 J=LL1,LL2
000016 YFL=RANF(X)
000020 TRESH1(J)=TMIN(I)+IFIX(DIFF*YFL+0.5)
000026 IF (INDEX.EQ.1) TRESH2(J)=TRESH1(J)
000032 SUM=SUM+TRESH1(J)
000035 100 CONTINUE
000037 TAVG(I)=(SUM)/FLOAT(NNEUR)
000042 RETURN
000043 END

```

C  
C\*\*\*\*\* DECLARATIONS  
C

```

000002 REAL INF, XNKAVG, INKAVG, XCOAVG, ICOAVG, YFL, IFRCTN
000002 REAL TAVG(10), TDCAY1(10), SDCAY(10), STD(100), S, AM, V, NOISE(100)
000002 REAL NSTD(10), TRESH3(1000), H
000002 INTEGER TITLE(15), INFO(15), INFO1(15), INFO2(15)
000002 INTEGER VNET(1000), FIRST, ITEM(20)
000002 INTEGER STATE(1000), TRESH1(1000), TRESH2(1000)
000002 INTEGER RECORD(1,1000)
000002 INTEGER TMIN(10), TMAX(10), TDROP(10), ARP(10), THR1(10), VT(1000)
000002 INTEGER NSPONT(10), NEXT(10), EXTCOE(10), RCRD, IEXT(10)
000002 INTEGER REINF(100), INC(100)
000002 INTEGER PRNT(10)
000002 DIMENSION NKFRST(100), NKLAST(100), NNEUR1(10), NNEUR2(10)
000002 DIMENSION LSTORN(5,1000), LSTORC(5,1000)
000002 LOGICAL LEARN, NULL, IFLAG, TMOD(10)
000002 LOGICAL FIRE(1000), JOIN(1000), INHIB(4096)
000002 COMMON/PARAM/ ILKORK, TITLE, INFO1, INFO2
000002 COMMON/PARAM/ NKX, NKXMIN, NKXMAX, XNKAVG, LCOMIN, LCOMAX, XCOAVG
000002 COMMON/PARAM/ INK, INKMIN, INKMAX, INKAVG, ICOMIN, ICOMAX, ICOAVG
000002 COMMON/PARAM/ NKXSUM, LCCSUM, NKNEUR, INKSUM, ICOSUM, INNEUR
000002 COMMON/PARAM/ JFROI, JFROH, ITO, IITO, COE, INH, IFRCTN, ITEM
000002 COMMON/PARAM/ NKFRST, NKLAST, NNEUR2, NNEUR1
000002 COMMON/PARAM/ LSTORN, LSTORC
000002 COMMON/PARAM/ NNETS, NBLOCK, NTOTAL, NUMBER

000002 COMMON/PARAM/ IDENT, NSTIP, INFO, IDITER, NITER
000002 COMMON/PARAM/ TAVG, TDCAY1, SDCAY, INDEX
000002 COMMON/PARAM/ FIRST, LAST, NFIRE
000002 COMMON/PARAM/ IMP, IMPUN, H, ICELL, VNET
000002 COMMON/PARAM/ STATE, TRESH1, TRESH2, TRESH3, VT
000002 COMMON/PARAM/ TMIN, TMAX, TDROP, ARP, THR1, RCRD
000002 COMMON/PARAM/ REINF, INC
000002 COMMON/PARAM/ NSPONT, NEXT, INHIB, EXTCOE, IEXT, RECORD
000002 COMMON/PARAM/ LEARN, NULL, IFLAG, TMOD
000002 COMMON/PARAM/ FIRE, JOIN

C
000002 ER=0.00001
000004 DO 500 J=1, NNETS
000005 LL1=NNEUR1(J)
000007 LL2=NNEUR2(J)
000010 DO 400 I=LL1, LL2
000012 DST=TRESH2(I)-32000
000015 IF (DST.LT.ARP(J)) GO TO 100
000020 TDROP(J)=TRESH1(I)+THR1(J)
000023 TRESH2(I)=TDROP(J)
000025 STATE(I)=0
000026 GO TO 400
000026 100 IF (DST.LT.0) GO TO 200
000030 TRESH2(I)=TRESH2(I)+1
000032 GO TO 400
000033 200 STATE(I)=STATE(I)*SDCAY(J)
000040 DTHR=TRESH2(I)-TRESH1(I)
000042 IF (DTHR.LE.1) GO TO 300
000045 TRESH3(I)=TDROP(J)-TRESH1(I)

```

000050 IF (TRESH3(I).LT.EP) GO TO 250 <sup>126</sup>  
000052 TRESH3(I)=TRESH2(I)\*TDCAY1(J)  
000055 250 TRESH2(I)=TRESH1(I)+IFIX(TRESH3(I)+0.5)  
000061 GO TO 400  
000062 300 TRESH2(I)=TRESH1(I)  
030064 400 CONTINUE  
030067 500 CONTINUE  
033071 RETURN  
000072 END

## SUBROUTINE THINK(K)

C  
C\*\*\*\*\*DECLARATIONS  
C

```

000003 REAL INH,XNKAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
000003 REAL TAVG(10),TOCAY1(10),SOCAY(10),STD(100),S,AH,V,NOISE(100)
000003 REAL NSTD(10),TRESH3(1000),H
000003 INTEGER TITLE(15),INFO(15),INFO1(15),INFO2(15)
000003 INTEGER VNET(1000),FIRST,ITEM(20)
000003 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
000003 INTEGER RECORD(1,1000)
000003 INTEGER THIN(10),TMAX(10),TDROP(10),ARP(10),THR1(10),VT(1000)
000003 INTEGER NSPONT(10),NEXT(10),EXTCOE(10),RCRD,IEXT(10)
000003 INTEGER REINF(100),INC(100)
000003 INTEGER PRINT(10)
000003 DIMENSION NKFRST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
000003 DIMENSION LSTORN(5,1000),LSTORC(5,1000)
000003 LOGICAL LEARN,NULL,IFLAG,TMOD(10)
000003 LOGICAL FIRE(1000),JOIN(1000),INHIB(4096)
000003 COMMON/PARAM/ IDKORK,TITLE,INFO1,INFO2
000003 COMMON/PARAM/ NKX,NKXMIN,NKXMAX,XNKAVG,LCOMIN,LCOMAX,XCOAVG
000003 COMMON/PARAM/ INK,INKMIN,INKMAX,INKAVG,ICOMIN,ICOMAX,ICOAVG
000003 COMMON/PARAM/ NKXSUM,LCSUM,NXNEUR,INKSUM,ICOSUM,INNEUR
000003 COMMON/PARAM/ JJFRO!,JJFROM,IIO,IITO,COE,INH,IFRCTN,ITEM
000003 COMMON/PARAM/ NKFRST,NKLAST,NNEUR2,NNEUR1
000003 COMMON/PARAM/ LSTORI,LSTORC
000003 COMMON/PARAM/ NNLTS,NBLOCK,NTOTAL,NUMBER
000003
000003 COMMON/PARAM/ IDENT,NSTIM,INFO,ITER,NITER
000003 COMMON/PARAM/ TAVG,TOCAY1,SOCAY,INDEX
000003 COMMON/PARAM/ FIRST,LAST,NFIRE
000003 COMMON/PARAM/ IMP,IMPUM,F,ICELL,VNET
000003 COMMON/PARAM/ STATE,TRESH1,TRESH2,TRESH3,VT
000003 COMMON/PARAM/ THIN,TMAX,TDROP,ARP,THR1,RCRD
000003 COMMON/PARAM/ REINF,INC
000003 COMMON/PARAM/ NSPONT,NEXT,INHIB,EXTCOE,IEXT,RECORD
000003 COMMON/PARAM/ LEARN,NULL,IFLAG,TMOD
000003 COMMON/PARAM/ FIRE,JOIN
C
000003 LL=0
000004 LL=LL+1
000006 DO 400 J=JJFROM,JJFROM
000010 CO 350 L=1,NKXMAX
000011 NITO=LSTORN(L,J)
000014 NJFROM=J
000015 NCOE=LSTORC(L,J)
000017 IF (TRESH2(NITO).GE.32000) GO TO 140
000022 IF (FIRE(NJFROM)) GO TO 15
000024 GO TO 150
000025 140 IF (TRESH2(NITC).EQ.32000) GO TO 150
000030 IF (.NOT. FIRE(NJFROM)) GO TO 150
000032 15 STATE(NITO)=STATE(NITO)+NCOE
000035 VNET(K)=VNET(K)+STATE(NITO)
000037 IF (NITO.EQ.ICELL) GO TO 200
000040 GO TO 150
000040 200 VT(K)=STATE(NITO)
000044 150 LL=LL+1

```

000046 IF (LL.GT.NUMBER) GO TO 500  
000051 350 CONTINUE  
000053 400 CONTINUE  
000056 500 RETURN  
000057 END

SUBROUTINE COUNT(K)

C  
C\*\*\*\*\* DECLARATIONS  
C

```

000003 REAL INK, XNKAVG, INKAVG, XCOAVG, ICOAVG, YFL, IFRCTN
000003 REAL TAVG(10), TOCAY1(10), SOCAY(10), STD(10L), S, AM, V, NOISE(100)
000003 REAL NSTD(10), TRESH3(1000), H
000003 INTEGER TITLE(15), INFO(15), INFO1(15), INFO2(15)
000003 INTEGER VNET(1000), FIRST, ITEM(20)
000003 INTEGER STATE(1000), TRESH1(1000), TRESH2(1000)
000003 INTEGER RECORD(1, 1000)
000003 INTEGER TMIN(10), TMAX(10), TOROP(10), ARP(10), THR1(10), VT(1000)
000003 INTEGER NSPONT(10), NEXT(10), EXTCOE(10), RCRD, IEXT(10)
000003 INTEGER PEINF(100), INC(100)
000003 INTEGER PINT(10)
000003 DIMENSION NKFRST(100), NKLAST(100), NNEUR1(10), NNEUR2(10)
000003 DIMENSION LSTORN(5, 1000), LSTORC(5, 1000)
000003 LOGICAL LEARN, NULL, IFLAG, TMOD(10)
000003 LOGICAL FIRE(1000), JOIN(1000), INHIB(4096)
000003 COMMON/PARAM/ IDKORK, TITLE, INFO1, INFO2
000003 COMMON/PARAM/ NKX, NKXMIN, NKXMAX, XNKAVG, LCOMIN, LCOMAX, XCOAVG
000003 COMMON/PARAM/ INK, INKMIN, INKMAX, INKAVG, ICOMIN, ICOMAX, ICOAVG
000003 COMMON/PARAM/ NKXSUM, LCOMSUM, NKXNEUR, INKSUM, ICOMSUM, INNNEUR
000003 COMMON/PARAM/ JFRCH, JJFROM, ITO, IITO, COE, INH, IFRCTN, ITEM
000003 COMMON/PARAM/ NKFRST, NKLAST, NNEUR2, NNEUR1
000003 COMMON/PARAM/ LSTORL, LSTORC
000003 COMMON/PARAM/ NNETS, NBLOCK, NTOTAL, NUMBER
000003 COMMON/PARAM/ IDENT, NSTIM, INFO, IDITER, NITER
000003 COMMON/PARAM/ TAVG, TOCAY1, SOCAY, INDEX
000003 COMMON/PARAM/ FIRST, LAST, NFIRE
000003 COMMON/PARAM/ IMUP, IMUM, F, ICELL, VNET
000003 COMMON/PARAM/ STATE, TRESH1, TRESH2, TRESH3, VT
000003 COMMON/PARAM/ TMIN, TMAX, TOROP, ARP, THR1, RCRD
000003 COMMON/PARAM/ PEINF, INC
000003 COMMON/PARAM/ NSPONT, NEXT, INHIB, EXTCOE, IEXT, RECORD
000003 COMMON/PARAM/ LEARN, NULL, IFLAG, TMOD
000003 COMMON/PARAM/ FIRE, JOIN

```

```

000003 RCRD=0
000004 DO 300 J=1, NNETS
000005 NFIRE=0
000006 LL1=NNEUR1(J)
000010 LL2=NNEUR2(J)
000011 DO 200 I=LL1, LL2
000013 FIRE(I)=.FALSE.
000014 IF (TRESH2(I).GE.32001) GO TO 200
000017 IF (STATE(I).GE.TRESH2(I)) GO TO 100
000021 GO TO 200
000022 100 NFIRE=NFIRE+1
000024 STATE(I)=0
000025 TRESH2(I)=32000
000027 FIRE(I)=.TRUE.
000030 IF (JOIN(I)) GO TO 200
000031 JOIN(I)=.TRUE.
000032 200 CONTINUE
000035 RECORD(J, I)=NFIRE

```



000037  
000041  
000044  
000044

RCRD=PCRD+RECORD(J,K)  
300 CONTINUE  
RETURN  
END

## SUBROUTINE SET1(I1)

C  
C\*\*\*\*\*DECLARATIONS  
C

```

000003 REAL INH, XNKAVG, INKAVG, XCOAVG, ICOAVG, YFL, IFRCTN
000003 REAL TAVG(10), TDCAY1(10), SDCAY(10), STD(100), S, AM, V, NOISE(100)
000003 REAL NSTD(10), TRESH3(1000), H,
000003 INTEGER TITLE(15), INFO(15), INFO1(15), INFO2(15)
000003 INTEGER VNET(1000), FIRST, ITEM(20)
000003 INTEGER STATE(1000), TRESH1(1000), TRESH2(1000)
000003 INTEGER RECORD(1,1000)
000003 INTEGER TMIN(10), TMAX(10), TDROP(10), ARP(10), THR1(10), VT(1000)
000003 INTEGER NSPONT(10), NEXT(10), EXTCOE(10), RCRD, IEXT(10)
000003 INTEGER PEINF(100), INC(100)
000003 INTEGER PRNT(10)
000003 DIMENSION NKFRST(100), NKLAST(100), NNEUR1(10), NNEUR2(10)
000003 DIMENSION LSTCRN(5,1000), LSTCRD(5,1000)
000003 LOGICAL LEARN, NULL, IFLAG, TMOD(10)
000003 LOGICAL FIRE(1000), JOIN(1000), INHIP(4096)
000003 COMMON/PARAM/ IOKORK, TITLE, INFO1, INFO2
000003 COMMON/PARAM/ NKX, NKXMIN, NKXMAX, XNKAVG, LCOMIN, LCOMAX, XCOAVG
000003 COMMON/PARAM/ INK, INKMIN, INKMAX, INKAVG, ICOMIN, ICONAX, ICCAVG
000003 COMMON/PARAM/ NKXSUM, LCGSUM, NYNEUR, INKSUM, ICOSUM, INNEUR
000003 COMMON/PARAM/ JFROM, JFFROM, ITO, IITO, COE, INH, IFRCTN, ITEM
000003 COMMON/PARAM/ NKFRST, NKLAST, NNEUR1, NNEUR2
000003 COMMON/PARAM/ LSTCRN, LSTCRD
000003 COMMON/PARAM/ NHETS, NBLOCK, NTOTAL, NUMBER
000003
000003 COMMON/PARAM/ IDENT, NSTIM, INFO, IDITER, NITER
000003 COMMON/PARAM/ TAVG, TDCAY1, SDCAY, INDEX
000003 COMMON/PARAM/ FIRST, LAST, NFIRE
000003 COMMON/PARAM/ INUP, INUM, H, ICFLI, VNET
000003 COMMON/PARAM/ STATE, TRESH1, TRESH2, TRESH3, VT
000003 COMMON/PARAM/ TMIN, TMAX, TDROP, ARP, THR1, RCRD
000003 COMMON/PARAM/ PEINF, INC
000003 COMMON/PARAM/ NSPONT, NEXT, INHIB, EXTCOE, IEXT, RECORD
000003 COMMON/PARAM/ LEARN, NULL, IFLAG, TMOD
000003 COMMON/PARAM/ FIRE, JOIN
C
000003 I1=
000004 WRITE(6,50)
000007 50 FORMAT(5X,46HALLA-3 STATE: THE FOLLOWING NEURONS ARE FIRING//)
000007 DO 100 I=FIRST, LAST
000012 STATE(I)=TRESH2(I)
000014 100 CONTINUE
000016 WRITE(6,200) FIRST, LAST
000025 200 FORMAT(2I4)
000025 I1=1
000027 RETURN
000030 END

```

C  
C\*\*\*\*DECLARATIONS  
C

```

000005 REAL INH,XNKAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
000005 REAL TAVG(10),TQCAY1(10),SOCAY(10),STD(100),S,AM,V,NOISE(100)
000005 REAL NSTD(10),TRESH3(100),H
000005 INTEGER TITLE(15),INFO(15),INFO1(15),INFO2(15)
000005 INTEGER VNET(1000),FIRST,ITEM(20)
000005 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
000005 INTEGER RECORD(1,1000)
000005 INTEGER TMIN(10),TMAX(10),TDROP(10),ARP(10),THR1(10),VT(1000)
000005 INTEGER NSPOINT(10),NEXT(10),EXTCOE(10),RCRD,IEXT(10)
000005 INTEGER PEINF(100),INC(100)
000005 INTEGER PRNT(10)
000005 DIMENSION NKFRST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
000005 DIMENSION LSTORC(5,1000),LSTORC(5,1000)
000005 LOGICAL LEARN,NULL,IFLAG,TMOD(10)
000005 LOGICAL FIRE(1000),JOIN(1000),INHIB(4096)
000005 COMMON/PARAM/ IDKORK,TITLE,INFO1,INFO2
000005 COMMON/PARAM/ NKX,NKXMIN,NKXMAX,XNKAVG,LCCMIN,LCCMAX,XCOAVG
000005 COMMON/PARAM/ INK,INKMIN,INKMAX,INKAVG,ICOMIN,ICOMAX,ICOAVG
000005 COMMON/PARAM/ NKXSUM,LCCSUM,NXNEUP,INKSUM,ICOSUM,INNEUR
000005 COMMON/PARAM/ JFRON,JFROH,IIO,IITO,COE,INH,IFRCTN,ITEM
000005 COMMON/PARAM/ NKFRST,NKLAST,NNEUR2,NNEUR1
000005 COMMON/PARAM/ LSTOR1,LSTORC
000005 COMMON/PARAM/ NNETS,NBLCK,NTOTAL,NUMBER
000005 COMMON/PARAM/ IDENT,NSTIM,INFO,IDITER,NITER
000005 COMMON/PARAM/ TAVG,TQCAY1,SOCAY,INDEX
000005 COMMON/PARAM/ FIRST,LAST,NFIRE
000005 COMMON/PARAM/ IMUP,IMUM,H,ICELL,VNET
000005 COMMON/PARAM/ STATE,TRESH1,TRESH2,TRESH3,VT
000005 COMMON/PARAM/ TMIN,TMAX,TDROP,ARP,THR1,RCRD
000005 COMMON/PARAM/ PEINF,INC
000005 COMMON/PARAM/ NSPOINT,NEXT,INHIB,EXTCOE,IEXT,RECORD
000005 COMMON/PARAM/ LEARN,NULL,IFLAG,TMOD
000005 COMMON/PARAM/ FIRE,JOIN
000005 IF(K.EQ.100) RETURN
000010 IF(K.EQ.101) GO TO 10
000012 GO TO 300
000012 10 YFL=RANF(X)
000015 X=0
000016 LL3=IEXT(L)
000021 HFRON=INHIB(L)/100
000024 NN=IFIX(NEXT(L)*HFRON+0.5)
000030 DIFF=NNEUR2(L)-NNEUR1(L)
000032 LL1=NN
000034 LL2=NEXT(L)-NN
000035 IF(NN.EQ.0) GO TO 150
000036 DO 100 I=1,LL1
000037 YFL=RANF(X)
000041 J=NNEUR1(L)+IFIX(DIFF*YFL+0.5)
000047 IF(STATE(J).GE.32000) GO TO 100
000052 STATE(J)=STATE(J)-EXTCOE(L)
000054 100 CONTINUE
000057 IF(LL2.EQ.0) GO TO 200

```

```
000060 150 DO 200 I=1,LL2 -133
000062 YFL=RANF(X)
000064 J=NNEUR1(L)+IFIX(DIFF*YFL+0.5)
000072 IF (STATE(J).GE.32000) GO TO 200
000075 STATE(J)=STATE(J)+EXTCOE(L)
000077 200 CONTINUE
000082 IF (LL3.EQ.0) GO TO 300
000103 DO 250 I=1,LL3
000104 YFL=RANF(X)
000106 J=NNEUR1(L)+IFIX(DIFF*YFL+0.5)
000114 IF (STATE(J).GE.32000) GO TO 250
000117 STATE(J)=STATE(J)-EXTCOE(L)
000121 250 CONTINUE
000124 300 RETURN
000125 END
```

## SUBROUTINE LIST1

C  
C\*\*\*\*\*DECLARATIONS

C

```

000002 REAL TME,XNKAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
000002 REAL TAVG(10),TDCAY1(10),SDCAY(10),STD(100),S,AM,V,NOISE(100)
000002 REAL NSTD(10),TRESH(1000),H
000002 INTEGER TITLE(15),INFO(15),INFO1(15),INFO2(15)
000002 INTEGER VNET(1000),FIRST,ITEM(20)
000002 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
000002 INTEGER RECORD(1,1000)
000002 INTEGER TMIN(10),TMAX(10),TDROP(10),ARP(10),THR1(10),VT(1000)
000002 INTEGER NSPONT(10),NEXT(10),EXTCOE(10),RCRD,IEXT(10)
000002 INTEGER REINF(100),INC(100)
000002 INTEGER PRNT(10)
000002 DIMENSION NKFPST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
000002 DIMENSION LSTORN(5,1000),LSTORC(5,1000)
000002 LOGICAL LEARN,NULL,IFLAG,TMOD(10)
000002 LOGICAL FIRE(1000),JOIN(1000),INHIB(4096)
000002 COMMON/PARAM/ IDKORC,TITLE,INFO1,INFO2
000002 COMMON/PARAM/ NKX,NKXMIN,NKXMAX,XNKAVG,LCOMIN,LCOMAX,XCOAVG
000002 COMMON/PARAM/ INK,INKMIN,INKMAX,INKAVG,ICOMIN,ICOMAX,ICOAVG
000002 COMMON/PARAM/ NKXSUM,LCSUM,NXNEUR,INKSUM,ICOSUM,INNEUR
000002 COMMON/PARAM/ JFRO1,JFFOH,I0,IITO,COE,INH,IFRCTN,ITEM
000002 COMMON/PARAM/ NKFRST,NKLAST,NNEUR2,NNEUR1
000002 COMMON/PARAM/ LSTORN,LSTORC
000002 COMMON/PARAM/ NNETS,NBLOCK,NTOTAL,NUMBER
000002
000002 COMMON/PARAM/ IDENT,NSTIM,INFO,ITER,NITER
000002 COMMON/PARAM/ TAVG,TDCAY1,SDCAY,INDEX
000002 COMMON/PARAM/ FIRST,LAST,NFIRE
000002 COMMON/PARAM/ INUP,IMUN,H,ICELL,VNET
000002 COMMON/PARAM/ STATE,TRESH1,TRESH2,TRESH3,VT
000002 COMMON/PARAM/ TMIN,TMAX,TDROP,ARP,THR1,RCRD
000002 COMMON/PARAM/ REINF,INC
000002 COMMON/PARAM/ NSPONT,NEXT,INHIB,EXTCOE,IEXT,RECORD
000002 COMMON/PARAM/ LEARN,NULL,IFLAG,TMOD
000002 COMMON/PARAM/ FIRE,JOIN
C
000002 15 FORMAT(3X,8H RUN NO,I4,15A4///3X,*NETWORK PARAMETERS:*/12X,*SUB
000002 1 NET 1 SUBNET 2 SUBNET 3 SUBNET 4 SUBNET 5 SUBNET 6 SUBNET 7
000002 2 SUBNET 8 SUBNET 9 SUBNET 10*/)
000002 35 FORMAT(3X,*TMOD =*,10I10)
000002 45 FORMAT(3X,*TMIN =*,10I10)
000002 55 FORMAT(3X,*TMAX =*,10I10)
000002 65 FORMAT(3X,*THR1 =*,10I10)
000002 75 FORMAT(3X,*ARP =*,10I10)
000002 85 FORMAT(3X,*TDCAY1=*,10F10.4)
000002 90 FORMAT(3X,*SDCAY=*,10F10.4)
000002 95 FORMAT(3X,*TAVG =*,10F10.4)
000002 105 FORMAT(3X,*TRESH1 ARRAY*/15(5X,5I3))

```

C

```

000002 WRITE(6,15) IDENT,TITLE
000012 WRITE(6,35) (TMOD(I),I=1,NNETS)
000025 WRITE(6,45) (TMIN(I),I=1,NNETS)
000040 WRITE(6,55) (TMAX(I),I=1,NNETS)
000053 WRITE(6,65) (THR1(I),I=1,NNETS)

```

000005  
000100  
000112  
000125  
000140  
000153  
000153

```
WRITE(6,75) (ARP(I),I=1,NNETS)  
WRITE(6,85) (TDCAY1(I),I=1,NNETS)  
WRITE(6,90) (SDCAY(I),I=1,NNETS)  
WRITE(6,95) (TAVG(I),I=1,NNETS)  
WRITE(6,105) (TRESH1(I),I=1,NTCTAL)  
RETURN  
END
```



## SUBROUTINE LIST2

C  
C\*\*\*\*\*DECLARATIONS  
C

```

000002 REAL INH,XNKAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
000002 REAL TAVG(1),TDCAY1(10),SDCAY(10),STD(10),S,AM,V,NOISE(100)
000002 REAL NSTD(10),TRESH3(1000),H
000002 INTEGER TITLE(10),INFO(15),INFO1(15),INFO2(15)
000002 INTEGER VNET(1000),FIRST,ITEM(20)
000002 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
000002 INTEGER RECORD(1,1000)
000002 INTEGER THIN(10),TMAX(10),TDROP(10),ARP(10),THR1(10),VT(1000)
000002 INTEGER NSPONT(10),NEXT(10),EXTCOE(10),RCPD,IEXT(10)
000002 INTEGER REINF(100),INC(100)
000002 INTEGER PRNT(10)
000002 DIMENSION NKFRST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
000002 DIMENSION LSTORN(5,1000),LSTORC(5,1000)
000002 LOGICAL LEARN,NULL,IFLAG,TMOD(10)
000002 LOGICAL FIRE(1000),JOIN(1000),INHIB(4096)
000002 COMMON/PARAM/ IDKORK,TITLE,INFO1,INFO2
000002 COMMON/PARAM/ NKX,NKXMIN,NKXMAX,XNKAVG,LCOMIN,LCOMAX,XCOAVG
000002 COMMON/PARAM/ INK,INKMIN,INKMAX,INKAVG,ICOMIN,ICOMAX,ICOAVG
000002 COMMON/PARAM/ NKXSUM,LCSUM,NXNEUR,INKSUM,ICOSUM,INNEUR
000002 COMMON/PARAM/ JFRD1,JJFROM,ITC,IITO,COE,INH,IFRCTN,ITEM
000002 COMMON/PARAM/NKFRST,NKLAST,NNEUR2,NNEUR1
000002 COMMON/PARAM/LSTORN,LSTORC
000002 COMMON/PARAM/NNETS,NBLOCK,NTOTAL,NUMBER
000002
000002 COMMON/PARAM/IDENT,NSTIM,INFO,IDITER,NITER
000002 COMMON/PARAM/ TAVG,TDCAY1,SDCAY,TNDFX
000002 COMMON/PARAM/FIRST,LAST,NFIRE
000002 COMMON/PARAM/INUP,INUM,F,ICELL,VNET
000002 COMMON/PARAM/ STATE,TRESH1,TRESH2,TRESH3,VT
000002 COMMON/PARAM/ THIN,TMAX,TDROP,ARP,THR1,RCRD
000002 COMMON/PARAM/ REINF,INC
000002 COMMON/PARAM/ NSPONT,NEXT,INHIB,EXTCOE,IEXT,RECORD
000002 COMMON/PARAM/ LEARN,NULL,IFLAG,TMOD
000002 COMMON/PARAM/ FIRE,JOIN
C
000002 15 FORMAT(3X,13H STIMULUS NO.I2,15A4/75X,12HPARAMETERS: 5HLEARN3X,02
000002 10/17X,4HNULL4X,020/17X,5HIFLAG3X,020/17X,5HNITER3X,I4///)
000002 25 FORMAT(5X,34HREINFORCE IN THE FOLLOWING CLOCKS://13X,*SUBNET 1 SU
000002 1ENET 2 SUBNET 3 SUBNET 4 SUBNET 5 SUBNET 6 SUBNET 7 SUBNET 8
000002 2 SUBNET 9 SUBNET 10*//)
000002 110 FORMAT(1X,*SUBNET*,I3,5X,F9.7)
000002 115 FORMAT(1X,*SUBNET*,I3,5X,I5)
000002 118 FORMAT(1X,*SUBNET*,I3,5X,F6.4)
000002 225 FORMAT(5X,4HREINFORCEMENT PARAMETERS ARE AS FOLLOWS://13X,*SUBNET
000002 11 SUBNET 2 SUBNET 3 SUBNET 4 SUBNET 5 SUBNET 6 SUBNET 7 SUB
000002 2NET 8 SUBNET 9 SUBNET 10*//)
000002 535 FORMAT(5X,64HPARAMETERS OF SPONTANEOUS AND EXTERNAL ACTIVITY. INCID
000002 1ENT ON NET://13X,*SUBNET 1 SUBNET 2 SUBNET 3 SUBNET 4 SUBNET 5
000002 2 SUBNET 6 SUBNET 7 SUBNET 8 SUBNET 9 SUBNET 10*//)
000002 521 FORMAT(3X,*NSPONT *,10I10)
000002 522 FORMAT(3X,*NEXT *,10I10)
000002 523 FORMAT(3X,*INHIB *,10I10)
000002 524 FORMAT(3X,*EXTCOE *,10I10)

```

```

000002 525 FORMAT(3X,*IEXT *,10I10)
000002 605 FORMAT(5X,4HMEAN AND STANDARD DEVIATION OF NOISE IN NET*//13X,*SU
      1BNET 1 SUBNET 2 SUBNET 3 SUBNET 4 SUBNET 5 SUBNET 6 SUBNET 7
      2 SUBNET 8 SUBNET 9 SUBNET 10*//)

C
000002 DO 10 I=1,10
000004 NSTD(I)=0.0
000005 PPNT(J)=0
000006 10 CONTINUE
000010 WRITE(6,15) NSTIM,INFO,LEARN,NULL,IFLAG,NITER
000027 IF(.NOT.LEARN) GO TO 500
000031 WRITE(5,25)
000034 DO 200 I=1,NNETS
000036 CO 100 J=1,NNETS
000037 FRNT(J)=RSINF(I+NNETS*(J-1))
000044 100 CONTINUE
000046 WRITE(6,115) I,(PRNT(K),K=1,NNETS)
000062 200 CONTINUE
000065 WRITE(6,225)
000070 CO 400 I=1,NNETS
000072 DO 300 J=1,NNETS
000073 PRNT(J)=INC(I+NNETS*(J-1))
000100 300 CONTINUE
000102 WRITE(6,115) I,(PRNT(K),K=1,NNETS)
000116 400 CONTINUE
000121 500 IF(.NOT.IFLAG) GO TO 2000
000123 WRITE(6,505)
000126 INDEX=0
000127 510 INDEX=INDEX+1
000131 IF(INDEX.GT.5) GO TO 600
000134 GO TO (511,512,513,514,515),INDEX
000144 511 WRITE(6,521) (NSPNT(I),I=1,NNETS)
000157 GO TO 550
000160 512 WRITE(6,522) (NEXT(I),I=1,NNETS)
000173 GO TO 550
000174 513 WRITE(6,523) (INHIB(I),I=1,NNETS)
000207 GO TO 550
000210 514 WRITE(6,524) (EXTCOE(I),I=1,NNETS)
000223 GO TO 550
000224 515 WRITE(6,525) (IEXT(I),I=1,NNETS)
000237 550 GO TO 510
000240 600 WRITE(6,605)
000244 DO 800 I=1,NNETS
000246 DO 700 J=1,NNETS
000247 NSTD(J)=NGISE(I+NNETS*(J-1))
000254 700 CONTINUE
000256 WRITE(6,110) I,(NSTD(K),K=1,NNETS)
000272 800 CONTINUE
000275 CO 1000 I=1,NNETS
000276 DO 900 J=1,NNETS
000277 NSTD(J)=STD(I+NNETS*(J-1))
000304 900 CONTINUE
000306 WRITE(6,118) I,(NSTD(K),K=1,NNETS)
000322 1000 CONTINUE
000325 2000 RETURN
000326 END

```



```

SUBROUTINE FIT(D, EAREA, CHISQR)
DIMENSION XMARK(100), DX(100), XMSQ(100), DXSQ(100),
1Z(101), AREA(101)
000006 DIMENSION NCOUNT(100)
000006 DIMENSION D(20)
000006 REAL IAREA(101)
000006 DO 5 I=1,100
000007 XMARK(I)=0.0
000010 DX(I)=0.0
000011 XMSQ(I)=0.0
000012 DXSQ(I)=0.0
000013 5 CONTINUE
000015 IZERO=0
000015 SUMDX=0.0
000016 SUMD=0.0
000017 SUMDXS=0.0
000021 DO 10 I=1,10
000022 IF (D(I).EQ.0.0) GO TO 10
000024 XMARK(I)=(I/2.0)-0.25
000027 DX(I)=D(I)*XMARK(I)
000032 XMSQ(I)=XMARK(I)**2
000034 DXSQ(I)=XMSQ(I)*D(I)
000036 SUMD=SUMD+D(I)
000040 SUMDX=SUMDX+DX(I)
000042 SUMDXS=SUMDXS+DXSQ(I)
000045 10 CONTINUE
000047 XAVE=SUMDX/SUMD
000051 STD=SQRT((SUMDXS/SUMD)-XAVE**2)
000056 IF (STD.EQ.0.0) RETURN
000062 WRITE(6,20) XAVE, STD
000072 20 FORMAT(* *,* XAVE=*,F8.5,* STD=*,F8.5)
000072 SUM2=0.0
000073 SUM3=0.0
000073 SUM4=0.0
000075 DO 200 J=1,10
000080 TM2=((XMARK(J)-XAVE)**2)*D(J)
000103 SUM2=SUM2+TM2
000105 TTM3=(XMARK(J)-XAVE)**2
000110 TM3=C(J)*TTM3*(XMARK(J)-XAVE)
000113 SUM3=SUM3+TM3
000115 TTM4=(XMARK(J)-XAVE)**2
000120 TM4=((XMARK(J)-XAVE)**2)*D(J)*TTM4
000124 SUM4=SUM4+TM4
000126 200 CONTINUE
000130 GM2=SUM2/SUMD
000132 GM3=SUM3/SUMD
000133 GM4=SUM4/SUMD
000135 A3=GM3/SQRT((GM2**2)*GM2)
000141 A4=GM4/GM2**2
000144 WRITE(6,300) A3,A4
000154 300 FORMAT(* *,* A3=*,F7.3,* A4=*,F7.3)
000154 WRITE(6,401) GM2,GM3,GM4
000166 401 FORMAT(* *,* GM2=*,F9.3,* GM3=*,F9.3,* GM4=*,F9.3)
000166 IF (STD.EQ.0.0) RETURN
000172 DO 30 I=1,10
000174 IF (D(I).EQ.0.0) GO TO 35
000176 GO TO 45

```

```

000200 30 CONTINUE
000202 43 BOUNT(1)=IZERO/2.0
000205 DO 45 J=1,11
000206 ECUNT(J)=(IZERO/2.0)+(J/2.0)-0.5
000214 45 CONTINUE
000216 DO 55 J=1,111
000220 AREA(J)=L.0
000221 EAREA(J)=0.0
000222 Z(J)=0.0
000223 55 CONTINUE
000225 DO 50 J=1,11
000227 Z(J)=(BCUNT(J)-YAVE)/STD
000232 TA=ABS(Z(J))
000234 AREA(J)=ERF(TA)
000240 50 CONTINUE
000244 DO 70 JJ=1,11
000245 IF(Z(JJ).GE.0.0) GO TO 80
000247 K=JJ+1
000250 IF(Z(K).GE.0.0) GO TO 85
000253 90 L=JJ+1
000255 EAREA(JJ)=ABS(AREA(JJ)-AREA(L))
000262 GO TO 70
000262 85 LL=JJ+1
000264 EAREA(JJ)=AREA(JJ)+AREA(LL)
000270 GO TO 70
000270 80 KK=JJ+1
000272 IF(Z(KK).GE.0.0) GO TO 90
000274 GO TO 85
000275 70 CONTINUE
000277 CHISQR=L.0
000300 DO 400 I=1,10
000301 IF(EAREA(I).EQ.0.0) GO TO 400
000303 SUM=(O(I)-EAREA(I)*SUMD)**2/(EAREA(I)*SUMD)
000311 CHISQR=CHISQR+SUM
000313 400 CONTINUE
000315 RETURN
000316 END

```

```

SUBROUTINE HISTG(VOUT,NU,D,ICUM)
REAL D(20)
INTEGER VOUT(201)
INTEGER VMAX,VMIN
DIMENSION FREQ(20)
VMIN=VOUT(1)
VMAX=VOUT(1)
DO 5 I=2,200
VMAX=AMAX3(VMAX,VOUT(I))
5 CONTINUE
DO 6 I=2,200
VMIN=AMIN3(VMIN,VOUT(I))
6 CONTINUE
DO 15 J=1,20
D(J)=0.0
FREQ(J)=0.0
15 CONTINUE
DO 10 I=1,200
D1=10*(VOUT(I)-VMIN)
IN=1*(D1/(VMAX-VMIN))+1
IF(IN.GT.10) GO TO 10
D(IN)=D(IN)+1.
FREQ(IN)=D(IN)
10 CONTINUE
CALL HIST(NU,FREQ,10,ICUM)
RETURN
END

```

```

000007 DIMENSION JOUT(20),FREQ(20)
000007 1 FORMAT(6H EACH ,A1,8H EQUALS ,I2,7H POINTS,/)
000007 2 FORMAT(16,4X,20(2X,A1))
000007 3 FORMAT(9H INTERVAL,2X,19(I2,1X),I2)
000007 4 FORMAT(1H1,47X,11H HISTOGRAM ,I3)
000007 5 FORMAT(10H FREQUENCY,20I5)
000007 6 FORMAT(6H CLASS)
000007 7 FORMAT(113(*-*))
000007 8 FORMAT(1H )
000007 9 FORMAT(A1)
000007 10 FORMAT(1H*)
000007 11 FORMAT(* *,47X,11H HISTOGRAM ,I3)
000007 REWIND 1
000011 WRITE(1,10)
000015 REWIND 1
000017 READ(1,9) K
000025 REWIND 1
000027 WRITE(1,8)
000033 REWIND 1
000035 READ(1,9) NOTH
000043 REWIND 1
000045 IF(ICUM.EQ.1) GO TO 13
000052 WRITE(6,4) NU.
000057 GO TO 14
000062 13 WRITE(6,11) NU
000070 14 DO 12 I=1,IN
000074 12 JOUT(I)=FREQ(I)
000101 WRITE(6,5)(JOUT(I),I=1,IN)
000117 WRITE(6,7)
000123 FMAX=J.0
000124 DO 20 I=1,IN
000130 IF(FREQ(I)-FMAX) 20,20,15
000133 15 FMAX=FREQ(I)
000135 20 CONTINUE
000140 JSCAL=1
000140 IF(FMAX-50.0) 40,40,30
000143 30 JSCAL=(FMAX+49.0)/50.0
000147 WRITE(6,1)K,JSCAL
000157 40 DO 50 I=1,IN
000163 50 JOUT(I)=NOTH
000167 MAX=FMAX/FLOAT(JSCAL)
000172 DO 60 I=1,MAX
000174 X=MAX-(I-1)
000177 DO 70 J=1,IN
000201 IF(FREQ(J)/FLOAT(JSCAL)-X) 70,60,60
000206 60 JOUT(J)=K
000210 70 CONTINUE
000213 IX=X*FLOAT(JSCAL)
000216 80 WRITE(6,2)IX,(JOUT(J),J=1,IN)
000244 DO 90 I=1,IN
000246 90 JOUT(I)=1
000251 WRITE(6,7)
000254 WRITE(6,3)(JOUT(J),J=1,IN)
000275 WRITE(6,6)
000301 RETURN
000302 END

```

C  
C\*\*\*\*\*DECLARATIONS  
C

```

00003 REAL JNH,XNKAVG,INKAVG,XCOAVG,ICOAVG,YFL,IFRCTN
00003 REAL TAVG(10),TDCAY1(10),SDCAY(10),STD(100),S,AM,V,NOISE(100)
00003 REAL NSTD(10),TRESH3(1000),H
00003 REAL D(2L),ANNFIR,TERM,SUM,SDNF
00003 REAL ZAREA(101)
00003 INTEGER VNOT(201)
00003 INTEGER VOUT(201)
00003 INTEGER TITLE(15),INFO(15),INFO1(15),INFO2(15)
00003 INTEGER VNET(1000),FIRST,ITEM(20)
00003 INTEGER STATE(1000),TRESH1(1000),TRESH2(1000)
00003 INTEGER RECORD(1,1000),NNFIR(201)
00003 INTEGER TMIN(10),TMAX(10),TDROP(10),ARP(10),THR1(10),VT(1000)
00003 INTEGER NSPONT(10),NEXT(10),EXTCOE(10),RCRD,IEXT(10)
00003 INTEGER REINF(100),INC(100)
00003 INTEGER PRNT(10)
00003 DIMENSION NKFRST(100),NKLAST(100),NNEUR1(10),NNEUR2(10)
00003 DIMENSION LSTORN(5,1000),LSTORC(5,1000)
00003 LOGICAL LEARN,NULL,IFLAG,TMOD(10)
00003 LOGICAL FIRE(1000),JOIN(1000),INHIB(4096)
00003 COMMON/PARAM/ IDKORK,TITLE,INFO1,INFO2
00003 COMMON/PARAM/ NKX,NKXMIN,NKXMAX,XNKAVG,LCOMIN,LCOMAX,XCOAVG
00003 COMMON/PARAM/ INK,INKMIN,INKMAX,INKAVG,ICOMIN,ICOMAX,ICOAVG
00003 COMMON/PARAM/ NKXSUM,LCCSUM,NXNEUR,INKSUM,ICOSUM,INNEUR
00003 COMMON/PARAM/ JFROM,JJFROM,ITO,IITO,COC,INH,IFRCTN,ITEM
00003 COMMON/PARAM/ NKFRST,NKLAST,NNEUR2,NNEUR1
00003 COMMON/PARAM/ LSTORN,LSTORC
00003 COMMON/PARAM/ NNETS,NBLOCK,NTOTAL,NUMBER
00003 COMMON/PARAM/ IDENT,NSTIP,INFO,IDITER,NITER
00003 COMMON/PARAM/ TAVG,TDCAY1,SDCAY,INDEX
00003 COMMON/PARAM/ FIRST,LAST,NFIRE
00003 COMMON/PARAM/ INUP,IMUH,H,ICELL,VNET
00003 COMMON/PARAM/ STATE,TRESH1,TRESH2,TRESH3,VT
00003 COMMON/PARAM/ TMIN,TMAX,TDROP,ARP,THR1,RCRD
00003 COMMON/PARAM/ REINF,INC
00003 COMMON/PARAM/ NSPONT,NEXT,INHIB,EXTCOE,IEXT,RECORD
00003 COMMON/PARAM/ LEARN,NULL,IFLAG,TMOD
00003 COMMON/PARAM/ FIRE,JOIN

```

C  
C

```

00003 I2=0
00004 15 FORMAT(*1 JOIN ARRAY.IDJCIN=*,I9// (10(1X,10I1)))
00004 25 FORMAT(3X,25HRECORD ARRAYS FOR SUBNETS/)
00004 115 FORMAT(*1 RECORD ARRAY.IDREC=*,I9// (20(1X,I5)))
00004 ICUM=0
00004 DO 5 II=1,200
00006 VOUT(II)=J
00007 VNOT(II)=0
00010 NNFIR(II)=0
00011 5 CONTINUE
00013 NU=0
00014 KC=1
00015 KN=1

```

```

000024 WRITE(6,15) IDJCIH, (J=1, NITOTL)
000040 WRITE(6,25)
000044 J=1
000045 30 J=J+1
000047 IF(J.GT.2) GO TO 294
000053 WRITE(6,40) (VT(M), VNET(M), M=1, NITER)
000067 430 FORMAT(* *, 10I6, 4X, 10I6)
000069 IDREC=IDJCIH+J
000071 GO TO (101, 102), J
000077 101 WRITE(6,115) IDREC, (RECORD(1,1), I=1, NITER)
000114 132 DO 50 M=1, NITER
000117 VOUT(KC)=VT(M)
000121 KC=KC+1
000123 IF(KC.NE.201) GO TO 50
000125 WRITE(6,200) (VOUT(K), K=1, 200)
000136 300 FORMAT(* *, 10I6)
000136 NU=NU+1
000140 CAEL HISTG(VOUT, NU, D, ICUM)
000143 CALL FIT(D, EAREA, CHISQR)
000146 WRITE(6,147) (EAREA(JJ), JJ=1, 10)
000160 147 FORMAT(* *, * EAREA=*, 10F8.5)
000160 WRITE(6,157) CHISQR
000166 157 FORMAT(* *, * CHISQR=*, F10.4)
000166 KC=1
000167 DO 1 IJ=1, 2J1
000172 VOUT(IJ)=J
000173 1 CONTINUE
000175 50 CONTINUE
000200 NU=0
000201 ICUM=1
000202 DO 4 MN=1, NITER
000203 VNOT(KN)=VNET(MN)
000205 KN=KN+1
000207 IF(KN.NE.201) GO TO 37
000211 NU=NU+1
000212 WRITE(6,00)
000215 60 FORMAT(10I1, 47X, *CUMULATIVE HISTOGRAM*)
000215 CAEL HISTG(VNOT, NU, D, ICUM)
000220 CALL FIT(D, EAREA, CHISQR)
000223 WRITE(6,117) (EAREA(JJ), JJ=1, 10)
000235 117 FORMAT(* *, * EAREA=*, 10F8.5)
000235 WRITE(6,116) CHISQR
000243 116 FORMAT(* *, * CHISQR=*, F20.4)
000243 DO 2 IK=1, 201
000246 VNOT(IK)=J
000247 2 CONTINUE
000251 KN=1
000252 GO TO 38
000252 37 MN=KN-1
000254 NNFIR(MN)=RECORD(1, MN)
000257 GO TO 40
000257 38 ISUM=J
000260 SUM=J.C
000261 DO 39 L=1, 200
000262 ISUM=ISUM+NNFIR(L)
000264 39 CONTINUE
000265 ANNFIR=ISUM/200.0

```

```
00271 TERM=(ANNFIR(LL)-ANNFIR)**2
00274 SUM=SUM+TERM
00276 41 CONTINUE
00300 SONF=SQRT(SUM/200.0)
00305 WRITE(6,4)ANNFIR,SONF
00314 4 FORMAT(*,*,* ANNFIR=*,F10.5,* SONF=*,F10.5)
00314 40 CONTINUE
00320 GO TO 30
00320 204 I2=1
00321 RETURN
00322 END
```

```
FUNCTION ERF(X)
DIMENSION PHI(100),CAPPHI(100),XI(100)
N=10
DXI=X/N
NP1=N+1
DO 1 JP1=1, NP1
  FJ =JP1-1
  XI(JP1)=FJ*DXI
  R=1.0/SGRT(2.0*3.14159)
1 PHI(JP1)=R*EXP(-XI(JP1)*XI(JP1)/2.0)
  CAPPHI(1)=0
  DO 2 JP1=3, NP1, 2
2 CAPPHI(JP1)=CAPPHI(JP1-2)+(PHI(JP1-2)+4.0*PHI(JP1-1)+
1 PHI(JP1))*DXI/3.0
CAPPHI(NP1)
ERF=CAPPHI(NP1)
WRITE(6,20)ERF
20 FORMAT(F10.4)
RETURN
END
```